# CSE 544 Principles of Database Management Systems 

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Lecture 2 - SQL and Schema Normalization

## Announcements

- Paper review
- First paper review is due on Wednesday 10:30am
- Details on website
- Find partners (0 or more) for the project
- Project groups due on Friday (email)
- You don't need to choose a project yet; more suggestions will continue to be posted on website
- Homework 1 will be released by tomorrow!
- Due in two weeks


## Outline

Three topics today

- Wrap up relational algebra
- Crash course on SQL
- Brief overview of database design


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## Relational Operators

- Selection: $\sigma_{\text {condition }}(\mathrm{S})$
- Condition is Boolean combination ( $\wedge, \mathrm{v}$ ) of terms
- Term is: attr. op constant, attr. op attr.
- Op is: <, <=, =, $\neq,>=$, or >
- Projection: $\pi_{\text {list-of-attributes }}(S)$
- Union (U), Intersection ( $\cap$ ), Set difference (-),
- Cross-product or cartesian product ( $\times$ )
- Join: $R \bowtie_{\theta} S=\sigma_{\theta}(R \times S)$
- Division: R/S
- Rename $\rho(\mathrm{R}(\mathrm{F}), \mathrm{E})$


## Cross-Product Example

## AnonPatient $P$

| age | zip | disease |
| :--- | :--- | :--- |
| 54 | 98125 | heart |
| 20 | 98120 | flu |

## Voters V

| name | age | zip |
| :--- | :--- | :--- |
| p1 | 54 | 98125 |
| p2 | 20 | 98120 |

P x V

| P.age | P.zip | disease | name | V.age | V.zip |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 54 | 98125 | heart | p 1 | 54 | 98125 |
| 54 | 98125 | heart | p 2 | 20 | 98120 |
| 20 | 98120 | flu | p 1 | 54 | 98125 |
| 20 | 98120 | flu | p 2 | 20 | 98120 |

## Join Galore

- Theta-join: $\mathrm{R}_{\bowtie_{\theta}} S=\sigma_{\theta}(R \times S)$
- Join of $R$ and $S$ with a join condition $\theta$
- Cross-product followed by selection $\theta$
- Equijoin: $R \bowtie_{\theta} S=\pi_{A}\left(\sigma_{\theta}(R \times S)\right)$
- Join condition $\theta$ consists only of equalities
- Projection $\pi_{A}$ drops all redundant attributes
- Natural join: $R_{\bowtie} S=\pi_{A}\left(\sigma_{\theta}(R \times S)\right)$
- aka Equijoin
- Equality on all fields with same name in R and in S


## Theta-Join Example

## AnonPatient $P$

| age | zip | disease |
| :--- | :--- | :--- |
| 50 | 98125 | heart |
| 19 | 98120 | flu |

## Voters V

| name | age | zip |
| :--- | :--- | :--- |
| p1 | 54 | 98125 |
| p2 | 20 | 98120 |

$P \bowtie_{\text {P.zip }=V . z i p ~ a n d ~ P . a g e ~<=~ V . a g e ~}+1$ and P.age >= V.age - 1 V

| P.age | P.zip | disease | name | V.age | V.zip |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 19 | 98120 | flu | p2 | 20 | 98120 |

## Equijoin Example

## AnonPatient P

| age | zip | disease |
| :--- | :--- | :--- |
| 54 | 98125 | heart |
| 20 | 98120 | flu |

## Voters V

| name | age | zip |
| :--- | :--- | :--- |
| p1 | 54 | 98125 |
| p2 | 20 | 98120 |

$P \bowtie_{\text {P.age=V.age }} \mathrm{V}$

| age | P.zip | disease | name | V.zip |
| :--- | :--- | :--- | :--- | :--- |
| 54 | 98125 | heart | p1 | 98125 |
| 20 | 98120 | flu | p2 | 98120 |

## Natural Join Example

## AnonPatient $P$

| age | zip | disease |
| :--- | :--- | :--- |
| 54 | 98125 | heart |
| 20 | 98120 | flu |

## Voters V

| name | age | zip |
| :--- | :--- | :--- |
| p1 | 54 | 98125 |
| p2 | 20 | 98120 |

$\mathrm{P} \bowtie \mathrm{V}$

| age | zip | disease | name |
| :--- | :--- | :--- | :--- |
| 54 | 98125 | heart | p1 |
| 20 | 98120 | flu | p 2 |

