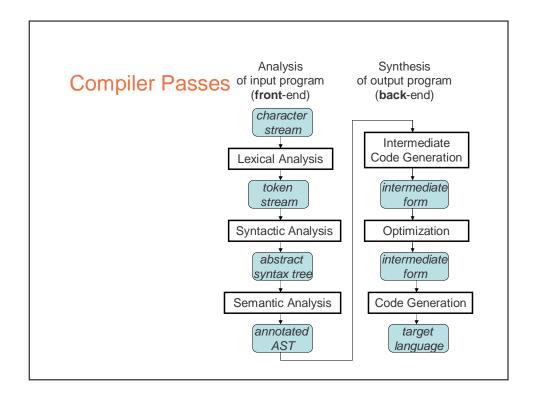
Lexical Analysis

Lexical analysis is the first phase of compilation: The file is converted from ASCII to tokens. It must be fast!



Lexical Pass/Scanning

Purpose: Turn the character stream (program input) into a **token** stream

- Token: a group of characters forming a basic, atomic unit of syntax, such as a identifier, number, etc.
- White space: characters between tokens that is ignored

Why separate lexical / syntactic analysis

Separation of concerns / good design

- scanner:
 - handle grouping chars into tokens
 - ignore white space
 - handle I/O, machine dependencies
- parser:
 - handle grouping tokens into syntax trees

Restricted nature of scanning allows faster implementation

- scanning is time-consuming in many compilers

Complications to Scanning

- Most languages today are free form
 - Layout doesn't matter
 - White space separates tokens
- ...loop code...
 10 continue

do 10 i = 1,100

- Alternatives
 - Fortran -- line oriented
 - Haskell -- indentation and layout can imply grouping
- Separating scanning from parsing is standard
- Alternative: C/C++/Java: type vs identifier
 - Parser wants scanner to distinguish between names that are types and names that are variables
 - Scanner doesn't know how things are declared ... done in semantic analysis, a\k\a type checking

Lexemes, tokens, patterns

Lexeme: group of characters that forms a pattern

Token: class of lexemes matching a pattern

Token may have attributes if more than one lexeme is a token

Pattern: typically defined using regular expressions

 REs are the simplest class that's powerful enough for this purpose

Languages and Language Specification

Alphabet: finite set of characters and symbols

String: a finite (possibly empty) sequence of characters

from an alphabet

Language: a (possibly empty or infinite) set of strings

Grammar: a finite specification for a set of strings

Language Automaton: an abstract machine accepting

a set of strings and rejecting all others

A language can be specified by many different grammars and automata

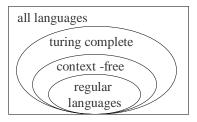
A grammar or automaton specifies a single language

Classes of Languages

Regular languages specified by regular expressions/grammars & finite automata (FSAs)

Context-free languages specified by context-free grammars and pushdown automata (PDAs)

Turing-computable languages are specified by general grammars and Turing machines



Syntax of Regular Expressions

- Defined inductively
 - Base cases
 - Empty string (ε, \in)
 - Symbol from the alphabet (e.g. x)
 - Inductive cases
 - Concatenation (sequence of two REs) : E_1E_2
 - Alternation (choice of two REs): $E_1 \mid E_2$
 - Kleene closure (0 or more repetitions of RE): E*
- Notes
 - Use parentheses for grouping
 - Precedence: * is highest, then concatenate, | is lowest
 - White space not significant

Notational Conveniences

- E⁺ means 1 or more occurrences of E
- Ek means exactly k occurrences of E
- [E] means 0 or 1 occurrences of E
- {*E*} means *E**
- not(x) means any character in alphabet by x
- not(E) means any strings from alphabet except those in E
- E₁-E₂ means any string matching E₁ that's not in E₂
- There is no additional expressive power here

Naming Regular Expressions

Can assign names to regular expressions Can use the names in regular expressions Example:

```
letter ::= a \mid b \mid \dots \mid z
digit ::= 0 \mid 1 \mid \dots \mid 9
alphanum ::= letter \mid num
```

Grammar-like notation for regular expression is a regular grammar

Can reduce named REs to plain REs by "macro expansion"

No recursive definitions allowed as in normal context-free

Using REs to Specify Tokens

```
Identifiers
   ident ::= letter ( digit | letter)*
Integer constants
   integer ::= digit*
   sign ::= + | -
   signed_int ::= [sign] integer

Real numbers
   real ::= signed_int [fraction] [exponent]
   fraction ::= . digit*
   exponent ::= (E | e) signed_int
```

More Tokens

String and character constants

Meta-Rules

Can define a rule that a legal program is a sequence of tokens and white space:

```
program ::= (token | whitespace)*
token ::= ident | integer | real | string | ...
```

But this doesn't say how to uniquely breakup a program into its tokens -- it's highly ambiguous

E.G. what tokens to make out of hi2bob

One identifier, hi2bob?
Three tokes hi 2 bob?

Six tokens, each one character long?

