



Sections Week 7

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Administrivia

- Quiz tomorrow, make sure you review the recent slides about it.
- Assignment - 4 is due May 23rd.
- Project - 3 is due May 31st.



Internet Checksum

- Sum is defined in 1s complement arithmetic (must add back carries)
 - And it's the negative sum
- “The checksum field is the 16 bit one's complement of the one's complement sum of all 16 bit words...” – RFC 791
- In other words, it's the value that when added to the header, the result is 0xffff



Example Problem 1

Message: 0xabc8983c1001bd02



Solution 1

```
abc8
983c
1001
bd02
-----
0x21107
-----
0x1109
-----
0xeef6
```

- 1) First sum normally
- 2) Back carry
- 3) Take one's complement

oxeef6

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Example Problem 2

Message: 0xc2b4104a12001b01



Solution 2

```
c2b4
104a
1200
1b01
-----
0xffff
-----
0xffff
-----
0x0000
```

- 1) First sum normally
- 2) Back carry
- 3) Take one's complement

0x0000

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Interesting Things to Note

- As stated earlier, the new sum of the header should be 0xffff
- Doesn't check the order of the two byte blocks
- Must be recomputed every time the header changes, including with TTL decreases or when ECN is set

IPv4 header format

<i>Offsets</i>	<i>Octet</i>	0								1								2								3							
<i>Octet</i>	<i>Bit</i>	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
0	0	Version				IHL				DSCP				ECN				Total Length															
4	32	Identification																Flags				Fragment Offset											
8	64	Time To Live								Protocol								Header Checksum															
12	96	Source IP Address																															
16	128	Destination IP Address																															
20	160	Options (if IHL > 5)																															
⋮	⋮																																
56	448																																



CRC

- Uses a generator polynomial and polynomial division to calculate a error-detecting code.
- For a polynomial of degree n , it creates a check of n bits.



Example Problem 1

Message: 0b10100110

Polynomial: $x + 1$



Solution 1

$$\begin{array}{r} 1100010 \\ 11 \overline{)10100110} \\ \underline{11} \\ 011 \\ \underline{11} \\ 000 \\ \underline{00} \\ 000 \\ \underline{00} \\ 001 \\ \underline{00} \\ 011 \\ \underline{11} \\ 000 \end{array}$$

← Note: use XOR instead of minus.

← The actual remainder is 0, and thus the CRC remainder is 0.

obo

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Example Problem 2

Message: 0b11100101

Polynomial: $x^3 + x^2$



Solution 1

$$\begin{array}{r} 10111 \\ 1100 \overline{)11100101} \\ \underline{1100} \\ 001001 \\ \underline{1100} \\ 01010 \\ \underline{1100} \\ 01101 \\ \underline{1100} \\ 0001 \end{array}$$

← The actual remainder is 1, we add n bits then re-zero out to get CRC, done above.

$$\begin{array}{r} 1 \\ 1100 \overline{)1000} \\ \underline{1100} \\ 0100 \end{array} \quad \leftarrow \text{The actual CRC}$$

ob100





Interesting Things to Note

- $x + 1$ as a generator polynomial results in a parity bit.
- Has the nice property of being easy to implement in hardware.
- Doesn't guard against intentional changing of data.

$$\text{CRC}(x \oplus y) = \text{CRC}(x) \oplus \text{CRC}(y)$$