

# CSE 331

## SOFTWARE DESIGN & IMPLEMENTATION

### SYMBOLIC TESTING

Autumn 2011

## Testing

Simple program – what do we want to know about it?

Not a new question for us – let's consider it with white-box testing

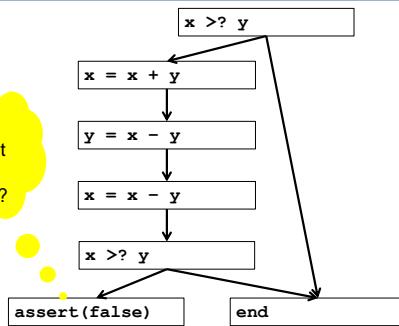
```
if (x > y) {
    x = x + y;
    y = x - y;
    x = x - y;
    if (x > y)
        assert(false)
}
```

Visser, Pasareanu & Mehltz

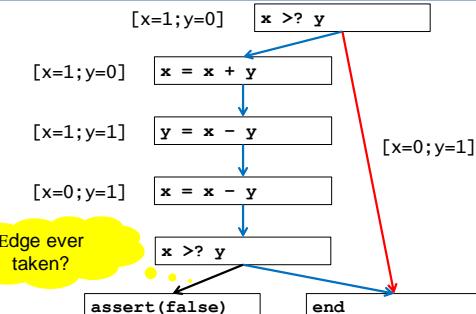
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## Control flow graph (CFG)

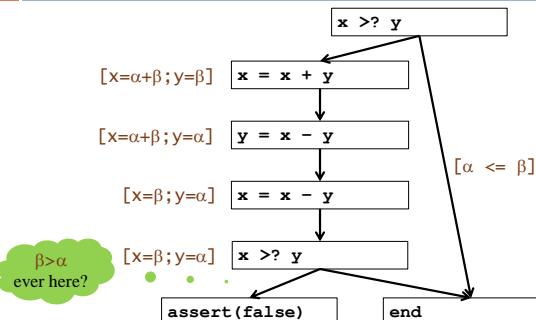
Can this statement ever be executed?



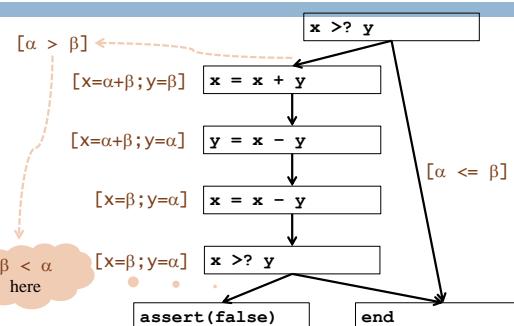
## Edge coverage



## Symbolic execution $[x=\alpha; y=\beta]$

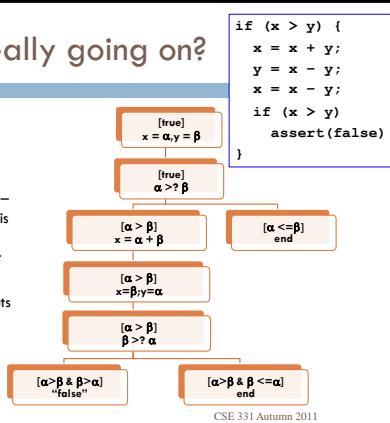


## Symbolic execution



## What's really going on?

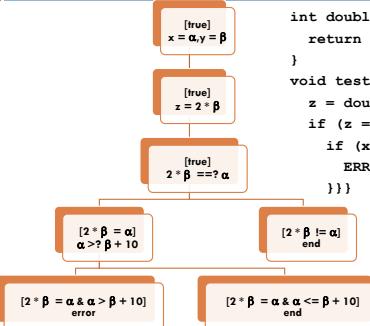
- 7 □ Create a symbolic execution tree
- Explicitly track path conditions
- Solve path conditions – “how do you get to this point in the execution tree?” – to define test inputs
- Goal: define test inputs that reach all reachable statements



## Another example (Sen and Agha)

```

int double (int v){\n    return 2*v;\n}\nvoid testme (int x, int y){\n    z = double (y);\n    if (z == x) {\n        if (x > y+10) {\n            ERROR;\n        }\n    }\n}
  
```



## Error: possible by solving equations

$$\begin{aligned}
 [2 * \beta = \alpha \& \alpha > \beta + 10] \\
 \equiv [2 * \beta > \beta + 10] \\
 \equiv [\beta > 10] \\
 \equiv [\beta > 10 \& 2 * \beta = \alpha]
 \end{aligned}$$

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## Way cool – we’re done!

- 9 □ First example can’t reach `assert(false)`, and it’s easy to reach `end` via both possible paths
- Second example: can reach `error` and `end` via both possible paths
- Well, what if we can’t solve the path conditions?
  - Some arithmetic, some recursion, some loops, some pointer expressions, etc.
  - We’ll see an example
- What if we want specific test cases?

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## Concolic testing: Sen et al.