## Even More Joins

- Outer join
- Include tuples with no matches in the output
- Use NULL values for missing attributes
- Variants
- Left outer join
- Right outer join
- Full outer join


## Outer Join Example

## AnonPatient $P$

| age | zip | disease |
| :--- | :--- | :--- |
| 54 | 98125 | heart |
| 20 | 98120 | flu |
| 33 | 98120 | lung |

## Voters V

| name | age | zip |
| :--- | :--- | :--- |
| p1 | 54 | 98125 |
| p2 | 20 | 98120 |


$P$ ® V | age | zip | disease | name |
| :--- | :--- | :--- | :--- |
| 54 | 98125 | heart | p1 |
| 20 | 98120 | flu | p 2 |
| 33 | 98120 | lung | null |

## Example of Algebra Queries

Relations

```
Supplier(sno,sname,scity,sstate)
Part(pno,pname,psize,pcolor)
Supply(sno,pno,qty,price)
```

Q2: Name of supplier of parts with size greater than 10
$\pi_{\text {sname }}\left(\right.$ Supplier $\bowtie$ Supply $\bowtie\left(\sigma_{\text {psize>10 }}\right.$ (Part))

Q3: Name of supplier of red parts or parts with size greater than 10 $\pi_{\text {sname }}\left(\right.$ Supplier $\bowtie$ Supply $\bowtie\left(\sigma_{\text {psize>10 }}(\right.$ Part $) \cup \sigma_{\text {pcolor='red' }}($ Part $\left.\left.)\right)\right)$
(Many more examples in R\&G)

## Logical Query Plans

An RA expression but represented as a tree


## Extended Operators of Relational Algebra

- Duplicate elimination ( $\delta$ )
- Since commercial DBMSs operate on multisets/bags not sets
- Aggregate operators ( $\gamma$ )
- Useful in practice and requires bag semantics
- Min, max, sum, average, count
- Grouping operators $(\gamma)$
- Partitions tuples of a relation into "groups"
- Aggregates can then be applied to groups
- Sort operator ( $\tau$ )


## Relational Calculus

- Alternative to relational algebra
- Declarative query language
- Describe what we want NOT how to get it
- Tuple relational calculus query
- \{ $\mathrm{T} \mid \mathrm{p}(\mathrm{T})$ \}
- Where T is a tuple variable
- $p(T)$ denotes a formula that describes $T$
- Result: set of all tuples for which $p(T)$ is true
- Language for $p(T)$ is subset of first-order logic

Q1: Names of patients who have heart disease
$\{T \mid \exists P \in$ AnonPatient $\exists V \in$ Voter
$($ P.zip $=$ V.zip $\wedge$ P.age $=$ V.age $\wedge$ P.disease $=$ 'heart' $\wedge$ T.name $=$ V.name $)\}$

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Three topics today

- Wrap up relational algebra
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## Structured Query Language: SQL

- Influenced by relational calculus
- Declarative query language
- Multiple aspects of the language
- Data definition language (DDL)
- Statements to create, modify tables and views
- Data manipulation language (DML)
- Statements to issue queries, insert, delete data
- More


## Outline

- Today: crash course in SQL DML
- Data Manipulation Language
- SELECT-FROM-WHERE-GROUPBY
- Study independently: INSERT/DELETE/MODIFY
- Study independently SQL DDL
- Data Definition Language
- CREATE TABLE, DROP TABLE, CREATE INDEX, CLUSTER, ALTER TABLE, ...
- E.g. google for the postgres manual, or type this in psql:
\h create
\h create table
\h cluster


## SQL Query

Basic form: (plus many many many more bells and whistles)

> SELECT <attributes> FROM <one or more relations> WHERE <conditions>

## Simple SQL Query

|  | Product | PName | Price | Category |
| :---: | :---: | :---: | :---: | :---: |
| Manufacturer |  |  |  |  |
|  | Gizmo | $\$ 19.99$ | Gadgets | GizmoWorks |
|  | Powergizmo | $\$ 29.99$ | Gadgets | GizmoWorks |
| SingleTouch | $\$ 149.99$ | Photography | Canon |  |
| MultiTouch | $\$ 203.99$ | Household | Hitachi |  |

## SELECT PName, Price, Manufacturer FROM Product WHERE Price > 100



## "selection" and "projection"

| PName | Price | Manufacturer |
| :---: | :---: | :---: |
| SingleTouch | $\$ 149.99$ | Canon |
| MultiTouch | $\$ 203.99$ | Hitachi |

## Eliminating Duplicates

Compare to:

