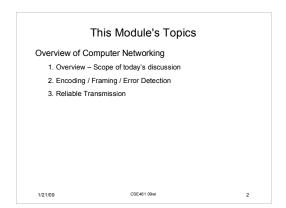
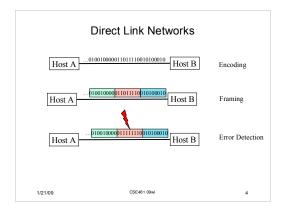
CSE 461: Introduction to Computer Communications Networks Winter 2009

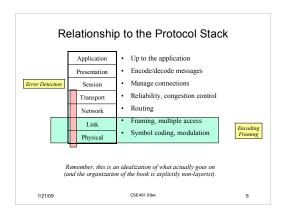
Module 3 Direct Link Networks – Part A

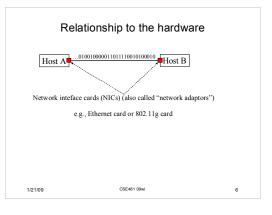
> John Zahorjan zahorjan@cs.washington.edu 534 Allen Center

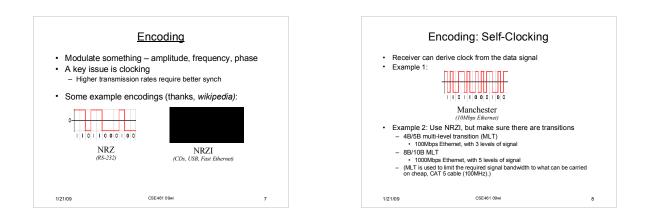


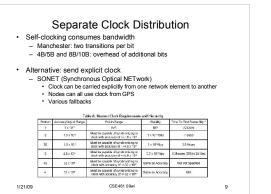
Direct Link Networks			
"Direct link" $\Rightarrow$ no switching/routing			
Host A	Host B	Point-to-point	
		Broadcast / shared	
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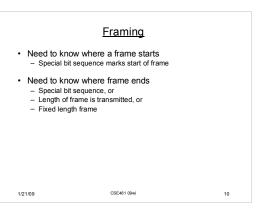


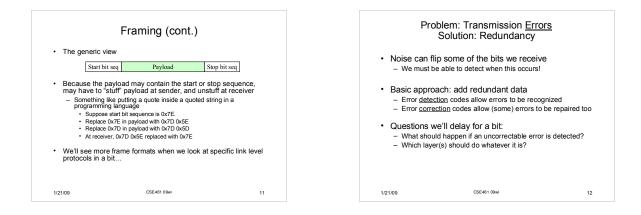


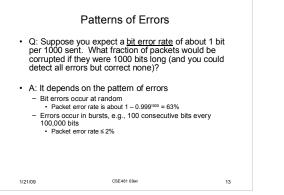












### Error Detection/Correction Codes · Detection/correction schemes are characterized in two ways: Overhead: ratio of total bits sent to data bits, minus 1 Example: 1000 data bits + 100 code bits = 10% overhead The errors they detect/correct E.g., all single-bit errors, all bursts of fewer than 3 bits, etc. A scheme maps D bits of data into D+R bits – i.e., it uses only $2^{\rm D}$ distinct bit strings of the $2^{\rm O+R}$ possible. Start bit seq D data bits R ECC bits Stop bit seq · The sender computes the ECC bits based on the data. The receiver also computes ECC bits for the data it receives and compares them with the ECC bits it received. – Detection occurs when what the receiver computed and received don't match That is, detection occurs when the D+R total bits are not one of the 2<sup>o</sup> messages valid using the code CSE461 09wi 1/21/09 14

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# The Hamming Distance

- Hamming distance of a code is the smallest number of bit differences that turn any one codeword into another - e.g, code 000 for 0, 111 for 1, Hamming distance is 3
- For code with distance d+1: - d bit errors can be detected, e.g, 001, 010, 110, 101, 011
- For code with distance 2d+1:
   d errors can be corrected, e.g., 001 → 000

