$\qquad$ Sample Solution

## Do Not Open The Test Until Told To Do So




FLOATING POINT INSTRUCTION FORMATS

| FR | opcode | fmt | ft | fs |  | fd |  | funct |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 2625 |  | 2120 | 1615 | 1110 |  | 65 | 0 |
| FI | opcode | fint | ft |  |  | me |  |  |


| PSEUDO INSTRUCTION SET |  |  |
| :---: | :---: | :---: |
| NAME | MNEMONIC | OPERATION |
| Branch Less Than | blt | if( $\mathrm{R}[\mathrm{rs}]<\mathrm{R}[\mathrm{rt}]) \mathrm{PC}=$ Label |
| Branch Greater Than | bgt | if $(\mathrm{R}[\mathrm{rs}]>\mathrm{R}[\mathrm{rt}]) \mathrm{PC}=$ Label |
| Branch Less Than or Equal | ble | if( $\mathrm{R}[\mathrm{rs}]<=\mathrm{R}[\mathrm{rt}]) \mathrm{PC}=$ Label |
| Branch Greater Than or Equal | bge | if $(\mathrm{R}[\mathrm{rs}]>=\mathrm{R}[\mathrm{rt}]) \mathrm{PC}=$ Label |
| Load Immediate | 1 i | $\mathrm{R}[\mathrm{rd}]=$ immediate |
| Move | move | $\mathrm{R}[\mathrm{rd}]=\mathrm{R}[\mathrm{rs}]$ |

## REGISTER NAME, NUMBER, USE, CALL CONVENTION

| NAME | NUMBER | USE | PRESERVEDACROSS <br> A CALL? |
| :---: | :---: | :---: | :---: |
| \$zero | 0 | The Constant Value 0 | N.A. |
| \$at | 1 | Assembler Temporary | No |
| \$v0-\$v1 | 2-3 | Values for Function Results and Expression Evaluation | No |
| \$a0-\$a3 | 4-7 | Arguments | No |
| \$t0-\$t7 | 8-15 | Temporaries | No |
| \$s0-\$s7 | 16-23 | Saved Temporaries | Yes |
| \$t8-\$t9 | 24-25 | Temporaries | No |
| \$k0-\$k1 | 26-27 | Reserved for OS Kernel | No |
| \$gp | 28 | Global Pointer | Yes |
| \$sp | 29 | Stack Pointer | Yes |
| \$fp | 30 | Frame Pointer | Yes |
| \$ra | 31 | Return Address | Yes |

[^0]This is closed book, closed notes, closed calculator and closed neighbor.

1. $\left[\begin{array}{lllllll}3 & \text { points] If } x= & 0011 & 1010 & 1010 & 1001 & 0101\end{array} 0011 \quad 1011 \quad 1100\right.$ what is $-x$ in binary?
```
1100}00101 0101 0110 1010 1100 0100 0100
```

2. [3 points] Covert the hexadecimal number 3D2AE1F7 to binary representation.
```
0011}11101 0010 1010 1110 0001 1111 0111
```

3. [3 points] MIPS calling conventions reserves registers for passing arguments to a function. Give their names: $\qquad$ _\$a0, \$a3 $\qquad$
4. [5 points] Write MIPS assembly code to put $0 \times 1234 \mathrm{ABCD}$ into register $\$ 1$.
```
lui $1, 0x1234
ori $1, $1, 0xABCD
```

5. [4 points] With a beq instruction it is possible to branch to addresses in what range?

$$
(\mathrm{PC}+4) \pm 2^{17} \quad(\text { Of course we will only branch to the ones that are }
$$ aligned on a 4-byte boundary, but this is the range of addresses.)

5. [5 points] Using the "green card", translate the following machine code into MIPS code - be sure to include the correct register names, addresses, immediate values, etc. represented in the order they would appear in the MIPS instruction.
(Hint: mark the boundaries between the instruction's fields.)
```
10101101 10101001 0000 0000 0011 0010
    sw $9, 50($13) or sw $t1, 50($t5)
```

6. [5 points] MIPS hardware does not directly implement the pseudo-instruction:
bge \$7, \$8, location
but rather the assembler generates appropriate real instructions that implement this behavior. Show the kind of MIPS code it might create for this instruction.
```
slt $at, $7, $8 or slt $1, $7, $8
beq $at, $zero, location beq $1, $0, location
```

7. [7 points total] a) Suppose that $\$ t 0$ holds the base address of an array of integers, A. Give MIPS code that loads the value of A [5] into register $\$$ t 2. (Hint: You can do this in one instruction.)

