# CSE544 <br> Data Management 

## Lectures 6-8 <br> Query Execution

## Announcements

- Review 2 due on Wednesday (Ch. 1\&2 only)
- Friday: both HW2 and project proposals due
- Next Friday: will meet with each team to discuss the project proposals


## Outline

- Architecture of a DBMS
- Steps involved in processing a query
- Main Memory Operators
- Storage
- External Memory Operators


## Architecture of DBMS



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## Warning: it will be confusing...

DBMS are monoliths: all components must work together and cannot be isolated

- Good news:
- Hole system has rich functionality and is efficient
- Bad news:
- Hard to discuss components in isolation
- Impossible to use components in isolation


## Multiple Processes



## Why Multiple Processes

- DBMS listens to requests from clients
- Each request = one SQL command
- Need to handle multiple requests concurrently, hence, multiple processes


## Process Models

- Process per DBMS worker
- Thread per DBMS worker
- Process pool

Discuss pro/cons for each model

## Outline

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## Query Optimization



## Lifecycle of a Query

SQL query
Parse \& Rewrite Query


## Example Database Schema

Supplier(sno,sname,scity,sstate)
Part(pno,pname,psize,pcolor)
Supply(sno,pno,price)
View: Suppliers in Seattle
CREATE VIEW NearbySupp AS
SELECT sno, sname
FROM Supplier
WHERE scity='Seattle' AND sstate='WA'

## Example Query

- Find the names of all suppliers in Seattle who supply part number 2


## SELECT sname FROM NearbySupp WHERE sno IN (SELECT sno

 FROM Supplies WHERE pno = 2 )
## Lifecycle of a Query (1)

- Step 0: admission control
- User connects to the db with username, password
- User sends query in text format
- Step 1: Query parsing
- Parses query into an internal format
- Performs various checks using catalog: Correctness, authorization, integrity constraints
- Step 2: Query rewrite
- View rewriting, flattening, decorrelation, etc.


## View Rewriting, Flattening

## Original query:

SELECT sname FROM NearbySupp<br>WHERE sno IN (SELECT sno FROM Supplies<br>WHERE pno = 2 )

View rewriting
= view inlining
= view expansion
Flattening
= unnesting

## View Rewriting, Flattening

## Original query:

SELECT sname<br>FROM NearbySupp<br>WHERE sno IN (SELECT sno FROM Supplies WHERE pno = 2 )

View rewriting
= view inlining
= view expansion
Flattening
= unnesting

## Rewritten query:

```
SELECT S.sname
FROM Supplier S, Supplies U
WHERE S.scity='Seattle' AND S.sstate='WA'
AND S.sno = U.sno
AND U.pno = 2;
```


## Decorrelation

SELECT Q.sno FROM Supplier Q<br>WHERE Q.sstate = 'WA' and not exists (SELECT *<br>FROM Supply P WHERE P.sno = Q.sno and P.price > 100)

## Decorrelation

## Decorrelation

```
SELECT Q.sno
FROM Supplier Q
WHERE Q.sstate = 'WA'
    and not exists
    (SELECT *
    FROM Supply P
    WHERE P.sno = Q.sno
        and P.price > 100)
```


## De-Correlation

SELECT Q.sno FROM Supplier Q WHERE Q.sstate = 'WA' and Q.sno not in<br>(SELECT P.sno<br>FROM Supply P<br>WHERE P.price > 100)

## Decorrelation

(SELECT Q.sno FROM Supplier Q WHERE Q.sstate = 'WA') EXCEPT (SELECT P.sno FROM Supply P WHERE P.price > 100)

## EXCEPT = set difference

## SELECT Q.sno FROM Supplier Q <br> WHERE Q.sstate = 'WA' and Q.sno not in <br> (SELECT P.sno <br> FROM Supply P <br> WHERE P.price > 100)

## Decorrelation

(SELECT Q.sno FROM Supplier Q WHERE Q.sstate = 'WA') EXCEPT (SELECT P.sno FROM Supply P WHERE P.price > 100)

Finally...


## Lifecycle of a Query (2)

- Step 3: Query optimization
- Find an efficient query plan for executing the query
- We will spend two lectures on this topic
- A query plan is
- Logical query plan: an extended relational algebra tree
- Physical query plan: with additional annotations at each node


## Relational Algebra Operators

- Union $\cup$, intersection $\cap$, difference
- Selection $\sigma$
- Projection $\pi$
- Cartesian product $\times$, join $\bowtie$
- (Rename $\rho$ )
- Duplicate elimination $\delta$
- Grouping and aggregation $\gamma$
- Sorting $\tau$


## Logical Query Plan

$\pi$ sname

$\square$
$\sigma$ sscity=‘Seattle' $\wedge$ sstate $=‘ W A^{\prime} \wedge$ pno=2


## Query Block

- Most optimizers operate on individual query blocks
- A query block is an SQL query with no nesting
- Exactly one
- SELECT clause
- FROM clause
- At most one
- WHERE clause
- GROUP BY clause
- HAVING clause


## Query Plan For A Block



## Physical Query Plan

(On the fly)
$\pi$ sname
(On the fly) $\sigma_{\text {sscity }}=‘$ Seattle' $\wedge$ sstate $=' W A ' \wedge$ pno $=2$

Suppliers
(File scan)
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(Nested loop)


Physical plan=

Algorithm

Logical plan

+ choice of algorithms
+ choice of access path

Supplies (Index lookup)

## Final Step in Query

## Processing

- Step 4: Query execution
- How to synchronize operators
- How to pass data between operators
- Standard approach:
- Iterator interface and
- Pipelined execution or
- Intermediate result materialization


## Outline

- Architecture of a DBMS
- Steps involved in processing a query
- Main Memory Operators
- Storage
- External Memory Operators


