

CSE 351: Week 2

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Today

- Lab 1
 - refresher on binary and hexadecimal
 - tips and tricks
- Debugging with gdb
 - this will be useful for lab 2!

Binary Numbers

0 0 0 1 0 1 1 0

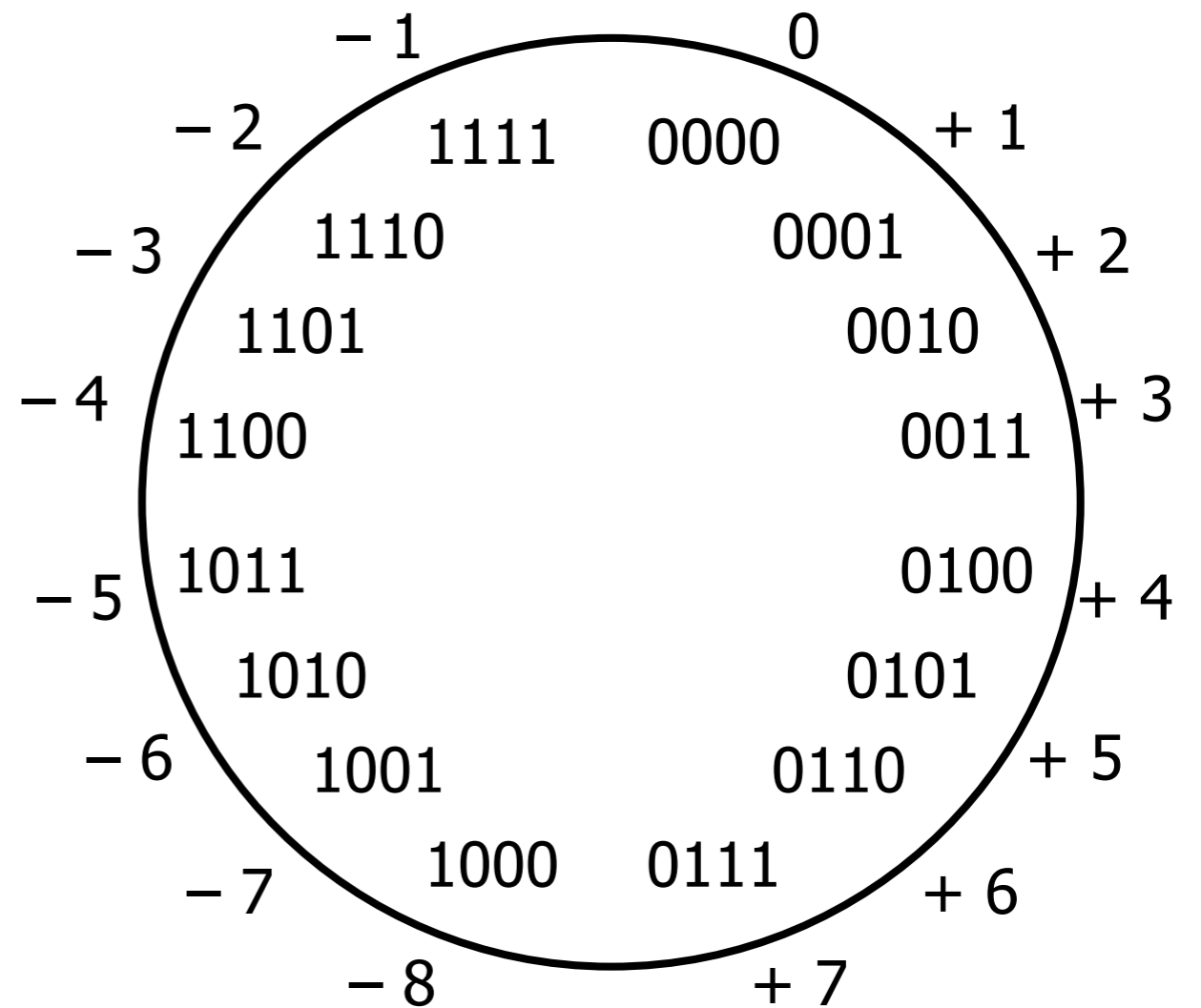
2^7 2^6 2^5 2^4 2^3 2^2 2^1 2^0

