Lecture 24: Query Execution Monday, November 27, 2006

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Outline

• Query optimization: algebraic laws 16.2

Example

Product(pname, maker), Company(cname, city)

Select Product.pname
From Product, Company
Where Product.maker=Company.cname
and Company.city = "Seattle"

• How do we execute this query ?

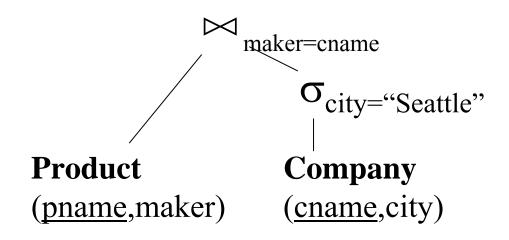
Example

Product(pname, maker), Company(cname, city)

Assume:

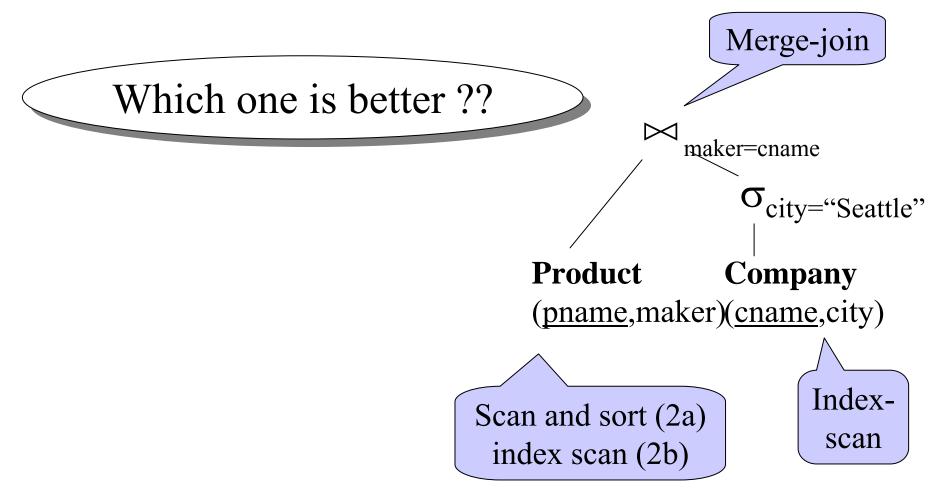
Clustered index: **Product**.<u>pname</u>, **Company**.<u>cname</u> Unclustered index: **Product**.maker, **Company**.city

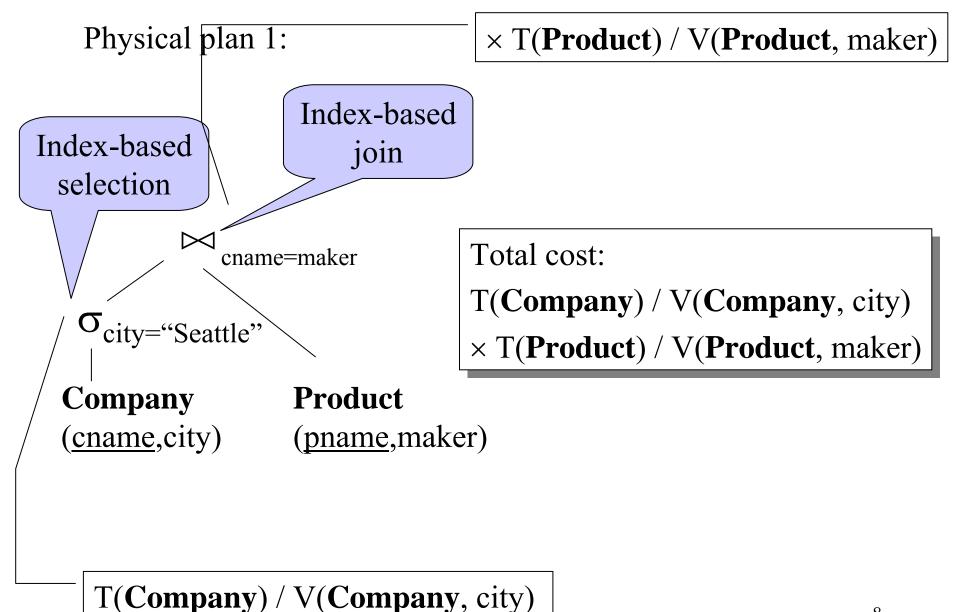
Logical Plan:

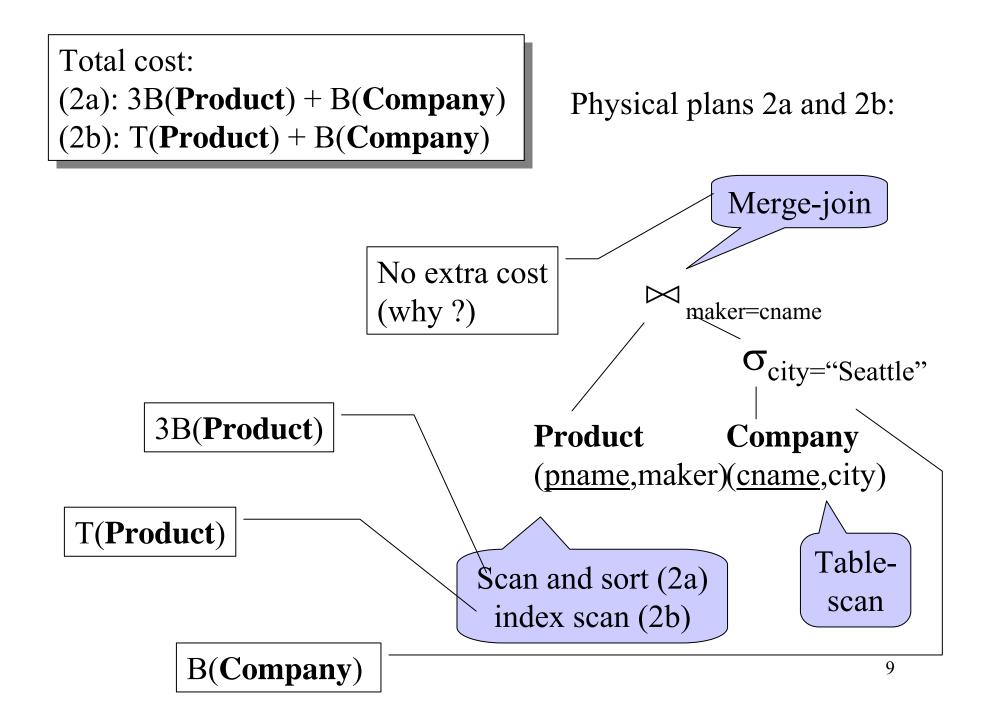


Physical plan 1: Index-based Index-based join selection cname=maker σ_{city=}"Seattle" **Product** Company (<u>cname</u>,city) (pname,maker)

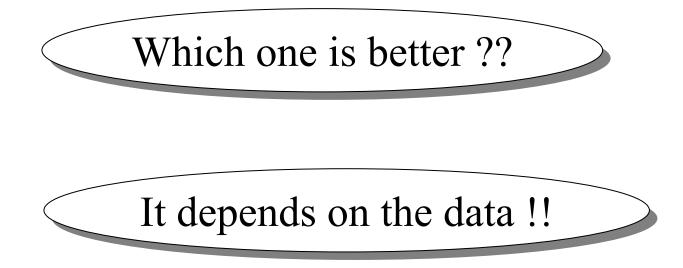
Physical plans 2a and 2b:







Plan 1: $T(Company)/V(Company,city) \times T(Product)/V(Product,maker)$ Plan 2a: B(Company) + 3B(Product)Plan 2b: B(Company) + T(Product)



Example

T(Company) = 5,000B(Company) = 500M = 100T(Product) = 100,000B(Product) = 1,000

We may assume V(**Product**, maker) \approx T(**Company**) (why ?)

• Case 1: V(Company, city) \approx T(Company)

V(Company,city) = 2,000

• Case 2: V(**Company**, city) << T(**Company**)

V(Company,city) = 20

Which Plan is Best?

Plan 1: T(**Company**)/V(**Company**,city) × T(**Product**)/V(**Product**,maker) Plan 2a: B(**Company**) + 3B(**Product**) Plan 2b: B(**Company**) + T(**Product**)

Case 1:

Case 2:

Lessons

- Need to consider several physical plan
 even for one, simple logical plan
- No magic "best" plan: depends on the data
- In order to make the right choice
 - need to have *statistics* over the data
 - the B's, the T's, the V's