## Multiple Processes



## Physical Operators

- For each operator, several algorithms
- Main memory or external memory
- Examples:
- Main memory hash join
- External memory merge join
- External memory partitioned hash join
- Sort-based group by
- Hash-based group by


Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## Main Memory Algorithms

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

Three algorithms:

1. Nested Loops
2. Hash-join
3. Merge-join

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 1. Nested Loop Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

## for x in Supplier do for $y$ in Supply do if $x$.sid $=y$. sid then output $(x, y)$

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 1. Nested Loop Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

## for x in Supplier do for $y$ in Supply do if $x$.sid $=y . s i d$ then output( $x, y$ )

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 1. Nested Loop Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

## for x in Supplier do

 for $y$ in Supply do if x .sid $=\mathrm{y}$.sid then output( $x, y$ )If $|R|=|S|=n$,
what is the runtime?
$O\left(n^{2}\right)$

## BRIEF Review of Hash Tables Separate chaining:

A (naïve) hash function: 0
$h(x)=x \bmod 10$

Operations:
find $(103)=$ ?? insert(488) $=$ ??


## BRIEF Review of Hash Tables

- insert(k, v) = inserts a key $k$ with value $v$
- Many values for one key
- Hence, duplicate k's are OK
- find(k) = returns the list of all values $v$ associated to the key k

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 2. Hash Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

> for $x$ in Supplier do insert(x.sid, x)
> for y in Supply do
> $x=$ find( $\mathrm{y} . \mathrm{sid}$ ); output(x,y);

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 2. Hash Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

> for x in Supplier do insert(x.sid, x$)$

If $|R|=|S|=n$,
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for y in Supply do
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Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

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for y in Supply do $x=$ find( $\mathrm{y} . \mathrm{sid}$ ); output(x,y);

If $|R|=|S|=n$, what is the runtime?
$\mathrm{O}(\mathrm{n})$

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 2. Hash Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

## Change join order

for y in Supply do insert(y.sid, y)
for x in Supplier do ????

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 2. Hash Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

## Change join order

## for y in Supply do insert(y.sid, y)

for x in Supplier do
for $y$ in find(x.sid) do output(x,y);

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

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If $|\mathrm{R}|=|\mathrm{S}|=\mathrm{n}$, what is the runtime?
for $x$ in Supplier do
for $y$ in find(x.sid) do
$\mathrm{O}(\mathrm{n})$
But can be $\mathrm{O}\left(\mathrm{n}^{2}\right)$ why? output(x,y);

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 2. Hash Join

Why would we change the order?
Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

If $|R|=|S|=n$,
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for x in Supplier do
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Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 2. Hash Join

Why would we change the order?
Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply

## When |Supply| << |Supplier|

## for y in Supply do insert(y.sid, y)

If $|\mathrm{R}|=|\mathrm{S}|=\mathrm{n}$, what is the runtime?
for x in Supplier do
for $y$ in find(x.sid) do
$\mathrm{O}(\mathrm{n})$
But can be $\mathrm{O}\left(\mathrm{n}^{2}\right)$ why? output(x,y);

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 3. Merge Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply Sort(Supplier); Sort(Supply); x = Supplier.first();
y = Supply.first();

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## 3. Merge Join

Logical operator:
Supplier $\bowtie_{\text {sid=sid }}$ Supply
Sort(Supplier); Sort(Supply); x = Supplier.first();
y = Supply.first();
while y != NULL do
case:
x.sid < y.sid: ???
x.sid = y.sid: ???
x.sid > y.sid: ???

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

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y = Supply.first();
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$x . s i d=y . s i d: ? ? ?$
x.sid > y.sid: ???

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x.sid = y.sid: output(x,y); y = y.next(); x.sid > y.sid: ???

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

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x.sid = y.sid: output(x,y); y = y.next();
$x . \operatorname{sid}>y . s i d: y=y . n e x t() ;$

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

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If $|R|=|S|=n$,
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$O(n \log (n))$ $x . \operatorname{sid}=y . \operatorname{sid}: \operatorname{output}(x, y) ; y=y . n e x t() ;$ x.sid > y.sid: y = y.next();

## Main Memory Algorithms

- Join $\bowtie:$
- Nested loop join
- Hash join
- Merge join
- Selection $\sigma$


## Discuss in class

- "on-the-fly"
- Index-based selection (next lecture)
- Group by $\gamma$
- Hash-based
- Merge-based


## How Do We Combine Them?



## How Do We Combine Them?

The Iterator Interface

- open()
- next()

- close()

R

## Implementing Query Operators with the Iterator Interface

interface Operator \{

# Implementing Query Operators with the Iterator Interface 

```
interface Operator {
    // initializes operator state
    // and sets parameters
    void open (...);
```


## Implementing Query Operators with the Iterator Interface

```
interface Operator {
    // initializes operator state
// and sets parameters
void open (...);
// calls next() on its inputs
// processes an input tuple
// produces output tuple(s)
// returns null when done
Tuple next ();
```


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Tuple next ();
```

```
// cleans up (if any)
```

// cleans up (if any)
void close ();
void close ();
}

```

\title{
Implementing Query Operators with the Iterator Interface
}

Example "on the fly" selection operator
```

interface Operator {
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# Implementing Query Operators with the Iterator Interface 

Example "on the fly" selection operator

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    // initializes operator state
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    void open (...);
    // calls next() on its inputs
    // processes an input tuple
    // produces output tuple(s)
    // returns null when done
Tuple next ();
// cleans up (if any)
}
void close ();
        class Select implements Operator \{...
    void open (Predicate p,
                            Operator c) \{
        this.p = p; this.c = c; c.open();
        \}
    Tuple next () \{

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Tuple next ();
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void close ();