## SELECT category FROM Product



## Ordering the Results

## SELECT pname, price, manufacturer FROM Product <br> WHERE category=‘gizmo’ AND price > 50 ORDER BY price, pname

Ties are broken by the $2^{\text {nd }}$ attribute on the ORDER BY list, etc.
Ordering is ascending, unless you specify the DESC keyword.
Can also request only top-k with LIMIT clause

## Joins

## Product (pname, price, category, manufacturer) Company (cname, stockPrice, country)

Find all products under \$200 manufactured in Japan; return their names and prices.

```
SELECT P.pname, P.price
FROM Product P, Company C
WHERE P.manufacturer=C.cname AND C.country=`Japan'
    AND P.price <= 200
```

```
SELECT P.pname, P.price
FROM Product P JOIN Company C ON P.manufacturer=C.cname
WHERE C.country=`Japan` AND P.price <= 200
```


## Semantics of SQL Queries

## SELECT $a_{1}, a_{2}, \ldots, a_{k}$ <br> FROM $\quad R_{1} A S x_{1}, R_{2} A S x_{2}, \ldots, R_{n} A S x_{n}$ <br> WHERE Conditions

```
Answer \(=\{ \}\)
for \(x_{1}\) in \(R_{1}\) do
    for \(x_{2}\) in \(R_{2}\) do
        for \(x_{n}\) in \(R_{n}\) do
    if Conditions
        then Answer \(=\) Answer \(\cup\left\{\left(\mathrm{a}_{1}, \ldots, \mathrm{a}_{\mathrm{k}}\right)\right\}\)
return Answer
```


## Aggregation

## SELECT avg(price) FROM Product <br> WHERE maker="Toyota"

## SELECT count(*) FROM Product WHERE year > 1995

SQL supports several aggregation operations:
sum, count, min, max, avg

Except count, all aggregations apply to a single attribute

## Grouping and Aggregation

## Purchase(product, price, quantity)

Find total quantities for all sales over \$1, by product.

```
SELECT product, Sum(quantity) AS TotalSales
FROM Purchase
WHERE price > 1
GROUP BY product
```

Let's see what this means...

## Grouping and Aggregation

1. Compute the FROM and WHERE clauses.
2. Group by the attributes in the GROUPBY
3. Compute the SELECT clause: grouped attributes and aggregates.

## 1\&2. FROM-WHERE-GROUPBY

| Product | Price | Quantity |
| :---: | :---: | :---: |
| Bagel | 3 | 20 |
| Bagel | 1.50 | 20 |
| Banana | 0.5 | 50 |
| Banana | 2 | 10 |
| Banana | 4 | 10 |

WHERE price > 1

## 3. SELECT

| Product | Price | Quantity | Product | TotalSales |
| :---: | :---: | :---: | :---: | :---: |
| Bagel | 3 | 20 | Bagel | 40 |
| Bagel | 1.50 | 20 | Banana | 20 |
| Banana | 0.5 | 50 |  |  |
| Banana | 2 | 10 |  | ELECT clause? |
| Banana | 4 | 10 | Will return | E TUPLE per up |
| SELECT product, Sum(quantity) AS TotalSales <br> FROM Purchase <br> WHERE price $>1$ <br> GROUP BY product |  |  |  |  |

## HAVING Clause

Same query as earlier, except that we consider only products that had at least 30 sales.

```
SELECT product, sum(price*quantity)
FROM Purchase
WHERE price > 1
GROUP BY product
HAVING Sum(quantity) > 30
```

HAVING clause contains conditions on aggregates.

## WHERE vs HAVING

- WHERE condition is applied to individual rows
- The rows may or may not contribute to the aggregate
- No aggregates allowed here
- HAVING condition is applied to the entire group
- Entire group is returned, or not al all
- May use aggregate functions in the group


## General form of Grouping and Aggregation

| SELECT | S |
| :--- | :--- |
| FROM | $\mathrm{R}_{1}, \ldots, \mathrm{R}_{\mathrm{n}}$ |
| WHERE | C 1 |
| GROUP BY | $\mathrm{a}_{1}, \ldots, \mathrm{a}_{\mathrm{k}}$ |
| HAVING | C 2 |

$S=$ may contain attributes $a_{1}, \ldots, a_{k}$ and/or any aggregates but NO OTHER ATTRIBUTES
C 1 = is any condition on the attributes in $\mathrm{R}_{1}, \ldots, \mathrm{R}_{\mathrm{n}}$
$\mathrm{C} 2=$ is any condition on aggregate expressions and on attributes $\mathrm{a}_{1}, \ldots, \mathrm{a}_{\mathrm{k}}$