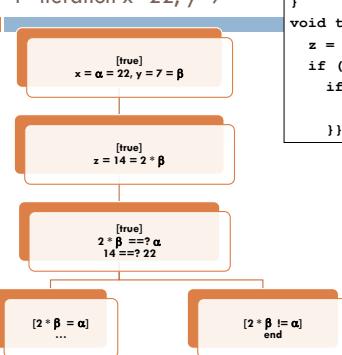
- 10 □ Basically, combine concrete and symbolic execution
- More precisely...
  - Generate a random concrete input
  - Execute the program on that input both concretely and symbolically simultaneously
  - Follow the concrete execution and maintain the path conditions along with the corresponding symbolic execution
  - Use the path conditions collected by this guided process to constrain the generation of inputs for the next iteration
  - Repeat until test inputs are produced to exercise all feasible paths

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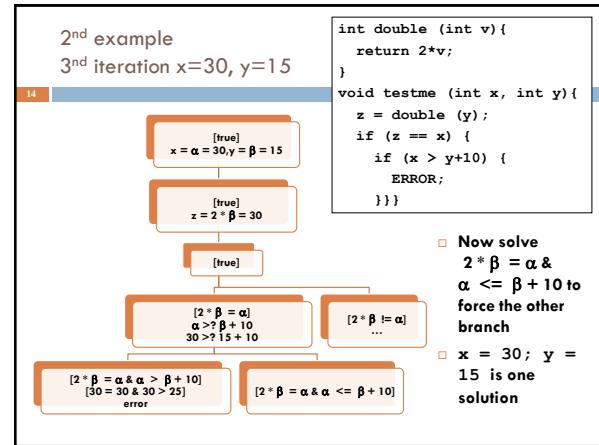
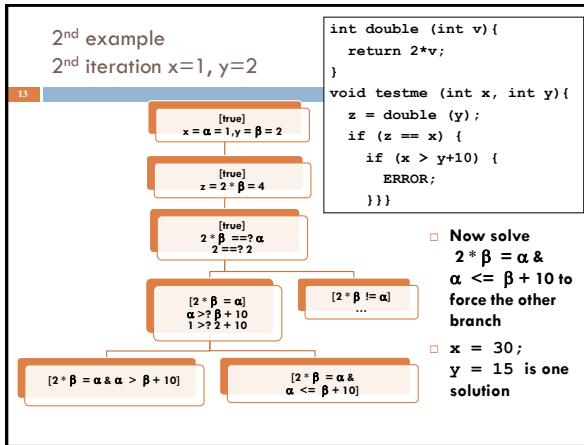
2<sup>nd</sup> example redux  
1<sup>st</sup> iteration x=22, y=7

```

int double (int v){\n    return 2*v;\n}\nvoid testme (int x, int y){\n    z = double (y);\n    if (z == x) {\n        if (x > y+10) {\n            ERROR;\n        }\n    }\n}
  
```



- Now solve  $2 * \beta = \alpha$  to force the other branch
- $x = 1; y = 2$  is one solution



### Three concrete test cases

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```

int double (int v){ return 2*v;}
void testme (int x, int y){
    z = double (y);
    if (z == x) {
        if (x > y+10) {
            ERROR;
        }
    }
}

```

x	y	
22	7	Takes first else
2	1	Takes first then and second else
30	15	Takes first and second then

### Concolic testing example

P. Sağlam

- Random seed  
 $x = -3; y = 7$
- Concrete  
 $z = 9$
- Symbolic  
 $z = x^3 + 3x^2 + 9$
- Take then branch with constraint  
 $x^3 + 3x^2 + 9 \neq y$
- Take else branch with constraint  
 $x^3 + 3x^2 + 9 = y$

```

void test_me(int x,int y){
    z = x*x*x + 3*x*x + 9;
    if(z != y){
        printf("Good branch");
    } else {
        printf("Bad branch");
        abort();
    }
}

```

### Concolic testing example

P. Sağlam

- Solving is hard for  
 $x^3 + 3x^2 + 9 = y$
- So use z's concrete value, which is currently 9, and continue concretely
- $9 \neq 7$  so then is good
- Symbolically solve  $9 = y$  for else clause
- Execute next run with  
 $x = -3; y = 9$   
so else is bad

```

void test_me(int x,int y){
    z = x*x*x + 3*x*x + 9;
    if(z != y){
        printf("Good branch");
    } else {
        printf("Bad branch");
        abort();
    }
}

```

- When symbolic expression becomes unmanageable (e.g., non-linear) replace it by concrete value

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### Concolic testing example

P. Sağlam

- Random memory graph reachable from p
- Random value for x
- Probability of reaching `abort()` is extremely low

```

typedef struct cell {
    int v;
    struct cell *next;
} cell;
int f(int v) {
    return 2*v + 1;
}
int testme(cell *p, int x) {
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}

```

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## Let's try it

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```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
int f(int v) {
    return 2*v + 1;
}
int testme(cell *p, int x)
{
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

Concrete	Symbolic	Constraints
p=NULL; x=236		

## Let's try it

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```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
int f(int v) {
    return 2*v + 1;
}
int testme(cell *p, int x)
{
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

Concrete	Symbolic	Constraints
p=[634, NULL]; x=236		

## Let's try it

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```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
int f(int v) {
    return 2*v + 1;
}
int testme(cell *p, int x)
{
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

Concrete	Symbolic	Constraints
 p=[3, p]; x=1		

## Let's try it

22

```
typedef struct cell {
    int v;
    struct cell *next;
} cell;
int f(int v) {
    return 2*v + 1;
}
int testme(cell *p, int x)
{
    if (x > 0)
        if (p != NULL)
            if (f(x) == p->v)
                if (p->next == p)
                    abort();
    return 0;
}
```

Concrete	Symbolic	Constraints

## Concolic: status

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- The jury is still out on concolic testing – but it surely has potential
- There are many papers on the general topic
- Here's one that is somewhat high-level Microsoft-oriented
  - Godefroid et al. [Automating Software Testing Using Program Analysis](#) IEEE Software (Sep/Oct 2008)
  - They tend to call the approach DART – Dynamic Automated Random Testing

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## Next steps

24	Worksheets

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