$$= 2^4 + 2^2 + 2^1$$

$$= 16 + 4 + 2$$

$$= 22$$

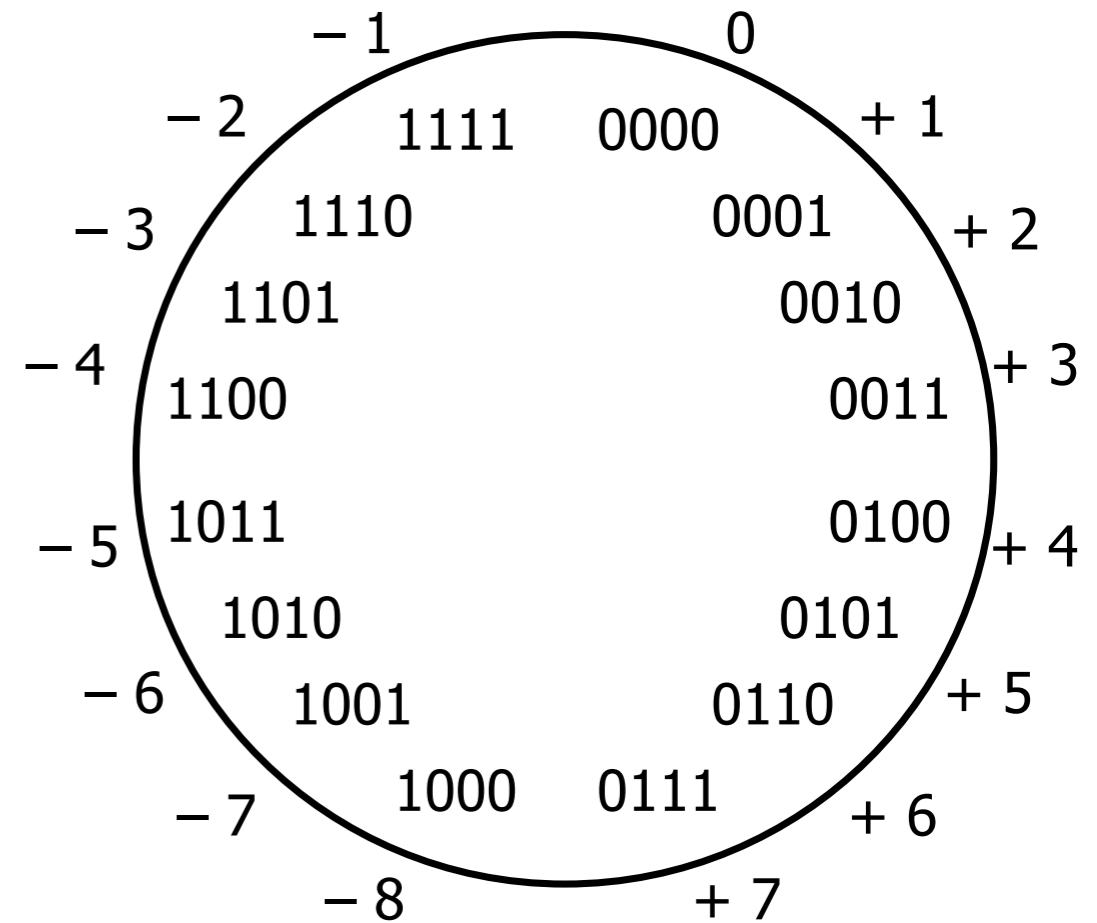
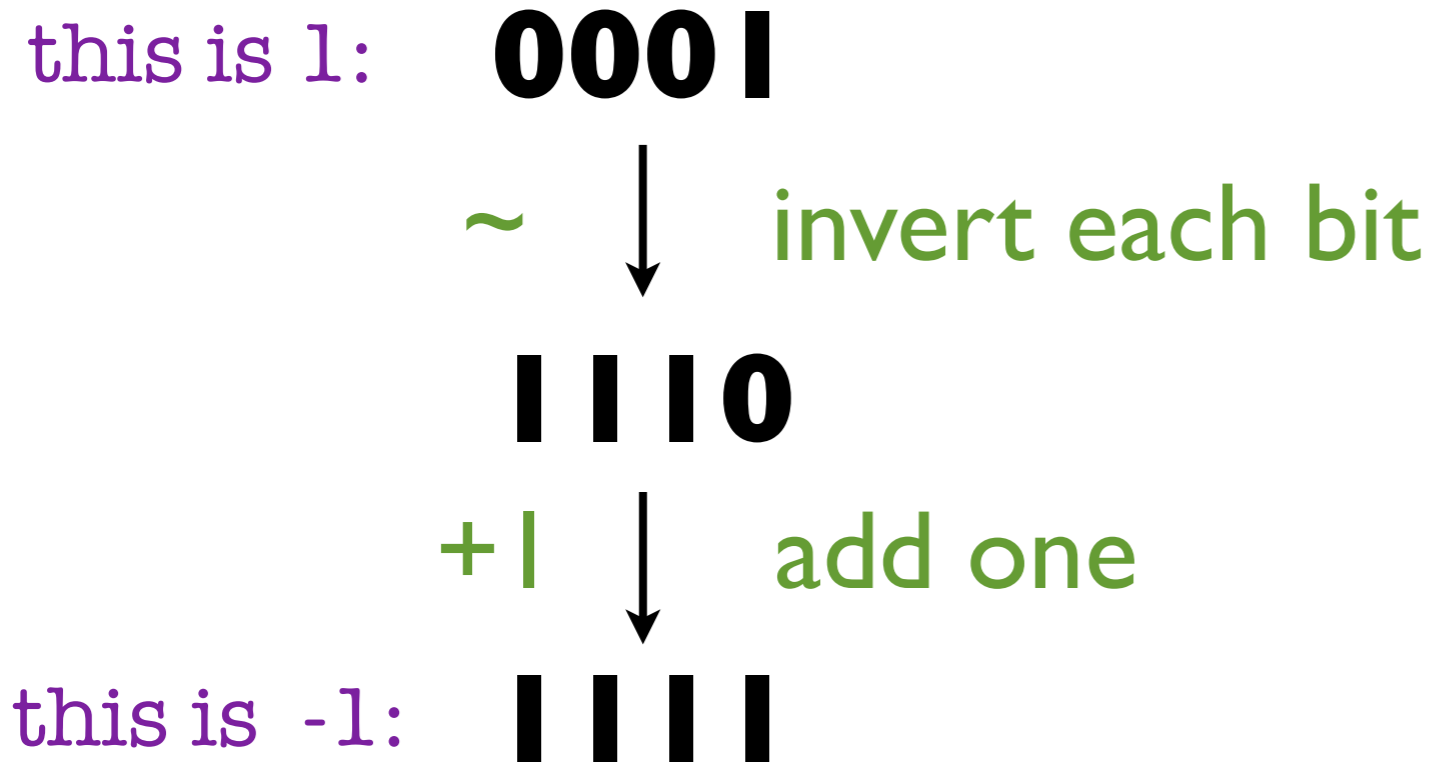
Two's Complement



