

# Database design: E/R diagrams and BCNF

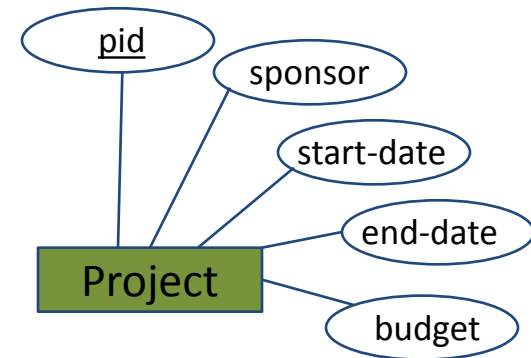
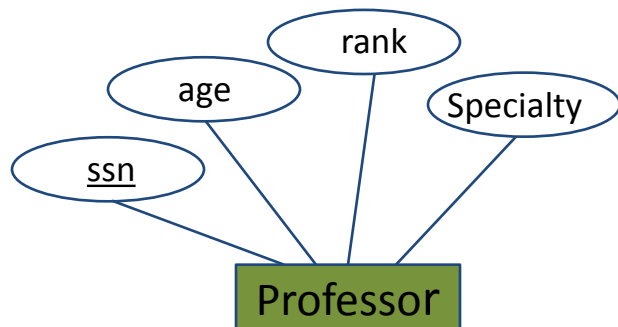
CSE 444 section  
October 14, 2010

# Today

- Database design with E/R diagrams
- Functional dependencies
- Boyce-Codd normal form (BCNF)

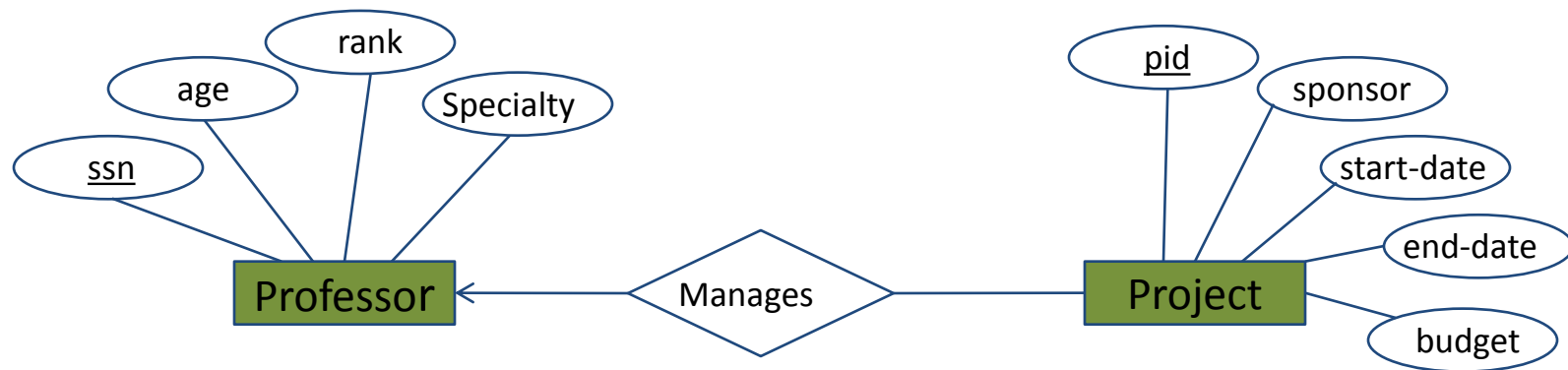
# From English to an E/R diagram

- **Professors** have SSN, age, rank, and specialty
- **Projects** have IDs, sponsors, budgets, start and end dates