```
class Select implements Operator {...
    void open (Predicate p,
            Operator c) {
    this.p = p; this.c = c; c.open();
    }
    Tuple next () {
    boolean found = false;
    Tuple r = null;
    while (!found) {
        r = c.next();
        if (r == null) break;
        found = p(r);
    }
    return r;
    }

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Example "on the fly" selection operator
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interface Operator {
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    while (!found) {
        r = c.next();
        if (r == null) break;
        found = p(r);
    }
    return r;
}
void close () { c.close(); }
}
```


## Implementing Query Operators with the Iterator Interface

```
interface Operator {
```

    // initializes operator state
    // and sets parameters
    void open (...);
    // calls next() on its inputs
    // processes an input tuple
    // produces output tuple(s)
    // returns null when done
    Tuple next ();
    
## Query plan execution

```
Operator q = parse("SELECT ...");
```

q = optimize(q);
q.open();
while (true) \{
Tuple t = q.next();
if (t == null) break;
else printOnScreen(t);
\}
q.close();
// cleans up (if any)
void close ();

Supplier(sid, sname, scity, sstate) supply(sid, pno, quantity)Pipelining
(On the fly) $\Pi_{\text {sname }}$

Discuss: open/next/close for nested loop join
(On the fly $\phi_{\text {scity }}$ = Seattle' and sstate= 'WA' and pno=2
(Nested loop)


## Supplier <br> (File scan)

Supply
(File scan)

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(On the fly $\phi_{\text {scity }}$ 'seate, next()
(On the $l y \phi_{\text {scity }}=$ 'Seattle' and sstate= 'WA' and pno=2
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(On the fly $\phi_{\text {scity }}$ 'seattle' $n e x t($ )
(On the $1 \phi_{\text {scity }}=$ 'Seattle’ and sstate= 'WA' and pno=2
(Nested loop)

## Supplier <br> (File scan)



Supplier(sid, sname, scity, sstate) supply(sid, pno, quantity)Pipelining
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# Supplier <br> (File scan) 

Supply
(File scan)
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Supplier
(File scan)
next() next()
Supply
(File scan)

Supplier(sid, sname, scity, sstate) supply(sid, pno, quantity)Pipelining
(On the fly)

$\Pi_{\text {sname }}$

## Discuss hash-join in class

(On the fly $\phi_{\text {scity }}$ = 'Seattle' and sstate= 'WA' and pno=2
(Hash Join)


## Supplier <br> (File scan)

Supply
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(Hash Join)



Supply
(File scan)

Supplier(sid, sname, scity, sstate)
supply(sid, pno, Baloctked Execution
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(On the fly $\phi_{\text {scity }}$ = 'Seattle' and sstate= 'WA' and pno=2
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(Merge Join)


## Supplier <br> (File scan)

(File scan)

## Pipeline v.s. Blocking

- Pipeline
- A tuple moves all the way through up the query plan
- Advantages: speed
- Disadvantage: need all hash at the same time in memory
- Blocking
- The entire result of the subplan is computed (and stored to disk) before the first tuple is sent up the plan
- Advantage: saves memory
- Disadvantage: slower


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- Architecture of a DBMS
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- Storage
- External Memory Operators


## Multiple Processes



## The Mechanics of Disk

Mechanical characteristics:
Cylinder

- Rotation speed (5400RPM) Disk head
- Number of platters (1-30)
- Number of tracks (<=10000)
- Number of bytes/track(105)

Unit of read or write: disk block
Once in memory: page
Typically: 4k or 8k or 16k

## Student

## Data Storage

- DBMSs store data in files

| ID | fName | IName |
| :--- | :--- | :--- |
| 10 | Tom | Hanks |
| 20 | Amy | Hanks |
| $\ldots$ |  |  |

- Most common organization is row-wise storage
- On disk, a file is split into blocks
- Each block contains a set of tuples

| 10 | Tom | Hanks | block 1 |
| :---: | :---: | :---: | :---: |
| 20 | Amy | Hanks |  |
| 50 | $\ldots$ | $\ldots$ | block 2 |
| 200 | $\ldots$ |  |  |
| 220 |  |  | block 3 |
| 240 |  |  |  |
| 420 |  |  |  |
| 800 |  |  |  |

In the example, we have 4 blocks with 2 tuples each

## Disk Access Characteristics

- Disk latency
- Time between when command is issued and when data is in memory
- Equals = seek time + rotational latency
- Seek time = time for the head to reach cylinder
- $10 \mathrm{~ms}-40 \mathrm{~ms}$
- Rotational latency $=$ time for the sector to rotate
- Rotation time $=10 \mathrm{~ms}$
- Average latency $=10 \mathrm{~ms} / 2$
- Transfer time = typically $40 \mathrm{MB} / \mathrm{s}$

Basic factoid: disks always read/write an entire block at a time

## Buffer Management in a

 DBMSPage Requests from Higher Levels


- Data must be in RAM for DBMS to operate on it!
- Table of <frame\#, pageid> pairs is maintained


## Buffer Manager

Needs to decide on page replacement policy

- LRU
- Clock algorithm

Both work well in OS, but not always in DB
Enables the higher levels of the
DBMS to assume that the
needed data is in main memory.

## Arranging Pages on Disk

A disk is organized into blocks (a.k.a. pages)

- blocks on same track, followed by
- blocks on same cylinder, followed by
- blocks on adjacent cylinder

A file should (ideally) consists of sequential blocks on disk, to minimize seek and rotational delay.

For a sequential scan, pre-fetching several pages at a time is a big win!

## Issues

- Managing free blocks
- File Organization
- Represent the records inside a page
- Represent attributes inside the records


## Managing Free Blocks

- Linked list of free blocks