(figure stolen from lecture slides)

Two's Complement

Computing negative one (-1):

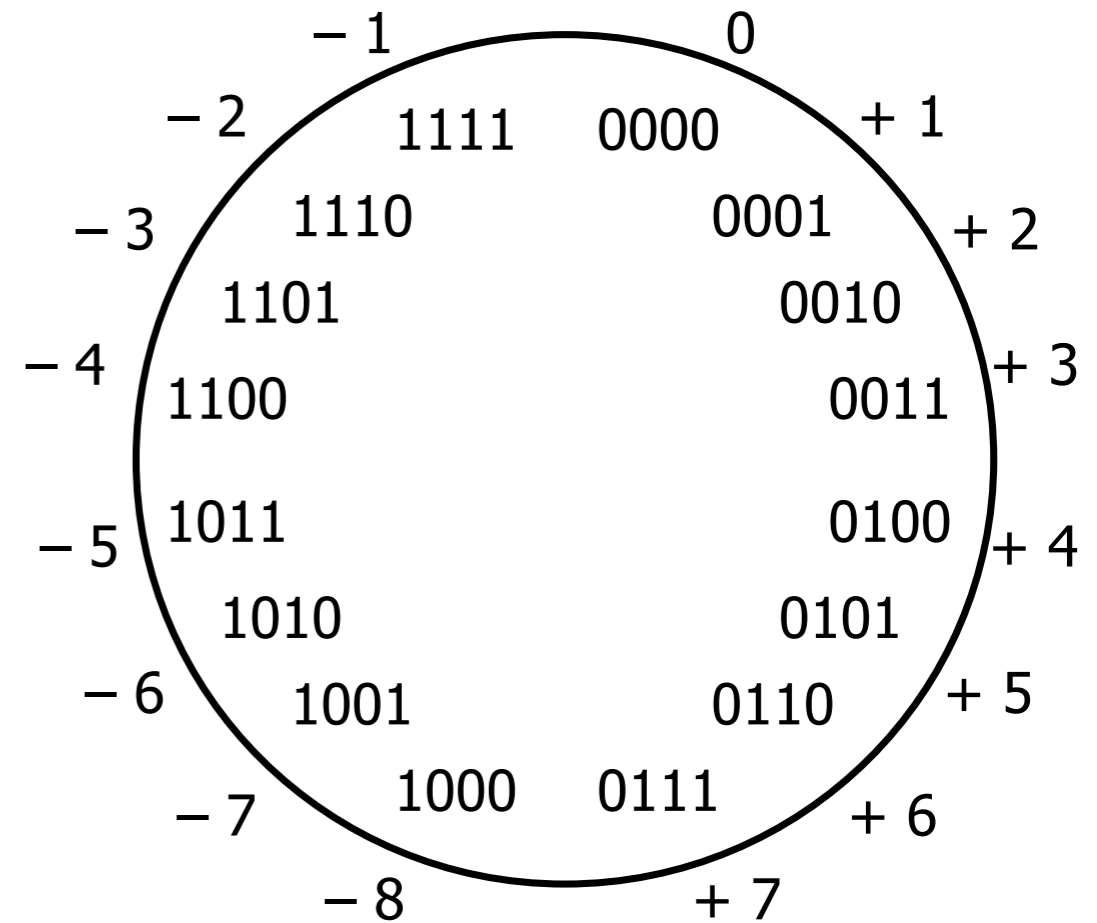


(figure stolen from lecture slides)

Two's Complement

How to negate a number:

```
// Negate x without using -  
int negate(int x) {  
    return (~x+1);  
}
```



(figure stolen from lecture slides)

Hexadecimal Numbers

0 0 0 4 B E E F

16^7 16^6 16^5 16^4 16^3 16^2 16^1 16^0

$$= 4 \cdot 16^4 + 11 \cdot 16^3 + 14 \cdot 16^2 + 14 \cdot 16^1 + 15 \cdot 16^0$$

$$= 311,023$$

Binary To Hexadecimal

1101 0110 = 0xD6

D 6

4-digit Binary to Hex

0 = 0000	8 = 1000
1 = 0001	9 = 1001
2 = 0010	A = 1010 (= 10)
3 = 0011	B = 1011 (= 11)
4 = 0100	C = 1100 (= 12)
5 = 0101	D = 1101 (= 13)
6 = 0110	E = 1110 (= 14)
7 = 0111	F = 1111 (= 15)

This is really easy! 😊

Lab 1 Hints: The ! operator

!x means “not x”

- As in, “*x is not true*”

In C:

- 0 becomes 1

- everything else becomes 0

Examples:

!0 = 1

!1 = 0

!42 = 0

!99 = 0

Lab 1 Hints: The ! operator

A trick in C:

- Say you want to return 1 if x is positive, and otherwise 0
- Double-! does that:

!!0 = 0

!!1 = 1

!!42 = 1

!!99 = 1

Lab I Hints

Use DeMorgan's Laws

$$\!(A \ \& \ B) = \!A \ | \ \!B$$

$$\!(A \ | \ B) = \!A \ \& \ \!B$$

What does 2^n look like?