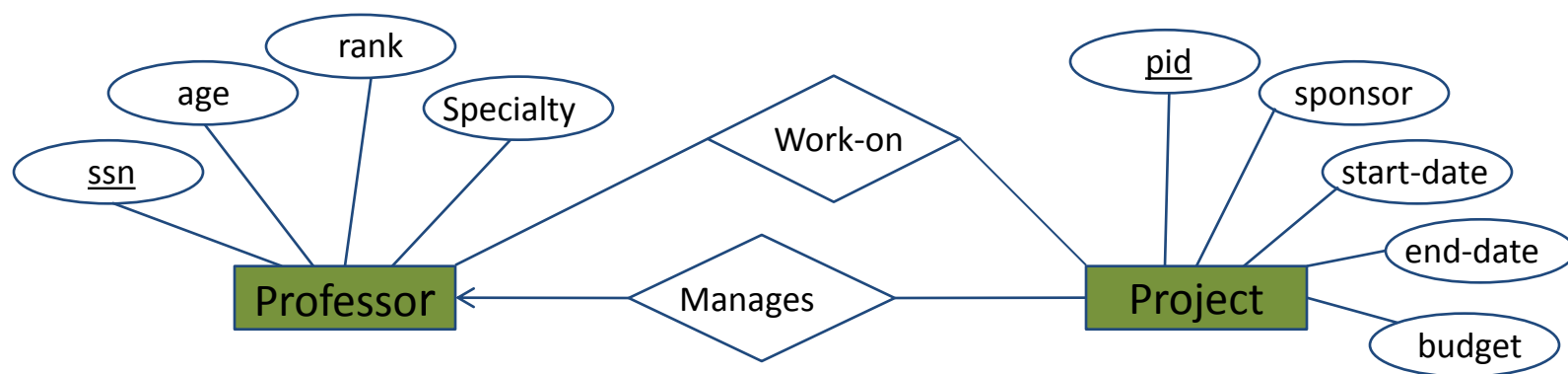
# From English to an E/R diagram

- Each project is **managed by** one professor (principal investigator)
- A professor can **manage** multiple projects

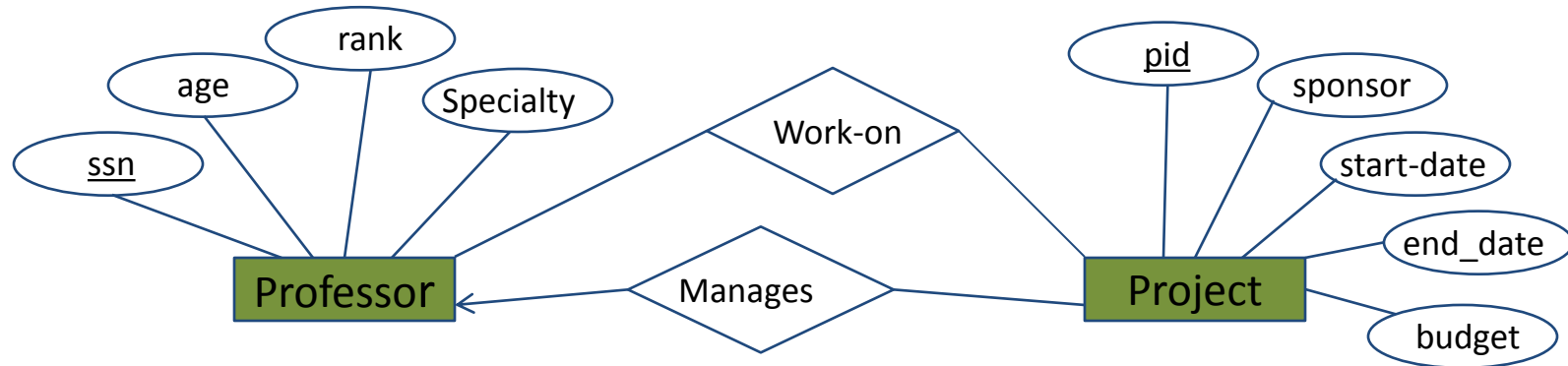


# From English to an E/R diagram

- Each project is **worked on** by one or more professors
- Professors can **work on** multiple projects