- Directory of pages
- Bit map


## File Organization

Linked list of pages:


## File Organization

Better: directory of pages


## File Organization

- Bit map: store compactly the free/full status of each page


## Records into a Page

Issues to consider

- 1 page $=$ fixed size (e.g. $8 K B$ )
- Records:
- Fixed length
- Variable length
- Record id = RID
- Typically RID = (PageID, SlotNumber)


## Records into a Page

Fixed-length records: packed representation
One page

## Rec 1 Rec 2 <br> Rec $N$

## Free space

## Problems?

## Records into a Page



Variable-length records

## Record Formats: Fixed Length

Product(pid, name, descr, maker)


Base address (B) Address $=B+L 1+L 2$

- Information about field types same for all records in a file; stored in system catalogs.
- Finding i'th field requires scan of record.
- Note the importance of schema information!


## Record Header

To schema
$\uparrow$, length


Need the header because:

- The schema may change
for a while new+old may coexist
- Records from different relations may coexist


Place the fixed fields first: F1
Then the variable length fields: F2, F3, F4
Null values take 2 bytes only
Sometimes they take 0 bytes (when at the end)

## BLOB

- Binary large objects
- Supported by modern database systems
- E.g. images, sounds, etc.
- Storage: attempt to cluster blocks together

CLOB = character large object

- Supports only restricted operations


## File Organizations

- Heap (random order) files: Suitable when typical access is a file scan retrieving all records.
- Sequential file (sorted): Best if records must be retrieved in some order, or by a `range’
- Indexe: Data structures to organize records via trees or hashing.


## Index

- An additional file, that allows fast access to records in the data file given a search key


## Index

- An additional file, that allows fast access to records in the data file given a search key
- The index contains (key, value) pairs:
- Key = an attribute value (e.g., student ID or name)
- Value = a pointer to the record OR the record itself


## Index

- An additional file, that allows fast access to records in the data file given a search key
- The index contains (key, value) pairs:
- Key = an attribute value (e.g., student ID or name)
- Value = a pointer to the record OR the record itself
- Could have many indexes for one table

Key = means here search key

## This

## Is Not A Key

## Different keys:

- Primary key - uniquely identifies a tuple
- Key of the sequential file - how the data file is sorted, if at all
- Index key - how the index is organized

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Student

## Example 1: Index on ID

| ID | fName | IName |
| :--- | :--- | :--- |
| 10 | Tom | Hanks |
| 20 | Amy | Hanks |
| ... |  |  |

Index Student_ID on Student.ID
Data File Student


| 10 | - |
| :---: | :---: |
| 20 | - |
| 50 | - |
| 200 | - |
| 220 |  |
| 240 |  |
| 420 |  |
| 800 |  |
| 950 |  |
| $\ldots$ |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |
|  |  |


| 10 | Tom | Hanks |
| :--- | :--- | :--- |
| 20 | Amy | Hanks |
| 50 | $\ldots$ | $\ldots$ |
| 200 | $\ldots$ |  |
| 220 |  |  |
| 240 |  |  |
| 420 |  |  |
| 800 |  |  |

## Index can be:

Dense = one entry per record Sparse = one entry per block

Student
Example 2:
Index on fName
Index Student_fName
on Student.fName
Data File Student


## Index Organization

- Hash table
- B+ trees - most common
- They are search trees, but they are not binary instead have higher fan-out
- Will discuss them briefly next
- Specialized indexes: bit maps, R-trees, inverted index; won't discuss


## B+ Tree Index by Example

$$
d=2
$$

Find the key 40


## Clustered vs Unclustered



Every table can have only one clustered and many unclustered indexes Why?

## Index Classification

- Clustered/unclustered
- Clustered = records close in index are close in data
- Option 1: Data inside data file is sorted on disk
- Option 2: Store data directly inside the index (no separate files)
- Unclustered = records close in index may be far in data


## Index Classification

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- Primary/secondary
- Meaning 1:
- Primary = is over attributes that include the primary key
- Secondary = otherwise
- Meaning 2: means the same as clustered/unclustered


## Index Classification

- Clustered/unclustered
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- Unclustered = records close in index may be far in data
- Primary/secondary
- Meaning 1:
- Primary $=$ is over attributes that include the primary key
- Secondary = otherwise
- Meaning 2: means the same as clustered/unclustered
- Organization B+ tree or Hash table


## Getting Practical: Creating Indexes in SQL

## CREATE TABLE $\mathrm{V}(\mathrm{M}$ int, N text, P int);

# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $V(M \operatorname{int}, \quad N$ text, $\quad P$ int $) ;$

CREATE INDEX V1 ON V(N)
CREATE INDEX V2 ON V(P, M)

# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $\mathrm{V}(\mathrm{M}$ int, N text, P int);

CREATE INDEX V1 ON V(N)

CREATE INDEX V2 ON V(P, TVI) What does this mean?

# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $V(\mathrm{M}$ int, N text, P int);

CREATE INDEX V1 ON V(N)<br>select * from V where $\mathrm{P}=55$ and $\mathrm{M}=77$

CREATE INDEX V2 ON V(P, TVI)

# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $\mathrm{V}(\mathrm{M}$ int, N text, P int);

# CREATE INDEX V1 ON V(N) <br> > select * from $V$ where $P=55$ and $M=77$ <br> <br> select * <br> <br> select * from V from V where $\mathrm{P}=55$ and $\mathrm{M}=77$ where $\mathrm{P}=55$ and $\mathrm{M}=77$ <br> What does this mean? 

CREATE INDEX V2 ON V (P, ivi)