all zeros except for one bit: 0000010000000

computing 2^n : `1 << n`

What does $2^n - 1$ look like?

all zeros then all ones: 0000001111111111

Lab 1 Hints

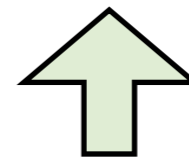
Do the easy problems first

`isZero()`, `getBytes()`

Decompose into an easier problem

```
example: isMinusOne(x) {  
    return isZero(x + 1);  
}
```

```
example: isOne(x) {  
    return isZero(x + (~1+1));  
or: return isZero(x ^ 1);  
or: return isZero(x >> 1) & !isZero(x);  
}
```

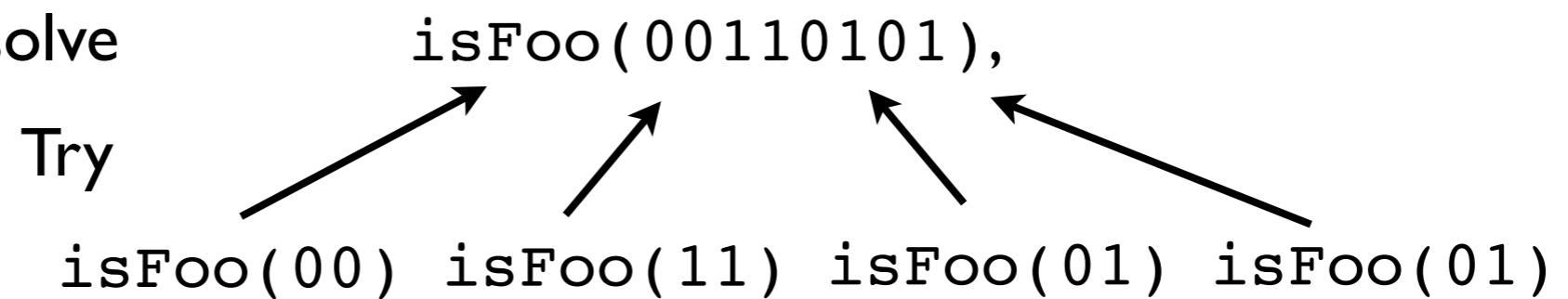


use subroutines like this while
you're figuring out the problem

Lab I Hints

Decompose into groups of bits

example: To solve



Lab 1 Hints

Take advantage of overflow/wraparound

Example: this is a big positive number **0x7FFFFFFF**
01111111...1111

what happens when you add two of them?

it *overflows* to a negative number

0x7FFFFFFF
+ 0x7FFFFFFF

0xFFFFFFFFE (this is -2)

Today

- ~~Lab 1 tips~~
- Debugging with gdb
 - this will be very useful for lab 2!

Demo

gdb cheat sheet

`help cmd`

get help about command “cmd”

`run x y z`

run the program with command line arguments x, y, and z

`Ctrl-c`

stop a program (e.g., in an infinite loop)

`backtrace`

print a stack backtrace

`break foo`

add a breakpoint at function foo

- will stop the program when function foo is called

`break foo.c:24`

add a breakpoint at line 24 of file foo.c

- will stop the program when it reaches line 24 of foo

`next`

execute one statement, then stop

`step`

execute one statement, then stop

next and *step* treat function calls differently:

- *next* executes the entire function and then stops at the statement after the call
- *step* “steps into” the function, so it stops at the first statement inside the function

`gdb` cheat sheet

```
print x
```

print variable `x`

```
print x+2
```

print expression `(x+2)`

```
call foo(x)
```

call `foo` with argument `x` and print the return value

```
x /4b 0xbeef
```

print the first four bytes of memory at address `0xbeef`

```
x /4b &first
```

print the first four bytes of memory at the address `(&first)`

```
x /1w &first
```

print to first word of memory at the address `(&first)`

- same as previous, except prints as one 32-bit number instead of four 8-bit numbers

```
watch x
```

add a watchpoint on `x`

- will stop the program when `x` changes