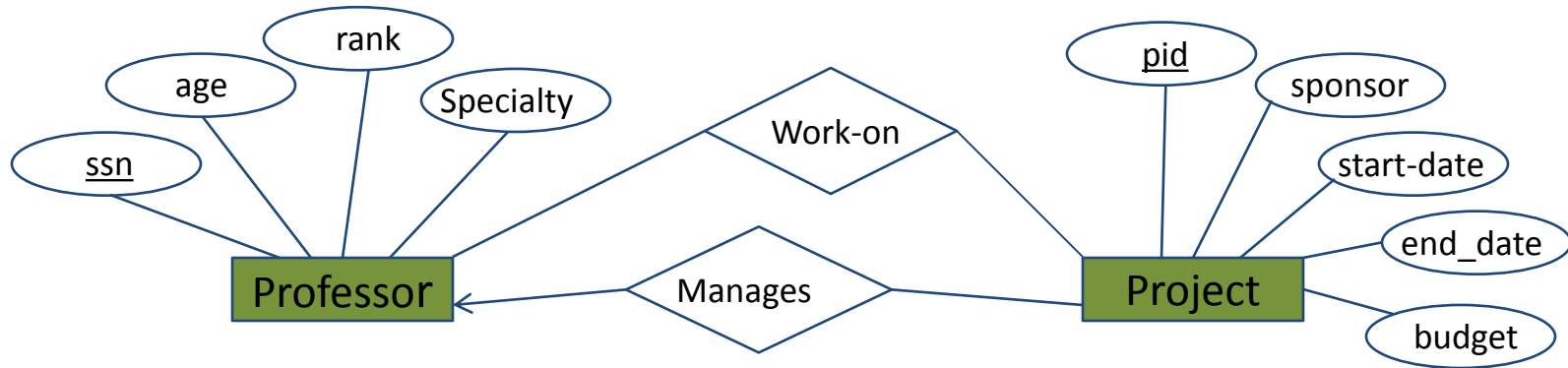


# From E/R diagram to relations



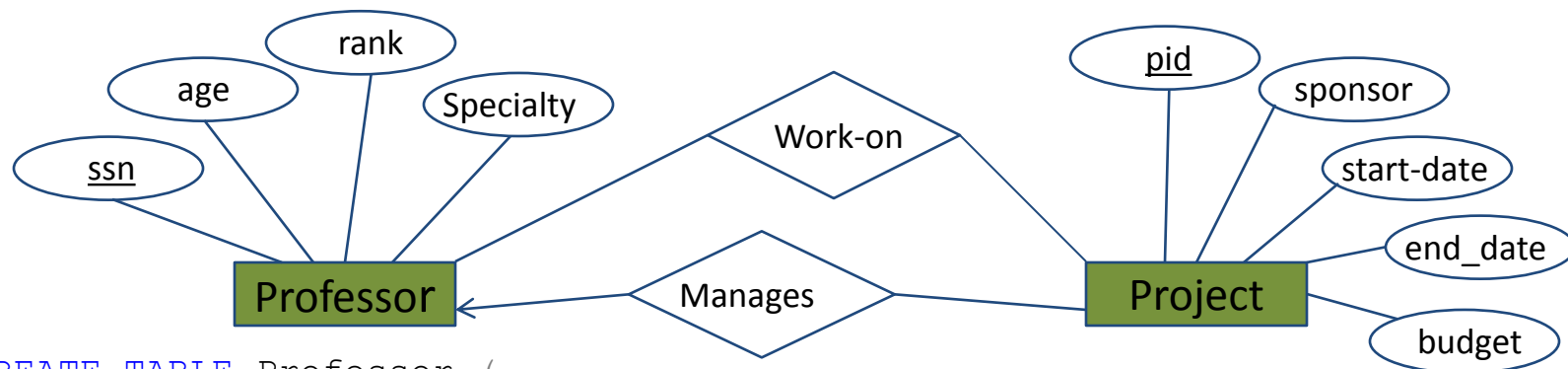
- Professor (ssn, age, rank, specialty)
- Project (pid, sponsor, start\_date, end\_date, budget)
- Work\_on (ssn, pid)
- Manages (ssn, pid)