1w $\$ t 2,20(\$ t 0)$
b) Suppose that $\$ t 0$ holds the base address of an array of integers, $A$, and $\$ t 1$ holds the current value of an integer, $n$. Give MIPS code that loads the value of $\mathrm{A}[\mathrm{n}]$ into register $\$ \mathrm{t} 2$.

```
sll $t1, $t1, 2 # mult n by 4
add $t3, $t0, $t1 # add to base address of array A
lw $t2, O($t3) # load A[n] into reg $t2
```

8. [ 5 points] Function A calls function B. Function B calls function C. Function A cares about the values it has stored in registers $\$ \mathrm{~s} 0$ and $\$ \mathrm{~s} 1$. Function B does not use registers $\$ \mathrm{~s} 0$ and $\$ \mathrm{~s} 1$. Function C does use registers $\$ \mathrm{~s} 0$ and $\$ \mathrm{~s} 1$.
a. Who, if anyone should save registers $\$ \mathrm{~s} 0$ and $\$ \mathrm{~s} 1$ ?

Function $C$ (but also function $A$ would have had to save them at the beginning of function $\mathbf{A}$ - before putting values in them)
b. Who, if anyone should restore registers $\$ \mathrm{~s} 0$ and $\$ \mathrm{~s} 1$ ?

Function C (but also function A would have had to restore them at the end of function A )
c. If someone were going to save registers $\$ \mathrm{~s} 0$ and $\$ \mathrm{~s} 1$, where should they save them?

On the stack.
\{Note: It was o.k. to only say Function C, or to say A and C. Any function that uses \$s0 or \$s1 is responsible for saving them on the stack (at the beginning of the function) and restoring them (at the end of the function).\}
9. [25 points] Write a MIPS function that finds the two largest values in the array int $A[n]$. Assume $\$ a 0$ contains the address of $A$, and $\$ a 1$ contains $n$, the number of elements in array A. You should place the largest value in $\$ v 0$ and the second largest in $\$ v 1$. You may use pseudo instructions for this question.

```
# Register usage:
# $v0 largest value
# $v1 second largest value
# $t0 loop counter i
# $t1 temp for A[i] address calculation
# $t2 A[i]
#
# Note: Assumes n >= 1
#
find_largest:
    lw $v0, O($aO) # vO holds largest value
    lw $v1, O($a0) # v0 holds second largest value
    move $t0, $zero # t0 is the loop counter, i
loop:
    bge $t0, $a1, exit_largest # loop while i < n
    sll $t1, $t0, 2 # t1 <- i * 4
    add $t1, $t1, $a0 # t1 <- address of A[i]
    lw $t2, 0($t1) # t2 <- A[i]
    add $t0, $t0, 1 # increment i
    bgt $t2, $v0, largest # found new largest
    bgt $t2, $v1, sec_largest # found new 2nd largest
    j loop # otherwise return to top of loop
largest:
    move $v1, $v0 # old largest becomes new 2nd largest
    move $v0, $t2 # update new largest value
    j loop
sec_largest:
    move $v1, $t2 # update new 2nd largest value
    j loop
exit_largest:
    jr $ra # return to caller
```

Notes: This solution handles negative values in the array although it was o.k. if you did not. In some cases, I overlooked other minor errors if you went to the trouble to handle negative values in the array or other error handling (e.g. size of the array).
10. [7 points] In the diagram below, highlight in color those portions of the circuit that are active when computing the address for a branch instruction. (Note, other portions will be active in this single cycle implementation; mark only those portions that contribute to the address calculation, including control.)

[PC-> $1^{\text {st }}$ Adder, $1^{\text {st }}$ Adder to $2^{\text {nd }}$ Adder, [15-0] -> sign extend -> shift left 2 -> $2^{\text {nd }}$ adder]
11. [3 points] Give the control lines (but not their settings) that need to be used to implement the whole branch instruction above. PCSrc, ALUOp, ALUSrc
12. [7 points] In the accompanying diagram mark in color those portions of the circuit active during the second cycle of our multicycle processor design.

[Reading Registers (inputs to reg file and outputs to A and B) and calculating Branch address (sign extend and shift immediate field, add to PC)] ALUSrcA and ALUSrcB, as well as ALUOp would be set.



SIZE PREFIXES ( $\mathbf{1 0}^{\mathrm{x}}$ for Disk, Communication; $\mathbf{2}^{\mathrm{x}}$ for Memory)

| SIZE | PREFIX | SIZE | PRE- | SIZE | $\begin{aligned} & \text { PRE- } \\ & \text { FIX } \end{aligned}$ | SIZE | $\begin{aligned} & \text { PRE- } \\ & \text { FIX } \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $10^{3}, 2^{10}$ | Kilo- | $10^{15}, 2^{50}$ | Peta- | $10^{-3}$ | milli- | $10^{-15}$ | femto- |
| $10^{6}, 2^{20}$ | Mega- | $10^{18}, 2^{60}$ | Exa- | $10^{-6}$ | micro- | $10^{-18}$ | atto- |
| $10^{9}, 2^{30}$ | Giga- | $10^{21}, 2^{70}$ | Zetta- | $10^{-9}$ | nano- | $10^{-21}$ | zepto- |
| $10^{12}, 2^{40}$ | Tera- | $10^{24}, 2^{80}$ | Yotta- | $10^{-12}$ | pico- | $10^{-24}$ | yocto- |


[^0]:    Copyright 2007 by Elsevier, Inc., All rights reserved. From Patterson and Hennessy, Computer Organization and Design, 3rd ed. revised

