# CSE 341: <br> Programming Languages 

Spring 2005<br>Lecture 7 - More on Tail Recursion \& Accumulators; Deep Patterns

## Where we are

Two implementation tidbits: call stack \& cons cells
Tail recursion avoids call stack overhead
Accumulator-style recursion typically tail-recursive
Today:

- one more tail/accumulator example
- more on pattern-matching as an elegant generalization of variable binding.
- first-class functions (closures, functions as values)-A really key idea in computer science


## Tail calls

If the result of $f(x)$ is the result of the enclosing function body, then $f(x)$ is a tail call.

More precisely, a tail call is a call in tail position:

- In fun $f(x)=e, e$ is in tail position.
- If if e1 then e2 else e3 is in tail position, then e2 and e3 are in tail position (not e1). (Similar for case).
- If let b1 ... bn in e end is in tail position, then e is in tail position (not any binding expressions).
- Function arguments are not in tail position.
- ...


## So what?

Why does this matter?

- Implementation takes space proportional to depth of function calls ( "call stack" must "remember what to do next")
- But in functional languages, implementation must ensure tail calls eliminate the caller's space
- Accumulators are a systematic way to make some functions tail recursive
- "Self" tail-recursive is very loop-like because space does not grow.


## Deep patterns

Patterns are much richer than we have let on. A pattern can be:

- A variable (matches everything, introduces a binding)
- _ (matches everything, no binding)
- A constructor and a pattern (e.g., C p) (matches a value if the value "is a C" and $\boldsymbol{p}$ matches the value it carries)
- A pair of patterns $((p \mathbf{1}, p \mathbf{2}))$ (matches a pair if $p \mathbf{1}$ matches the first component and $\boldsymbol{p} 2$ matches the second component)
- A record pattern...
- An integer constant...
- ...

The truth, the whole truth, and nothing but the truth

It's really:

- val $p=e$
- fun $f$ p1 = e1 |f $p 2=e 2 \ldots$ | $\quad$ f $p n=e n$
- case e of p 1 => e1 | ... | pn $\Rightarrow$ en

Inexhaustive matches may raise exceptions and are bad style.
Example: could write Rope pr or Rope (r1,r2)
Fact: Every ML function takes exactly one argument!

## Some function examples

- fun f1 () = 34
- fun $f 2(x, y)=x+y$
- fun $f 3$ pr $=$ let $\operatorname{val}(x, y)=p r$ in $x+y$ end

Is there any difference to callers between f 2 and f 3 ?
In most languages, "argument lists" are syntactically separate, second-class constructs.

Can be useful: f2 (if e1 then $(3,2)$ else pr )