# Integrating the many-one relation



- Professor (ssn, age, rank, specialty)
- Project (pid, sponsor, start\_date, end\_date, budget, ssn)
- Work\_on (ssn, pid)

# SQL code for this database



```
CREATE TABLE Professor (  
  ssn INT PRIMARY KEY,  
  age INT,  
  urank VARCHAR(30),  
  specialty VARCHAR(30)  
);
```

```
CREATE TABLE Work_on (  
  ssn INT REFERENCES Professor(ssn),  
  pid INT REFERENCES Project(pid),  
  PRIMARY KEY (ssn, pid)  
);
```

```
CREATE TABLE Project (  
  pid INT PRIMARY KEY,  
  sponser INT,  
  start_date DATE,  
  end_date DATE,  
  budget FLOAT,  
  ssn INT REFERENCES Professor(ssn)  
);
```

- Professor(ssn, age, rank, specialty)
- Project(pid, sponser, start\_date, end\_date, budget, ssn)
- Work\_in(ssn, pid)



# Today

- Database design with E/R diagrams
- **Functional dependencies**
- Boyce-Codd normal form (BCNF)

# Garcia-Molina, problem 3.3.2 (i)

Consider a relation  $S(A,B,C,D)$  with FDs

$A \rightarrow B$ ,  $B \rightarrow C$ , and  $B \rightarrow D$ .

- a. Give the nontrivial FDs that follow from the given FDs. Restrict to 1 attr on right side.
- b. What are all the keys of  $S$ ?
- c. What are the superkeys that aren't keys?

# Garcia-Molina, problem 3.3.2 (ii)

Consider a relation  $T(A,B,C,D)$  with FDs

$AB \rightarrow C$ ,  $BC \rightarrow D$ ,  $CD \rightarrow A$ , and  $AD \rightarrow B$ .

- Give the nontrivial FDs that follow from the given FDs. Restrict to 1 attr on right side.
- What are all the keys of  $S$ ?
- What are the superkeys that aren't keys?

# Today

- Database design with E/R diagrams
- Functional dependencies
- **Boyce-Codd normal form (BCNF)**

# What is BCNF?

A relation R is in BCNF iff:

If  $A_1, \dots, A_n \rightarrow B$  is a non-trivial dependency in R,  
then  $\{A_1, \dots, A_n\}$  is a superkey for R

# Why do BCNF decompositions?

# BCNF decomposition algorithm

BCNF\_Decompose(R)

find  $X$  s.t.:  $X \neq X^+ \neq$  [all attributes]

**if** (not found) **then** “R is in BCNF”

**let**  $Y = X^+ - X$

**let**  $Z =$  [all attributes]  $- X^+$

decompose R into  $R_1(X \cup Y)$  and  $R_2(X \cup Z)$

continue to decompose recursively  $R_1$  and  $R_2$

# BCNF example: table R(A, B, C, D, E)

Consider the following FDs:

- $CD \rightarrow E$  **BAD**
- $D \rightarrow B$  **BAD**
- $A \rightarrow CD$

Which ones are the bad dependencies?