```
select *
from V
where P=55
```


# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $V(\mathrm{M}$ int, N text, P int);

# CREATE INDEX V1 ON V(N) <br> > select * from $V$ where $P=55$ and $M=77$ <br> <br> select * <br> <br> select * from V from V where $\mathrm{P}=55$ and $\mathrm{M}=77$ where $\mathrm{P}=55$ and $\mathrm{M}=77$ <br> What does this mean? 

CREATE INDEX V2 ON V (P, TVI)

```
select *
from V
where P=55
```

select *
from V
where $\mathrm{M}=77$

# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $\mathrm{V}(\mathrm{M}$ int, N text, P int);

yes

## CREATE INDEX V1 ON V(N) <br> select * <br> from V <br> where $\mathrm{P}=55$ and $\mathrm{M}=77$ <br> What does this mean?

CREATE INDEX V2 ON V (P, ivi)

```
select *
from V
where \(\mathrm{P}=55\)
```

```
select *
from V
where M=77
```


# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $\mathrm{V}(\mathrm{M}$ int, N text, P int);

yes

CREATE INDEX V1 ON V(N)

```
select *
from V
where \(\mathrm{P}=55\) and \(\mathrm{M}=77\)
```

CREATE INDEX V2 ON V(P, ivi)
What does this mean?
select *
select *
from V
from V
where P=55
where P=55
select *
select *
from V
from V
where M=77
where M=77

# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $\mathrm{V}(\mathrm{M}$ int, N text, P int);

yes


# Getting Practical: Creating Indexes in SQL 

## CREATE TABLE $V(\mathrm{M}$ int, N text, P int);

yes

## CREATE INDEX V1 ON V(N)

select * from V where $\mathrm{P}=55$ and $\mathrm{M}=77$

CREATE INDEX V2 ON V (P, ivi)

## CREATE INDEX V3 ON V(M, N)

CREATE UNIQUE INDEX V4 ON V(N)
CREATE CLUSTERED INDEX V5 ON V(N)

```
select * from V where \(\mathrm{P}=55\)
```

yes

| select * |  |
| :--- | :--- |
| from $V$ | no |

where $\mathrm{M}=77$

## Which Indexes?

- How many indexes could we create?
- Which indexes should we create?


## Which Indexes?

- How many indexes could we create?
- Which indexes should we create?

This is called the Index Selection Problem
(not to be confused with the index selection operator!)

## Index Selection Problem 1

## V(M, N, P);

Your workload is this 100000 queries:

SELECT *<br>FROM V<br>WHERE $\mathrm{N}=$ ?

100 queries:
SELECT * FROM V WHERE $P=$ ?

## Index Selection Problem 1

## V(M, N, P);

Your workload is this

100000 queries:

SELECT * FROM V WHERE $\mathrm{N}=$ ?

100 queries:
SELECT * FROM V WHERE $P=$ ?

What indexes ?

## Index Selection Problem 1

## V(M, N, P);

Your workload is this

100000 queries:

SELECT * FROM V WHERE $\mathrm{N}=$ ?

100 queries:
SELECT * FROM V WHERE $P=$ ?
$A: V(N)$ and $V(P)$ (hash tables or B-trees)

## Index Selection Problem 2

## V(M, N, P);

Your workload is this

100000 queries: 100 queries:
SELECT *
FROM V
WHERE $P=$ ?

100000 queries:
INSERT INTO V
VALUES (?, ?, ?)

## What indexes?

## Index Selection Problem 2

## V(M, N, P);

Your workload is this 100000 queries: 100 queries: 100000 queries:
SELECT *
FROM V
WHERE $\mathrm{N}>$ ? and $\mathrm{N}<$ ?

SELECT *<br>FROM V<br>WHERE $P=$ ?

INSERT INTO V
VALUES (?, ?, ?)
$A$ : definitely $V(N)$ (must B-tree); unsure about $V(P)$

## Index Selection Problem 3

## V(M, N, P);

Your workload is this
100000 queries: 1000000 queries: 100000 queries:

SELECT *<br>FROM V<br>WHERE N=?

SELECT * FROM V<br>WHERE $\mathrm{N}=$ ? and $\mathrm{P}>$ ?

## What indexes ?

## Index Selection Problem 3

## V(M, N, P);

Your workload is this
100000 queries:1000000 queries: 100000 queries:

SELECT *<br>FROM V<br>WHERE N=?

SELECT *<br>FROM V<br>WHERE $\mathrm{N}=$ ? and $\mathrm{P}>$ ?

A: $V(N, P)$
How does this index differ from:

1. Two indexes $\mathrm{V}(\mathrm{N})$ and $\mathrm{V}(\mathrm{P})$ ?

CSE 544 2. An index $V(P, N)$ ?

## Index Selection Problem 4

## V(M, N, P);

Your workload is this

1000 queries:
SELECT *
FROM V
WHERE $\mathrm{N}>$ ? and $\mathrm{N}<$ ?

100000 queries:

SELECT * FROM V<br>WHERE $\mathrm{P}>$ ? and $\mathrm{P}<$ ?

## What indexes?

## Index Selection Problem 4

## V(M, N, P);

Your workload is this 1000 queries:

SELECT *<br>FROM V<br>WHERE $\mathrm{N}>$ ? and $\mathrm{N}<$ ?

100000 queries:

```
SELECT *
FROM V
WHERE P>? and P<?
```

$A: V(N)$ secondary, $V(P)$ primary index

## Two typical kinds of queries

## SELECT * <br> FROM Movie <br> WHERE year = ?

- Point queries
- Hash- or B+-tree index
- Clustered or not
- Range queries
- $\mathrm{B}^{+}$-tree index
- Clustered


## To Cluster or Not

Remember:

- Rule of thumb: Random reading 1-2\% of file $\approx$ sequential scan entire file;

Range queries benefit mostly from clustering because they may read more than 1-2\%


Percentage tuples retrieved


Percentage tuples retrieved


Percentage tuples retrieved


Percentage tuples retrieved

## Outline

- Architecture of a DBMS
- Steps involved in processing a query
- Main Memory Operators
- Storage
- External Memory Operators


## Architecture



## Cost Parameters

- In database systems the data is on disk
- Parameters:
$-B(R)=\#$ of blocks (i.e., pages) for relation $R$
$-T(R)=\#$ of tuples in relation $R$
$-V(R, a)=\#$ of distinct values of attribute $a$
- $M=$ \# pages available in main memory
- Cost = total number of I/Os
- Convention: writing the final result to disk is not included

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## Cost Parameters

Supplier(sid, sname, scity, sstate) Block size $=8 \mathrm{~KB}$

- B (Supplier) $=1,000,000$ blocks $=8 \mathrm{~GB}$
- T (Supplier) $=50,000,000$ records $\sim 50$ / block
- $V($ Supplier, sname) $=$
- $\mathrm{V}($ Supplier, scity $)=$
- V(Supplier, sstate) =

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## Cost Parameters

Supplier(sid, sname, scity, sstate) Block size $=8 \mathrm{~KB}$

- B (Supplier) $=1,000,000$ blocks
= 8GB
- T (Supplier) $=50,000,000$ records
- $V($ Supplier, sid $)=50,000,000$
~ 50 / block
why?

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## Cost Parameters

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- B (Supplier) $=1,000,000$ blocks
= 8GB
- T (Supplier) $=50,000,000$ records
- $V($ Supplier, sid $)=50,000,000$
- $\mathrm{V}($ Supplier, sname $)=40,000,000$
~ 50 / block
why?
meaning?

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## Cost Parameters

Supplier(sid, sname, scity, sstate) Block size $=8 \mathrm{~KB}$

- B (Supplier) $=1,000,000$ blocks
= 8GB
- T (Supplier) $=50,000,000$ records
- $V($ Supplier, sid $)=50,000,000$
- $\mathrm{V}($ Supplier, sname $)=40,000,000$
~ 50 / block
why?
meaning?
- $\mathrm{V}($ Supplier, scity $)=860$

Supplier(sid, sname, scity, sstate) Supply(sid, pno, quantity)

## Cost Parameters

Supplier(sid, sname, scity, sstate) Block size $=8 \mathrm{~KB}$

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= 8GB
- T (Supplier) $=50,000,000$ records
- $V($ Supplier, sid $)=50,000,000$
- $\mathrm{V}($ Supplier, sname $)=40,000,000$
~ 50 / block
why?
meaning?
- $\mathrm{V}($ Supplier, scity $)=860$
- $\mathrm{V}($ Supplier, sstate $)=50$
why?


## Cost Parameters

Supplier(sid, sname, scity, sstate) Block size $=8 \mathrm{~KB}$

- $B($ Supplier $)=1,000,000$ blocks
- $T$ (Supplier) $=50,000,000$ records
- $V($ Supplier, sid $)=50,000,000$
- $V($ Supplier, sname $)=40,000,000$
- $\mathrm{V}($ Supplier, scity $)=860$
- $\mathrm{V}($ Supplier, sstate $)=50$
- $M=10,000,000=80 G B$
= 8GB
~ 50 / block
why?
meaning?
why?
why so little?


## Index Based Selection

Selection on equality: $\quad \sigma_{a=v}(R)$
$V(R, a)=\#$ of distinct values of attribute $a$

Cost of index-based selection:

- Clustered index on a:
- Unclustered index on a:


## Index Based Selection

Selection on equality: $\quad \sigma_{a=v}(R)$
$\mathrm{V}(\mathrm{R}, \mathrm{a})=$ \# of distinct values of attribute a
Assumptions:

- Values are uniformly distributed
- Ignore the cost of reading the index (why?)

Cost of index-based selection:

- Clustered index on a:
- Unclustered index on a:


## Index Based Selection

Selection on equality: $\quad \sigma_{a=v}(R)$
$\mathrm{V}(\mathrm{R}, \mathrm{a})=$ \# of distinct values of attribute a
Assumptions:

- Values are uniformly distributed
- Ignore the cost of reading the index (why?)

Cost of index-based selection:

- Clustered index on a:

$$
\begin{aligned}
& \text { cost }=B(R) / V(R, a) \\
& \text { cost }=T(R) / V(R, a)
\end{aligned}
$$

- Unclustered index on a:


## Index Based Selection

- Example:

$$
\begin{aligned}
& \mathrm{B}(\mathrm{R})=2000 \\
& \mathrm{~T}(\mathrm{R})=100,000 \\
& \mathrm{~V}(\mathrm{R}, \mathrm{a})=20
\end{aligned}
$$

- Table scan (assuming $R$ is clustered)
- Index based selection
- If index is clustered:
- If index is unclustered:


## Index Based Selection

- Example:

$$
\begin{aligned}
& B(R)=2000 \\
& T(R)=100,000 \\
& V(R, a)=20
\end{aligned}
