

CSE544: Lecture 12
Query Answering Using Views

Wednesday, May 5th, 2004

Finding a Rewriting

Theorem Given views V_1, \dots, V_n and query Q , the problem whether Q has a complete rewriting in terms of V_1, \dots, V_n is NP complete

Certain Answers

- Sometimes we can't answer, but we can get close

$$\begin{aligned} V1(x,y) &:- E(x,u), E(u,v), E(v,y) \\ V2(x,y) &:- E(x,u), E(u,y), \text{Black}(y) \end{aligned}$$
$$Q(x) :- E(x,u), E(u,v), E(v,w), E(w,s)$$

Can't really answer Q, but we can find approximations....

Certain Answers

$V1(x,y) :- E(x,u), E(u,v), E(v,y)$
 $V2(x,y) :- E(x,u), E(u,y), Black(y)$

$Q(x) :- E(x,u), E(u,v), E(v,w), E(w,s)$

$Q(x) :- V2(x,u), V2(u,v)$
 $Q(x) :- V1(x,u), V2(u,v)$
 $Q(x) :- V1(x,u), V1(u,v)$

All these return 'certain'
answers...

Certain Answers

Definition. Given V_1, \dots, V_n , their answers A_1, \dots, A_n and a query Q , a tuple t is a *certain* tuple for Q iff for every database instance D :

if $A_1 = V_1(D)$ and ... and $A_n = V_n(D)$ then $t \in Q(D)$

CWD (Closed World Assumption)

if $A_1 \subseteq V_1(D)$ and ... and $A_n \subseteq V_n(D)$ then $t \in Q(D)$

OWD (Open World Assumption)

Computing Certain Answers Under OWD

$V1(x,y) :- E(x,u), E(u,v), E(v,y)$
 $V2(x,y) :- E(x,u), E(u,y), Black(y)$

$Q(x) :- E(x,u), E(u,v), E(v,w), E(w,s)$

$E(x,f(x,y)) \quad :- V1(x,y)$
 $E(f(x,y),g(x,y)) \quad :- V1(x,y)$
 $E(g(x,y),y) \quad :- V1(x,y)$
 $E(x,h(x,y)) \quad :- V2(x,y)$
 $E(h(x,y),y) \quad :- V2(x,y)$
 $Black(y) \quad :- V2(x,y)$

Inverse
rules

Combined
datalog
program

Computing Certain Answers Under OWD

Next, we have two options

- Run the combined “datalog” program
 - It is actually a Prolog program
 - Notice: data complexity is PTIME
- Transform the datalog program first, so Q returns only values that are not Skolem Terms

Computing Answer Under CWD Is Different

$V1(x) :- R(x,u)$
 $V2(y) :- R(v,y)$
 $Q(x,y) :- R(x,y)$

$A1 = \{a\}$
 $A2 = \{b\}$

Certain answers for Q under OWD: none

Certain answers for Q under CWD: (a,b)

Why ?