$CD^+ = BCDE$

CD is not a superkey

$D^+ = BD$

D is not a superkey

$A^+ = ABCDE$

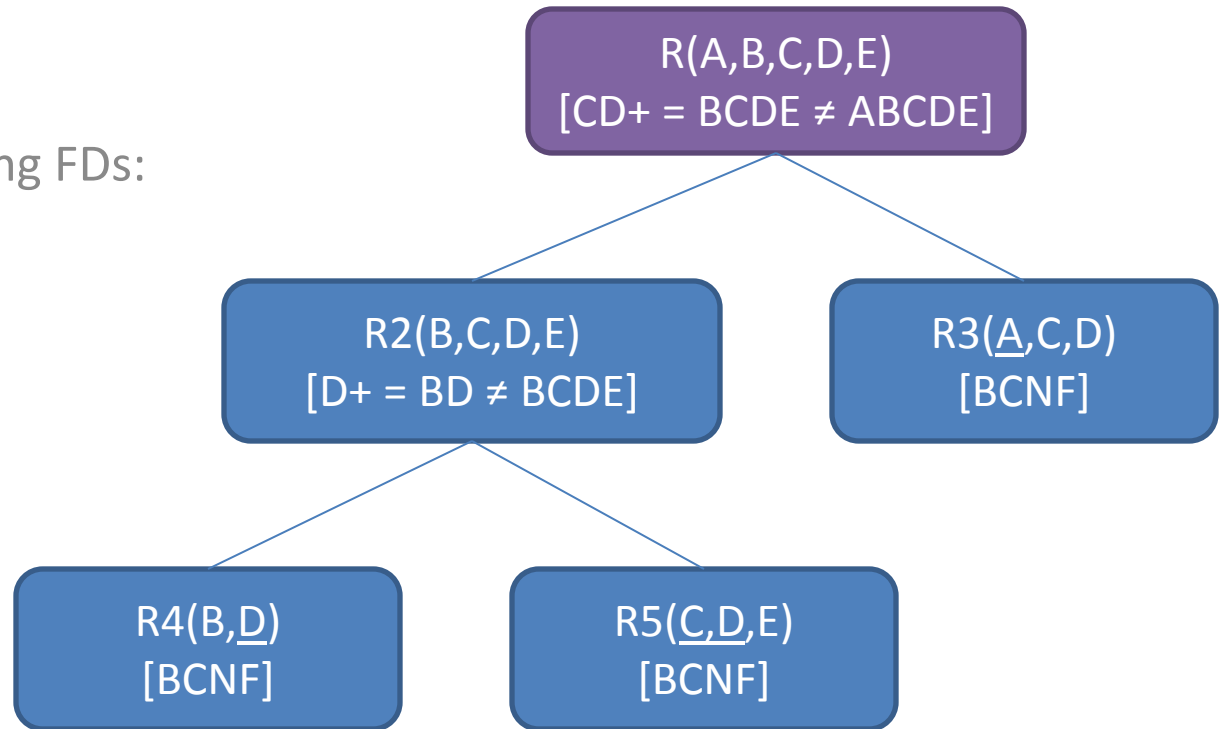
A is a superkey



# BCNF example: table R(A, B, C, D, E)

Consider the following FDs:

- $CD \rightarrow E$  **BAD**
- $D \rightarrow B$  **BAD**
- $A \rightarrow CD$



# 2 more BCNF decompositions

$S(A, B, C, D)$

$C \rightarrow D, C \rightarrow A, B \rightarrow C$

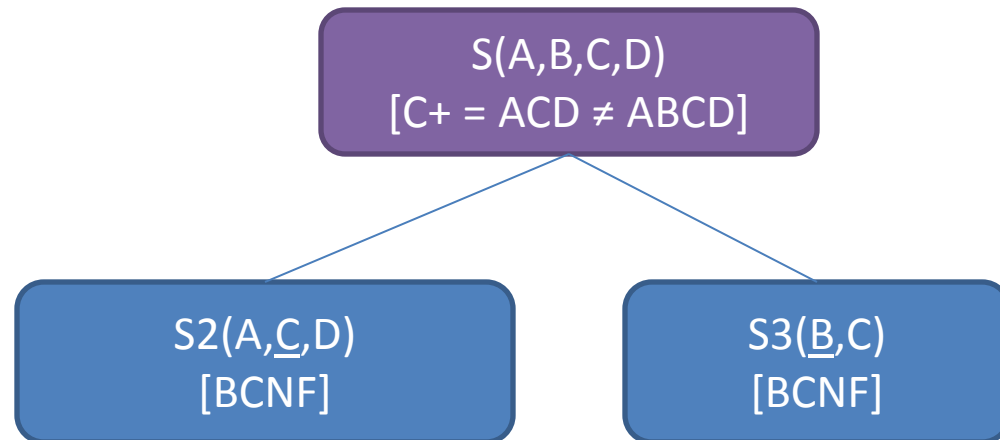
$T(A, B, C, D, E)$

$AB \rightarrow C, DE \rightarrow C, B \rightarrow D$

# S(A,B,C,D) solution

Consider the following FDs:

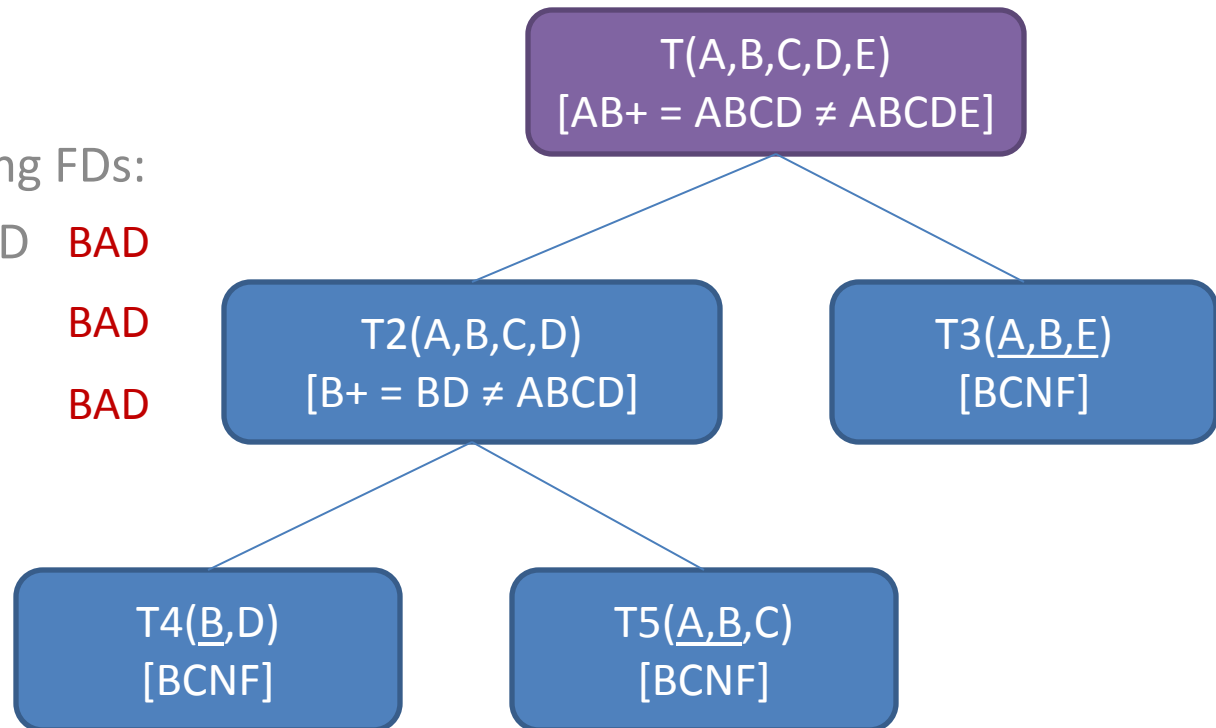
- $C \rightarrow D$ ,  $C^+ = ACD$  **BAD**
- $C \rightarrow A$ ,  $C^+ = ACD$  **BAD**
- $B \rightarrow C$ ,  $B^+ = ABCD$