## Semantics of SQL With Group-By

```
SELECT S
FROM R R , ., , Rn
WHERE C1
GROUP BY a }\mp@subsup{\textrm{p}}{1}{},\ldots,\mp@subsup{a}{k}{
HAVING C2
```

Evaluation steps:

1. Evaluate FROM-WHERE using Nested Loop Semantics
2. Group by the attributes $a_{1}, \ldots, a_{k}$
3. Apply condition C 2 to each group (may have aggregates)
4. Compute aggregates in $S$ and return the result

## Subqueries

- A subquery is a SQL query nested inside a larger query
- Such inner-outer queries are called nested queries
- A subquery may occur in:
- A SELECT clause
- A FROM clause
- A WHERE clause
- Rule of thumb: avoid writing nested queries when possible; keep in mind that sometimes it's impossible


## Subqueries in WHERE

Product (pname, price, cid)
Existential quantifiers
Company(cid, cname, city)

Find all companies that make some products with price < 200
Using EXISTS:

```
SELECT DISTINCT C.cname
FROM Company C
WHERE EXISTS (SELECT*
    FROM Product P
    WHERE C.cid = P.cid and P.price < 200)
```


## Subqueries in WHERE

Product (pname, price, cid)

## Existential quantifiers

Find all companies that make some products with price < 200
Using IN

```
SELECT DISTINCT C.cname
FROM Company C
WHERE C.cid IN (SELECT P.cid
    FROM Product P
    WHERE P.price < 200)
```


## Subqueries in WHERE

Product (pname, price, cid)

## Existential quantifiers

Find all companies that make some products with price < 200
Using ANY:

```
SELECT DISTINCT C.cname
FROM Company C
WHERE 200 > ANY (SELECT price
                                    FROM Product P
                                    WHERE P.cid = C.cid)
```


## Subqueries in WHERE

Product (pname, price, cid)
Existential quantifiers Company(cid, cname, city)

Find all companies that make some products with price < 200
Now let's unnest it:
SELECT DISTINCT C.cname
FROM Company C, Product P
WHERE C.cid= P.cid and P.price < 200
Existential quantifiers are easy ! :
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## Subqueries in WHERE

Product (pname, price, cid)
Universal quantifiers
Company(cid, cname, city)

Find all companies that make only products with price < 200
same as:
Find all companies whose products all have price < 200

## Universal quantifiers are hard! :

## Subqueries in WHERE

1. Find the other companies: i.e. s.t. some product $\geq 200$
```
SELECT DISTINCT C.cname
FROM Company C
WHERE C.cid IN (SELECT P.cid
                                    FROM Product P
                                    WHERE P.price >= 200)
```

2. Find all companies s.t. all their products have price < 200
```
SELECT DISTINCT C.cname
FROM Company C
WHERE C.cid NOT IN (SELECT P.cid
                                    FROM Product P
                        WHERE P.price >= 200)
```


## Subqueries in WHERE

Product (pname, price, cid)
Universal quantifiers
Company(cid, cname, city)

Find all companies that make only products with price < 200

```
Using EXISTS:
SELECT DISTINCT C.cname
FROM Company C
WHERE NOT EXISTS (SELECT *
                                    FROM Product P
                                    WHERE P.cid = C.cid and P.price >= 200)
```


## Subqueries in WHERE

Product (pname, price, cid)
Universal quantifiers
Company(cid, cname, city)
Find all companies that make only products with price < 200

Using ALL:

```
SELECT DISTINCT C.cname
FROM Company C
WHERE 200 > ALL (SELECT price
                                    FROM Product P
                                    WHERE P.cid = C.cid)
```


## Can we unnest the universal quantifier query?

- A query Q is monotone if:
- Whenever we add tuples to one or more of the tables...
- ... the answer to the query cannot contain fewer tuples
- Fact: all unnested queries are monotone
- Proof: using the "nested for loops" semantics
- Fact: Query with universal quantifier is not monotone
- Consequence: we cannot unnest a query with a universal quantifier


## Outline

Three topics today

- Wrap up relational algebra
- Crash course on SQL
- Brief overview of database design


## Database Design

- The relational model is great, but how do I design my database schema?