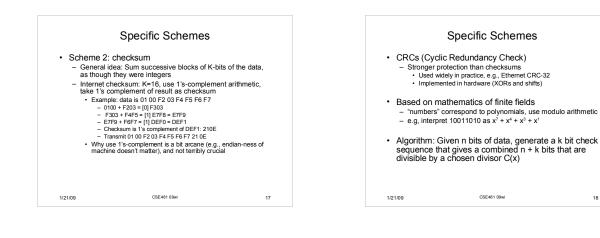
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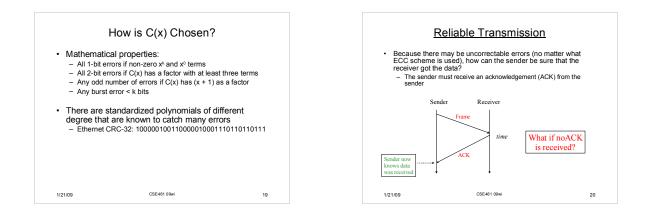
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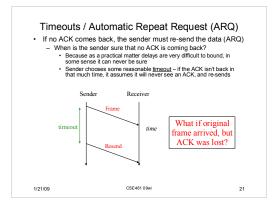
### Specific Schemes We'll briefly touch on the three schemes mentioned in the book They're organized from least to most expensive to compute · Scheme 1: parity 2-d parity Scheme 1: parity A single parity bit is associated with each K bits of the data, for some K. It is set so that the XOR of the data bits + the parity bit = 0 (for even parity) Example: K=8, one parity bit per byte Detects at od numbers of errored bits Example: 2-dimensional parity: one parity bit tor each bit in a byte, another for each of the eight bit positions in 8 consecutive bytes Detects at 1-2, and 3- bit errors, plus many >3-bit errors example 0101001 1 1101001 0 1011110 1 0001110 1 0110100 1 1011111 0 1111011 0

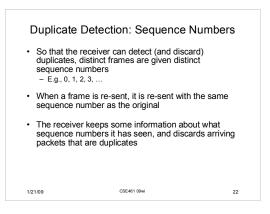
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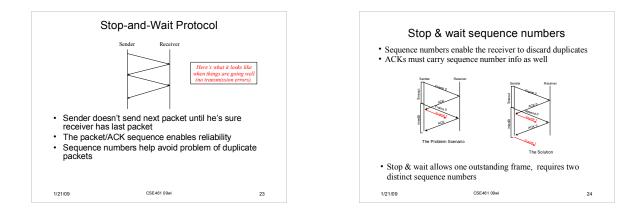
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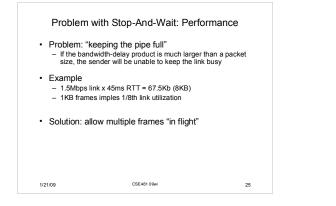


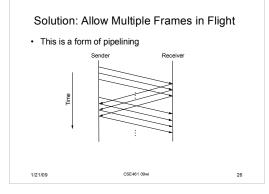


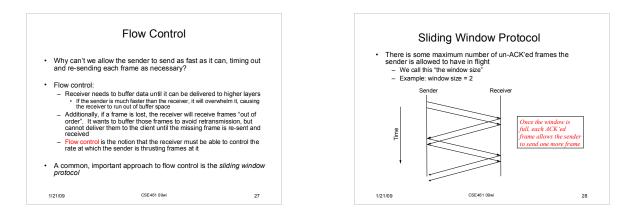


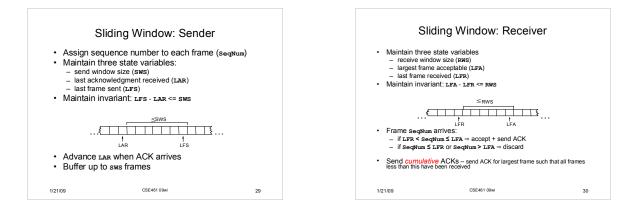


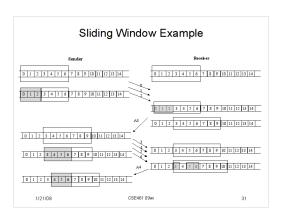


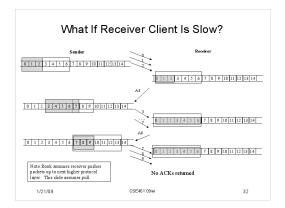












#### Sequence Number Space

- SeqNum field is finite; sequence numbers wrap around

- SeqNum field is finite; sequence numbers wrap around
   Sequence number space must be larger then number of outstanding frames
   SWS << MaxSeqNum-1 is not sufficient
   <ul>
   suppose 3-bit SeqNum field (0.7)
   SWS=RWS=7
   sender transmit frames 0..6
   arrive successfully, but ACKs lost
   secent retransmits 0..6
   receiver expecting 7, 0..5, but receives the original incarnation of 0..5

   SWS < (MaxSeqNum+1) / 2 is correct rule
   <ul>
   Intuitively SecNum

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Intuitively, sequum "slides" between two halves of sequence number space

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## Sliding Window Summary

- Sliding window is best known algorithm in networking
- First role is to enable reliable delivery of packets - Timeouts and acknowledgements
- · Second role is to enable in order delivery of packets
- Receiver doesn't pass data up to app until it has packets in order
   Third role is to enable flow control
   Prevents server from overflowing receiver's buffer

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