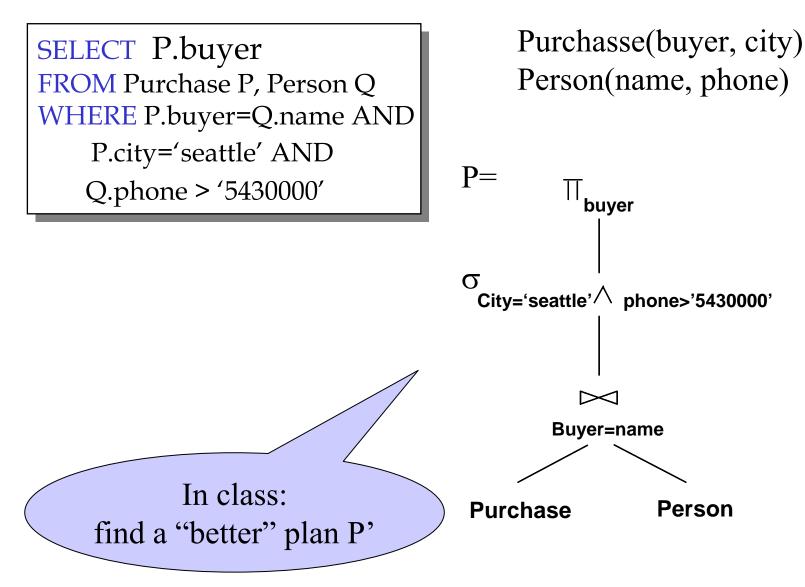
Query Optimzation

- Have a SQL query Q
- Create a plan P

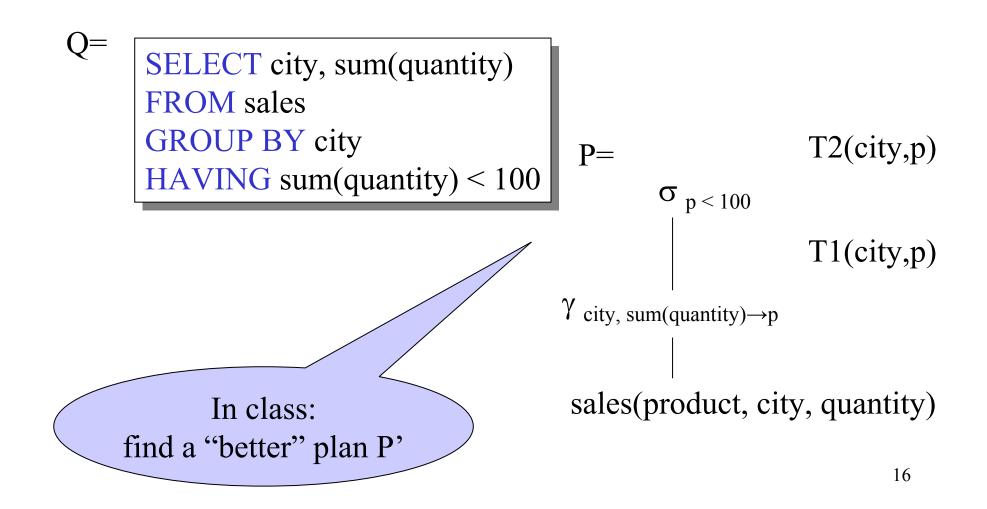


- Find equivalent plans P = P' = P'' = ...
- Choose the "cheapest".

Logical Query Plan



Logical Query Plan



The three components of an optimizer

We need three things in an optimizer:

- Algebraic laws
- An optimization algorithm
- A cost estimator

- Commutative and Associative Laws $R \cup S = S \cup R, R \cup (S \cup T) = (R \cup S) \cup T$ $R |\times| S = S |\times| R, R |\times| (S |\times| T) = (R |\times| S) |\times| T$ $R |\times| S = S |\times| R, R |\times| (S |\times| T) = (R |\times| S) |\times| T$
- Distributive Laws

 $R |\times| (S \cup T) = (R |\times| S) \cup (R |\times| T)$

- Laws involving selection: $\sigma_{C AND C'}(R) = \sigma_{C}(\sigma_{C'}(R)) = \sigma_{C}(R) \cap \sigma_{C'}(R)$ $\sigma_{C OR C'}(R) = \sigma_{C}(R) \cup \sigma_{C'}(R)$ $\sigma_{C}(R |x| | S) = \sigma_{C}(R) |x| | S$
- When C involves only attributes of R

 $\sigma_{C}(R - S) = \sigma_{C}(R) - S$ $\sigma_{C}(R \cup S) = \sigma_{C}(R) \cup \sigma_{C}(S)$ $\sigma_{C}(R |x| |S) = \sigma_{C}(R) |x| |S$

• Example: R(A, B, C, D), S(E, F, G) $\sigma_{F=3}(R |\times|_{D=E} S) = ?$ $\sigma_{A=5 \text{ AND } G=9}(R |\times|_{D=E} S) = ?$