# T(A,B,C,D,E) 1<sup>st</sup> solution

Consider the following FDs:

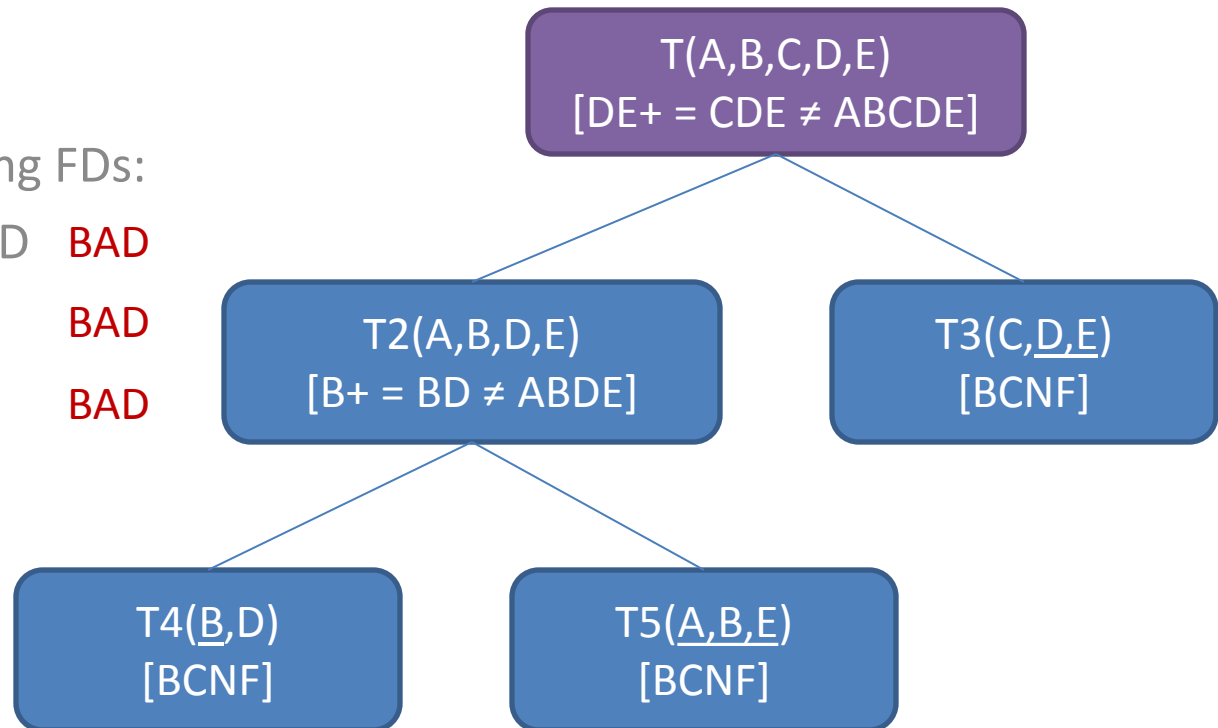
- $AB \rightarrow C$ ,  $AB^+ = ABCD$  **BAD**
- $DE \rightarrow C$ ,  $DE^+ = CDE$  **BAD**
- $B \rightarrow D$ ,  $B^+ = BD$  **BAD**



# T(A,B,C,D,E) 2<sup>nd</sup> solution

Consider the following FDs:

- $AB \rightarrow C$ ,  $AB^+ = ABCD$  **BAD**
- $DE \rightarrow C$ ,  $DE^+ = CDE$  **BAD**
- $B \rightarrow D$ ,  $B^+ = BD$  **BAD**



# T(A,B,C,D,E) 3<sup>rd</sup> solution

Consider the following FDs:

- $AB \rightarrow C$ ,  $AB^+ = ABCD$  **BAD**
- $DE \rightarrow C$ ,  $DE^+ = CDE$  **BAD**
- $B \rightarrow D$ ,  $B^+ = BD$  **BAD**