$$

- Table scan (assuming $R$ is clustered)
$-B(R)=2,000 \mathrm{I} / \mathrm{Os}$
- Index based selection
- If index is clustered:
- If index is unclustered:


## Index Based Selection

- Example:

$$
\begin{aligned}
& B(R)=2000 \\
& T(R)=100,000 \\
& V(R, a)=20
\end{aligned}
$$

- Table scan (assuming $R$ is clustered)
- $\mathrm{B}(\mathrm{R})=2,000 \mathrm{I} / \mathrm{Os}$
- Index based selection
- If index is clustered: $B(R) / V(R, a)=100 \mathrm{I} / \mathrm{Os}$
- If index is unclustered:


## Index Based Selection

- Example:

$$
\begin{aligned}
& B(R)=2000 \\
& T(R)=100,000 \\
& V(R, a)=20
\end{aligned}
$$

- Table scan (assuming $R$ is clustered)
- $\mathrm{B}(\mathrm{R})=2,000 \mathrm{I} / \mathrm{Os}$
- Index based selection
- If index is clustered: $B(R) / V(R, a)=100 \mathrm{I} / \mathrm{Os}$
- If index is unclustered: $T(R) / V(R, a)=5,000 \mathrm{I} / \mathrm{Os}$


## Index Based Selection

- Example:

$$
\begin{aligned}
& B(R)=2000 \\
& T(R)=100,000 \\
& V(R, a)=20
\end{aligned}
$$

- Table scan (assuming $R$ is clustered)


## The 2\% rule!

$-B(R)=2,000$ I/Os

- Index based selection
- If index is clustered: $B(R) / V(R, a)=1001 / O s$
- If index is unclustered: $T(R) / V(R, a)=5,000$ I/Os
- Lesson
- Don't build unclustered indexes when $\mathrm{V}(\mathrm{R}, \mathrm{a})$ is small !


## External Memory Joins

Recall standard main memory algorithms:

- Hash join
- Nested loop join
- Sort-merge join

Review in class

## Index Nested Loop Join

$R \bowtie S$

- Assume $S$ has an index on the join attribute
- Iterate over R, for each tuple fetch corresponding tuple(s) from $S$
- Cost:
- Assuming R is clustered
- If index on $S$ is clustered:
- If index on $S$ is unclustered:

$$
\begin{aligned}
& B(R)+T(R) B(S) / V(S, a) \\
& B(R)+T(R) T(S) / V(S, a)
\end{aligned}
$$

## One Pass Hash Join

Hash join: $R \bowtie S$

- Scan R, build buckets in main memory
- Then scan S, probe hash table to join
- Cost: $\mathrm{B}(\mathrm{R})+\mathrm{B}(\mathrm{S})$
- One pass algorithm when $B(R)<=M$


## Nested Loop Joins

- Tuple-based nested loop $R \bowtie S$
- $R$ is the outer relation, $S$ is the inner relation


## for each tuple $r$ in $R$ do

 for each tuple s in S do if $r$ and $s$ join then output $(r, s)$- Cost: $B(R)+T(R) B(S)$


## Page-at-a-time Refinement

for each page of tuples $r$ in $R$ do for each page of tuples $s$ in S do for all pairs of tuples
if $r$ and $s$ join then output $(r, s)$

- Cost: $B(R)+B(R) B(S)$


## Nested Loop Joins

- We can be much more clever
- How would you compute the join in the following cases? What is the cost?
$-B(R)=1000, B(S)=2, M=4$
$-B(R)=1000, B(S)=3, M=4$
$-B(R)=1000, B(S)=6, M=4$


## Nesternanolns

- Block Nested Loop Join
- Group of ( $\mathrm{M}-2$ ) pages of S is called a "block"
for each (M-2) pages ps of $S$ do for each page pr of $R$ do for each tuple s in ps
for each tuple $r$ in pr do
if $r$ and $s$ join then output $(r, s)$


## Nested Loop Joins



## Nested Loop Joins

Cost of block-based nested loop join

- Read S once:
- Outer loop runs $B(S) /(M-2)$ times, each iteration reads the entire $R$ : $\quad B(S) B(R) /(M-2)$
- Total cost:

$$
B(S)
$$

$B(S)+B(S) B(R) /(M-2)$

## Nested Loop Joins

Cost of block-based nested loop join

- Read S once:
$B(S)$

- Outer loop runs $B(S) /(M-2)$ times, each iteration reads the entire R :
- Total cost:
$B(S) B(R) /(M-2)$
$B(S)+B(S) B(R) /(M-2)$


## Nested Loop Joins

Cost of block-based nested loop join

- Read S once:

B(S)


- Outer loop runs $B(S) /(M-2)$ times, each iteration reads the entire $R$ : $\quad B(S) B(R) /(M-2)$
- Total cost:
$B(S)+B(S) B(R) /(M-2)$

Iterate over the smaller relation first!

## Sort-Merge Join

Sort-merge join: $R \bowtie S$

- Scan $R$ and sort in main memory
- Scan $S$ and sort in main memory
- Merge $R$ and $S$
- Cost:


## Sort-Merge Join

Sort-merge join: $R \bowtie S$

- Scan $R$ and sort in main memory
- Scan $S$ and sort in main memory
- Merge $R$ and $S$
- Cost: $B(R)+B(S)$


## Sort-Merge Join

Sort-merge join: $R \bowtie S$

- Scan $R$ and sort in main memory
- Scan $S$ and sort in main memory
- Merge $R$ and $S$
- Cost: $B(R)+B(S)$
- One pass algorithm when $B(S)+B(R)<=M$


## Product(name, department, quantity)

## Grouping

## $\gamma_{\text {department, sum(quantity) }}$ (Product)

## In class: describe a one-pass algorithms.

## Cost=?

## Two-Pass Algorithms

- When data is larger than main memory, need two or more passes
- Two key techniques
- Hashing
- Sorting


## Two Pass Algorithms Based on Hashing

- Idea: partition a relation R into buckets, on disk