## Outline

- Conceptual db design: entity-relationship model
- Problematic database designs
- Functional dependencies
- Normal forms and schema normalization


## Database Design Process



ER diagrams
Relations
Physical Schema

## Conceptual Schema Design

Conceptual Model:


Relational Model: plus FD's
 (FD = functional dependency)

Normalization: Eliminates anomalies


## Entity-Relationship Diagram



Attributes name

Entity sets Patient

Relationship sets
patient_of

## Entity-Relationship Model

- Typically, each entity has a key
- ER relationships can include multiplicity
- One-to-one, one-to-many, etc.
- Indicated with arrows
- Can model multi-way relationships
- Can model subclasses
- And more...


## Subclasses to Relations

Software Product
platforms

Product

| Name | Price | Category |
| :---: | :---: | :---: |
| Gizmo | 99 | gadget |
| Camera | 49 | photo |
| Toy | 39 | gadget |

Sw.Product | Name | platforms |
| :---: | :---: |
| Gizmo | unix |

Ed.Product

| $\underline{\text { Name }}$ | Age <br> Group |
| :---: | :---: |
| Gizmo | toddler |
| Toy | retired |

Other ways to convert are possible
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## General approach to Translating Diagram into Relations

Normally translate as follows:

- Each entity set becomes a relation
- Each relationship set becomes a relation
- Except many-one relationships. Can combine them with entity set.

One bad way to translate our diagram into relations

- PatientOf (pno, name, zip, dno, since)
- Doctor (dno, dname, specialty)


## Outline

- Conceptual db design: entity-relationship model
- Problematic database designs
- Functional dependencies
- Normal forms and schema normalization


## Problematic Designs

- Some db designs lead to redundancy
- Same information stored multiple times
- Problems
- Redundant storage
- Update anomalies
- Insertion anomalies
- Deletion anomalies


## Problem Examples

## PatientOf

| pno | name | zip | dno | since | Redundant |
| :--- | :--- | :--- | :--- | :--- | :--- |

What if we want to insert a patient without a doctor?
What if we want to delete the last doctor for a patient?
Illegal as (pno,dno) is the primary key, cannot have nulls

## Solution: Decomposition

Patient

| pno | name | zip |
| :--- | :--- | :--- |
| 1 | p 1 | 98125 |
| 2 | p 2 | 98112 |
| 3 | p 1 | 98143 |

PatientOf

| pno | dno | since |
| :--- | :--- | :--- |
| 1 | 2 | 2000 |
| 1 | 3 | 2003 |
| 2 | 1 | 2002 |
| 3 | 1 | 1985 |

Decomposition solves the problem, but need to be careful...

## Lossy Decomposition

Patient

| pno | name | zip |
| :--- | :--- | :--- |
| 1 | p1 | 98125 |
| 2 | p2 | 98112 |
| 3 | p1 | 98143 |

PatientOf

| name | dno | since |
| :--- | :--- | :--- |
| p1 | 2 | 2000 |
| p1 | 3 | 2003 |
| p2 | 1 | 2002 |
| p1 | 1 | 1985 |

Decomposition can cause us to lose information!

## Schema Refinement Challenges

- How do we know that we should decompose a relation?
- Functional dependencies
- Normal forms
- How do we make sure decomposition does not lose info?
- Lossless-join decompositions
- Dependency-preserving decompositions


## Outline

- Conceptual db design: entity-relationship model
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## Functional Dependency

- A functional dependency (FD) is an integrity constraint that generalizes the concept of a key
- An instance of relation R satisfies the FD: $\mathbf{X} \rightarrow \mathbf{Y}$
- if for every pair of tuples t 1 and t 2
- if $\mathrm{t} 1 . \mathrm{X}=\mathrm{t} 2 . \mathrm{X}$ then $\mathrm{t} 1 . \mathrm{Y}=\mathrm{t} 2 . \mathrm{Y}$
- where $\mathrm{X}, \mathrm{Y}$ are two nonempty sets of attributes in R
- We say that $\mathbf{X}$ determines $\mathbf{Y}$
- FDs come from domain knowledge


## FD Example

An FD holds, or does not hold on an instance:

| EmpID | Name | Phone | Position |
| :--- | :--- | :--- | :--- |
| E0045 | Smith | 1234 | Clerk |
| E3542 | Mike | 9876 | Salesrep |
| E1111 | Smith | 9876 | Salesrep |
| E9999 | Mary | 1234 | Lawyer |

EmpID $\rightarrow$ Name, Phone, Position
Position $\rightarrow$ Phone
but not Phone $\rightarrow$ Position