The grammar states that it's legal, but not how to decide Apply extra rules to say how to break up a string

Longest sequence wins

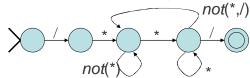
RE Specification of initial MiniJava Lex

Building Scanners with REs

- Convert RE specification into a finite state automaton (FSA)
- Convert FSA into a scanner implementation
 - By hand into a collection of procedures
 - Mechanically into a table-driven scanner

Finite State Automata

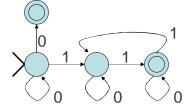
- A Finite State Automaton has
 - A set of states
 - · One marked initial
 - Some marked final
 - A set of transitions from state to state
 - Each labeled with an alphabet symbol or $\boldsymbol{\epsilon}$



- Operate by beginning at the start state, reading symbols and making indicated transitions
- When input ends, state must be final or else reject

Determinism

- FSA can be deterministic or nondeterministic
- Deterministic: always know uniquely which edge to take
 - At most 1 arc leaving a state with a given symbol
 - No ϵ arcs
- Nondeterministic: may need to guess or explore multiple paths, choosing the right one later

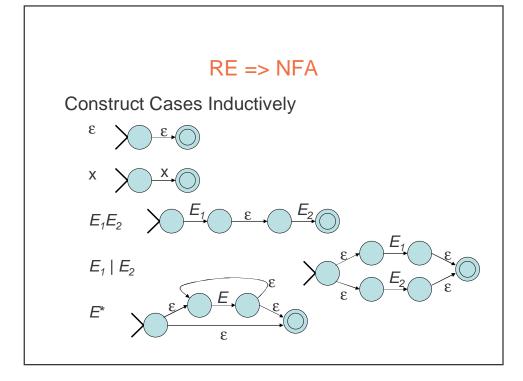


NFAs vs DFAs

- A problem:
 - REs (e.g. specifications map easily to NFAs)
 - Can write code for DFAs easily
- How to bridge the gap?
- Can it be bridged?

A Solution

- Cool algorithm to translate any NFA to a DFA
 - Proves that NFAs aren't any more expressive
- Plan:
 - 1) Convert RE to NFA
 - 2) Convert NFA to DFA
 - 3) Convert DFA to code
- Can be done by hand or fully automatically



NFA => DFA

- Problem: NFA can "choose" among alternative paths, while DFA must pick only one path
- Solution: subset construction
 - Each state in the DFA represents the set of states the NFA could possibly be in

Subset Construction

Given NFA with states and transitions

- label all NFA states uniquely

Create start state of DFA

- label it with the set of NFA states that can be reached by ϵ transitions, i.e. w/o consuming input
- Process the start state

To process a DFA state S with label $[S_1,...,S_n]$

For each symbol x in the alphabet:

- Compute the set T of NFA states from $S_1,...,S_n$ by an x transition followed by any number of ε transitions
- If T not empty
 - If a DFA state labeled [T] add an x transition from S to [T]
 - Else create new DFA state [T] and add an x transition S to [T]

A DFA state is final iff at least one of the NFA states is

To Tokens

- Every "final" symbol of a DFA emits a token
- Tokens are the internal compiler names for the lexemes
 - == becomes equal
 - (becomes leftParen

private becomes private

- You choose the names
- Also, there may be additional data ... \r\n might include line count

DFA => Code

- Option 1: Implement by hand using procedures
 - one procedure for each token
 - each procedure reads one character
 - choices implemented using if and switch statements
- Pros
 - straightforward to write
 - fast
- Cons
 - a fair amount of tedious work
 - may have subtle differences from the language specification

DFA => code [continued]

- Option 2: use tool to generate table driven parser
 - Rows: states of DFA
 - Columns: input characters
 - Entries: action
 - · Go to next state
 - · Accept token, go to start state
 - Error
- Pros
 - Convenient
 - Exactly matches specification, if tool generated
- Cons
 - "Magic"
 - Table lookups may be slower than direct code, but switch implementation is a possible revision

Automatic Scanner Generation in MiniJava

We use the jflex tool to automatically create a scanner from a specification file, Scanner/minijava.jflex

(We use the CUP tool to automatically create a parser from a specification file, Parser/minijava.cup, which also generates all of the code for the token classes used in the scanner, via the Symbol class

The MiniJava Makefile automatically rebuilds the scanner (or parser) whenever its specification file changes

Symbol Class

Lexemes are represented as instances of class Symbol

A different integer constant is defined for each token class in the sym helper class

```
class sym {
    static int CLASS = 1;
    static int IDENTIFIER = 2;
    static int COMMA = 3;
...
}
```

Can use this in printing code for Symbols; see symbolToString in minijava.jflex

Token Declarations

Declare new token classes in Parser/minijava.cup, using terminal declarations

- include Java type if Symbol stores extra data
- Examples

```
/* reserved words: */
terminal CLASS, PUBLIC, STATIC, EXTENDS;
...
/* operators: */
terminal PLUS, MINUS, STAR, SLASH, EXCLAIM;
...
/* delimiters: */
terminal OPEN_PAREN, CLOSE_PAREN;
terminal EQUALS, SEMICOLON, COMMA, PERIOD;
...
/* tokens with values: */
terminal String IDENTIFIER;
terminal Integer INT_LITERAL;
```

jflex Token Specifications

Helper definitions for character classes and regular expressions

```
letter = [a-z A-Z]
eol = [\r\n]
```

Simple) token definitions are of the form:

```
regexp { Java stmt }
```

regexp can be (at least):

- a string literal in double-quotes, e.g. "class", "<="
- a reference to a named helper, in braces, e.g. {letter}
- a character list or range, in square brackets , e.g. [a-z A-Z]
- a negated character list or range, e.g. [^\r\n]
- . (which matches any single character)
- regexp regexp,regexp regexp,regexp*,regexp+, regexp?, (regexp)

jflex Tokens [Continued]

Java stmt (the accept action) is typically:

- return symbol(sym.CLASS); for a simple token
- return symbol(sym.CLASS,yytext()); for a token with extra data based on the lexeme stringyytext()
- · empty for whitespace