## Two Pass Algorithms Based on Hashing

- Idea: partition a relation R into buckets, on disk



## Two Pass Algorithms Based on Hashing

- Idea: partition a relation R into buckets, on disk



## Two Pass Algorithms Based on Hashing

- Idea: partition a relation R into buckets, on disk



## Two Pass Algorithms Based on Hashing

- Idea: partition a relation R into buckets, on disk



## Two Pass Algorithms Based on Hashing

- Idea: partition a relation R into buckets, on disk



## Two Pass Algorithms Based on Hashing

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- Does each bucket fit in main memory ?
- Yes when: $B(R) / M \leq M$, i.e. $B(R) \leq M^{2}$


## Hash Based Algorithms for $\gamma$

- Recall: $\gamma(\mathrm{R})=$ grouping and aggregation
- Step 1. Partition R into buckets
- Step 2. Apply $\gamma$ to each bucket
- Cost: 3B(R)
- Assumption: $\mathrm{B}(\mathrm{R}) \leq \mathrm{M}^{2}$


## Partitioned (Grace) Hash Join

$R \bowtie S$

- Step 1:
- Hash S into M-1 buckets
- Send all buckets to disk
- Step 2
- Hash R into M-1 buckets
- Send all buckets to disk
- Step 3
- Join every pair of buckets


## Partitioned Hash Join R

$R \bowtie S$

- Partition both relations using hash fn h



## Partitioned Hash Join

## $R \bowtie S$

- Read in partition of S, hash it using h2 ( $\neq$ h)
- Scan same partition of $R$, search for matches



## Partitioned Hash Join

- Cost: 3B(R) + 3B(S)
- Assumption: $\min (B(R), B(S)) \leq M^{2}$


## Hybrid Hash Join Algorithm

- Assume we have extra memory available
- Partition S into k buckets
$t$ buckets $S_{1}, \ldots, S_{t}$ stay in memory
k-t buckets $S_{t+1}, \ldots, S_{k}$ to disk
- Partition R into k buckets
- First t buckets join immediately with S
- Rest k-t buckets go to disk
- Finally, join k-t pairs of buckets:

$$
\left(R_{t+1}, S_{t+1}\right),\left(R_{t+2}, S_{t+2}\right), \ldots,\left(R_{k}, S_{k}\right)
$$

## Hybrid Hash Join Algorithm

How to choose k and t ?

- The first t buckets must fin in $M$ : $t / k * B(S) \leq M$


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- Thus:
$t / k$ * $B(S)+k-t \leq M$


## Hybrid Hash Join Algorithm

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- The first t buckets must fin in $M$ : $\quad t / k * B(S) \leq M$
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- Thus:
$t / k$ * $B(S)+k-t \leq M$

Assuming $\mathrm{t} / \mathrm{k}$ * $\mathrm{B}(\mathrm{S}) \gg \mathrm{k}-\mathrm{t}$ :
$t / k=M / B(S)$

## Hybrid Hash Join Algorithm

- How many I/Os?
- Cost of partitioned hash join: $3 B(R)+3 B(S)$
- Hybrid join saves $2 \mathrm{I} / \mathrm{Os}$ for a $\mathrm{t} / \mathrm{k}$ fraction of buckets
- Hybrid join saves $2 t / k(B(R)+B(S)) \quad I / O s$

Cost: $(3-2 t / k)(B(R)+B(S))=(3-2 M / B(S))(B(R)+B(S))$

## External Sorting

- Problem: Sort a file of size B with memory M
- Where we need this:
- ORDER BY in SQL queries
- Several physical operators
- Bulk loading of B+-tree indexes.
- Will discuss only 2-pass sorting, for when $\mathrm{B} \leq \mathrm{M}^{2}$


## External Merge-Sort: Step 1

- Phase one: load M pages in memory, sort



## External Merge-Sort: Step 2

- Merge $\mathrm{M}-1$ runs into a new run
- Result: runs of length $M(M-1) \approx M^{2}$


Assuming $\mathrm{B} \leq \mathrm{M}^{2}$, we are done

## External Merge-Sort

- Cost:
- Read+write+read $=3 B(R)$
- Assumption: $B(R)<=M^{2}$
- Other considerations
- In general, a lot of optimizations are possible


## Two-Pass Algorithms Based on Sorting

Grouping: $\gamma_{\mathrm{a}, \operatorname{sum}(\mathrm{b})}(\mathrm{R})$

Sort, then compute the sum(b) for each group of a's

- Step 1: sort chunks of size M, write
- cost 2B(R)
- Step 2: merge M-1 runs, combining groups by addition
- cost $B(R)$
- Total cost: $3 B(R)$, Assumption: $B(R) \leq M^{2}$


## Two-Pass Algorithms Based on Sorting

Join $R \bowtie S$

- Start by creating initial runs of length $M$, for $R$ and $S$ :
- Cost: 2B(R)+2B(S)
- Merge (and join) $M_{1}$ runs from $R, M_{2}$ runs from $S$ :
- Cost: $\mathrm{B}(\mathrm{R})+\mathrm{B}(\mathrm{S})$
- Total cost: $3 \mathrm{~B}(\mathrm{R})+3 \mathrm{~B}(\mathrm{~S})$
- Assumption:
- $R$ has $M_{1}=B(R) / M$ runs, $S$ has $M_{2}=B(S) / M$ runs
- $\mathrm{M}_{1}+\mathrm{M}_{2} \leq \mathrm{M}$
- Hence: $B(R)+B(S) \leq M^{2}$


## Summary of External Join Algorithms

- Block Nested Loop Join: $B(R)+B(R) * B(S) / M$
- Hybrid Hash Join: (3-2M/B(S))(B(R) + B(S)) Assuming $\mathrm{t} k$ * $\mathrm{B}(\mathrm{S}) \gg \mathrm{k}$-t
- Sort-Merge Join: 3B(R)+3B(S) Assuming $B(R)+B(S) \leq M^{2}$
- Index Nested Loop Join: B(R) + T(R)B(S)/V(S,a) Assuming $R$ is clustered and $S$ has clustered index on a