• Laws involving projections $\Pi_{M}(R \mid \times \mid S) = \Pi_{M}(\Pi_{P}(R) \mid \times \mid \Pi_{Q}(S))$ $\Pi_{M}(\Pi_{N}(R)) = \Pi_{M,N}(R)$

• Example R(A,B,C,D), S(E, F, G) $\Pi_{A,B,G}(R |x|_{D=E} S) = \Pi_{?}(\Pi_{?}(R) |x|_{D=E} \Pi_{?}(S))$

- Laws involving grouping and aggregation: $\delta(\gamma_{A, agg(B)}(R)) = \gamma_{A, agg(B)}(R)$ $\gamma_{A, agg(B)}(\delta(R)) = \gamma_{A, agg(B)}(R)$ if agg is "duplicate insensitive"
- Which of the following are "duplicate insensitive"? sum, count, avg, min, max

 $\gamma_{A, \operatorname{agg}(D)}(R(A,B) |\times|_{B=C} S(C,D)) = \gamma_{A, \operatorname{agg}(D)}(R(A,B) |\times|_{B=C} (\gamma_{C, \operatorname{agg}(D)} S(C,D)))$

Optimizations Based on Semijoins THIS IS ADVANCED STUFF; NOT ON THE FINAL

- $\mathbf{R} \bowtie \mathbf{S} = \prod_{A1,\dots,An} (\mathbf{R} \bowtie \mathbf{S})$
- Where the schemas are:
 - Input: R(A1,...An), S(B1,...,Bm)
 - Output: T(A1,...,An)

Semijoins: a bit of theory (see [AHV])

• Given a query:

 $\underline{\mathsf{Q}} := \Pi \left(\sigma \left(\mathsf{R}_1 \mid x \mid \mathsf{R}_2 \mid x \mid \ldots \mid x \mid \mathsf{R}_n \right) \right)$

• A full reducer for Q is a program: $\begin{array}{c}
R_{i1} := R_{i1} \Join R_{j1} \\
R_{i2} := R_{i2} \Join R_{j2}
\end{array}$

$$\overrightarrow{R_{ip}} := R_{ip} \triangleright < R_{jp}$$

• Such that no dangling tuples remain in any relation

- Example: Q(A,E) := R1(A,B) |x| R2(B,C) |x| R3(C,D,E)
- A full reducer is: R2(B,C) := R2(B,C) |x R1(A,B)R3(C,D,E) := R3(C,D,E) |x R2(B,C)R2(B,C) := R2(B,C) |x R3(C,D,E)R1(A,B) := R1(A,B) |x R2(B,C)

The new tables have only the tuples necessary to compute $Q(E)_{25}$

• Example:

Q(E) := R1(A,B) |x| R2(B,C) |x| R3(A,C,E)

• Doesn't have a full reducer (we can reduce forever)

Theorem a query has a full reducer iff it is "acyclic"

• Semijoins in [Chaudhuri'98]

CREATE VIEW DepAvgSal As (SELECT E.did, Avg(E.Sal) AS avgsal FROM Emp E GROUP BY E.did)

SELECT E.eid, E.sal FROM Emp E, Dept D, DepAvgSal V WHERE E.did = D.did AND E.did = V.did AND E.age < 30 AND D.budget > 100k AND E.sal > V.avgsal

• First idea:

CREATE VIEW LimitedAvgSal As (SELECT E.did, Avg(E.Sal) AS avgsal FROM Emp E, Dept D WHERE E.did = D.did AND D.buget > 100k GROUP BY E.did)

SELECT E.eid, E.sal FROM Emp E, Dept D, LimitedAvgSal V WHERE E.did = D.did AND E.did = V.did AND E.age < 30 AND D.budget > 100k AND E.sal > V.avgsal

• Better: full reducer

CREATE VIEW PartialResult AS (SELECT E.id, E.sal, E.did FROM Emp E, Dept D WHERE E.did=D.did AND E.age < 30 AND D.budget > 100k)

CREATE VIEW Filter AS (SELECT DISTINCT P.did FROM PartialResult P)

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CREATE VIEW LimitedAvgSal AS
(SELECT E.did, Avg(E.Sal) AS avgsal
FROM Emp E, Filter F
WHERE E.did = F.did GROUP BY E.did)
```

SELECT P.eid, P.sal FROM PartialResult P, LimitedDepAvgSal V WHERE P.did = V.did AND P.sal > V.avgsal