## FD Terminology

- FD's are constraints
- On some instances they hold
- On others they do not
- If every instance of R will be one in which a given FD will hold, then we say that $R$ satisfies the FD
- If we say that $R$ satisfies an FD $F$, we are stating a constraint on $R$
- FDs come from domain knowledge


## Decomposition Problems

- FDs will help us identify possible redundancy
- Identify redundancy and split relations to avoid it.
- Can we get the data back correctly ?
- Lossless-join decomposition
- Can we recover the FD's on the 'big' table from the FD's on the small tables?
- Dependency-preserving decomposition
- So that we can enforce all FDs without performing joins


## Outline

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## Normal Forms

- Based on Functional Dependencies
- 2nd Normal Form (obsolete)
- 3rd Normal Form
- Boyce Codd Normal Form (BCNF)
We only discuss these two
- Based on Multivalued Dependencies
- 4th Normal Form
- Based on Join Dependencies
- 5th Normal Form


## BCNF

A simple condition for removing anomalies from relations:
A relation $R$ is in BCNF if:
If $A_{1}, \ldots, A_{n} \rightarrow B$ is a non-trivial dependency in $R$, then $\left\{A_{1}, \ldots, A_{n}\right\}$ is a superkey for $R$

BCNF ensures that no redundancy can be detected using FD information alone

## Our Example

## PatientOf

| pno | name | zip | dno | since |
| :--- | :--- | :--- | :--- | :--- |
| 1 | p1 | 98125 | 2 | 2000 |
| 1 | p1 | 98125 | 3 | 2003 |
| 2 | p2 | 98112 | 1 | 2002 |
| 3 | p1 | 98143 | 1 | 1985 |

pno,dno is a key, but pno $\rightarrow$ name, zip BCNF violation so we decompose

## Decomposition in General



Theorem If $A_{1}, \ldots, A_{n} \rightarrow B_{1}, \ldots, B_{m}$ Then the decomposition is lossless

Note: don't necessarily need $A_{1}, \ldots, A_{n} \rightarrow C_{1}, \ldots, C_{p}$

## BCNF Decomposition Algorithm

## Repeat

choose $A_{1}, \ldots, A_{m} \rightarrow B_{1}, \ldots, B_{n}$ that violates $B C N F$ condition split R into

$$
R_{1}\left(A_{1}, \ldots, A_{m}, B_{1}, \ldots, B_{n}\right) \text { and } R_{2}\left(A_{1}, \ldots, A_{m},[\text { rest }]\right)
$$

continue with both R1 and R2
Until no more violations

Lossless-join decomposition: Attributes common to $\mathrm{R}_{1}$ and $R_{2}$ must contain a key for either $R_{1}$ or $R_{2}$

## BCNF and Dependencies

| Unit | Company | Product |
| :--- | :--- | :--- |
|  |  |  |

FD's: Unit $\rightarrow$ Company; Company, Product $\rightarrow$ Unit So, there is a BCNF violation, and we decompose.

## BCNF and Dependencies

| Unit | Company | Product |
| :--- | :--- | :--- |
|  |  |  |

FD's: Unit $\rightarrow$ Company; Company, Product $\rightarrow$ Unit So, there is a BCNF violation, and we decompose.

| Unit | Company |
| :---: | :---: |
|  |  |

Unit $\rightarrow$ Company

| Unit | Product |
| :---: | :---: |
|  |  |

No FDs

In BCNF we lose the FD: Company, Product $\rightarrow$ Unit

## 3NF

A simple condition for removing anomalies from relations:

A relation R is in 3rd normal form if :
Whenever there is a nontrivial dep. $A_{1}, A_{2}, \ldots, A_{n} \rightarrow B$ for $R$, then $\left\{A_{1}, A_{2}, \ldots, A_{n}\right\}$ is a super-key for $R$, or $B$ is part of a key.

## 3NF Discussion

- 3NF decomposition v.s. BCNF decomposition:
- Use same decomposition steps, for a while
- 3NF may stop decomposing, while BCNF continues
- Tradeoffs
- BCNF = no anomalies, but may lose some FDs
- 3NF = keeps all FDs, but may have some anomalies


## Summary

- Database design is not trivial
- Use ER models
- Translate ER models into relations
- Normalize to eliminate anomalies
- Normalization tradeoffs
- BCNF: no anomalies, but may lose some FDs
- 3NF: keeps all FDs, but may have anomalies
- Too many small tables affect performance

