

# CSE 341: Programming Languages

Winter 2005

Lecture 5— Type synonyms, more pattern-matching, accumulators

# Goals

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- Contrast type synonyms with new types
- See pattern-matching for built-in “one of” types (not really a concept, but important for ML programming) and “each of” types
- Investigate why accumulator-style recursion can be more efficient

# Type synonyms

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You can bind a *type name* to a type. Example:

```
type intpair = int * int
```

(We call something else a *type variable*.)

In ML, this creates a *synonym*, also known as a *transparent* type definition. Recursion not allowed.

So a type name is *equivalent* to its definition.

To contrast, the type a datatype binding introduces is not equivalent to any other type (until possibly a later type binding).

## Review: datatypes and pattern-matching

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Evaluation rules for datatype bindings and case expressions:

`datatype t = C1 of t1 | C2 of t2 | ... | Cn of tn`

Adds constructors  $C_i$  where  $C_i v$  is a value (and  $C_i$  has type  $t_i \rightarrow t$ ).

`case e of p1 => e1 | p2 => e2 | ... | pn => en`

- Evaluate  $e$  to  $v$
- If  $p_i$  is the first pattern to *match*  $v$ , then result is evaluation of  $e_i$  in environment extended by the match.
- If  $C$  is a constructor of type  $t_1 * \dots * t_n \rightarrow t$ , then  $C(x_1, \dots, x_n)$  is a pattern that matches  $C(v_1, \dots, v_n)$  and the match extends the environment with  $x_1$  to  $v_1$  ...  $x_n$  to  $v_n$ .
- Coming soon: many more pattern forms.

## Why patterns?

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Even without more pattern forms, this design has advantages over functions for “testing and destructing” (e.g., `null`, `hd`, and `tl`):

- easier to check for missing and redundant cases
- more concise syntax by combining “test, destruct, and bind”
- you can easily define testing and destructing in terms of pattern-matching

In fact, case expressions are the preferred way to test variants and extract values from all ML’s “one-of” types, including predefined ones (`[]` and `::`: just funny syntax).

So: Do *not* use functions `hd`, `tl`, `null`, `isSome`, `valOf`

Teaser: These functions are useful for *passing as values*

## Tuple/record patterns

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You can also use patterns to extract fields from tuples and records:  
pattern  $\{f1=x1, \dots, fn=xn\}$  (or  $(x1, \dots, xn)$ ) matches  
 $\{f1=v1, \dots, fn=vn\}$  (or  $(v1, \dots, vn)$ ).

For record-patterns, field-order does not matter.

This is better style than `#1` and `#foo`, and it means you do not (ever) need to write function-argument types.

Instead of a case with one pattern, better style is a pattern directly in a `val` binding.

Next time: “deep” (i.e., nested) patterns.

# Recursion

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You should now have the hang of recursion:

- It's no harder than using a loop (whatever that is)
- It's much easier when you have multiple recursive calls (e.g., with functions over ropes or trees)

But there are idioms you should learn for *elegance*, *efficiency*, and *understandability*.

Today: using an *accumulator*.

## Accumulator lessons

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- Accumulators can avoid data-structure copying
- Accumulators can reduce the depth of recursive calls that are not *tail calls*
- Key idioms:
  - Non-accumulator: compute recursive results and combine
  - Accumulator: use recursive result as new accumulator
  - The base case becomes the initial accumulator

You will use recursion in non-functional languages—this lesson still applies.

Let's investigate the evaluation of `to_list_1` and `to_list_2`.



## Tail calls

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If the result of  $f(x)$  is the result of the enclosing function body, then  $f(x)$  is a *tail call*.

More precisely, a tail call is a call in *tail position*:

- In `fun f(x) = e`, `e` is in tail position.
- If `if e1 then e2 else e3` is in tail position, then `e2` and `e3` are in tail position (not `e1`). (Similar for `case`).
- If `let b1 ... bn in e end` is in tail position, then `e` is in tail position (not any binding expressions).
- Function arguments are not in tail position.
- ...

## So what?

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Why does this matter?

- Implementation takes space proportional to depth of function calls (“call stack” must “remember what to do next”)
- But in functional languages, implementation must ensure tail calls eliminate the caller’s space
- Accumulators are a systematic way to make some functions tail recursive
- “Self” tail-recursive is very loop-like because space does not grow.