

CLIMP

Cluster-based Imputation of Missing Values in Microarray Data

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Outline

1. Motivation
2. Algorithm
 - key idea
 - a bit more detail
3. Other approaches
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6. Conclusion

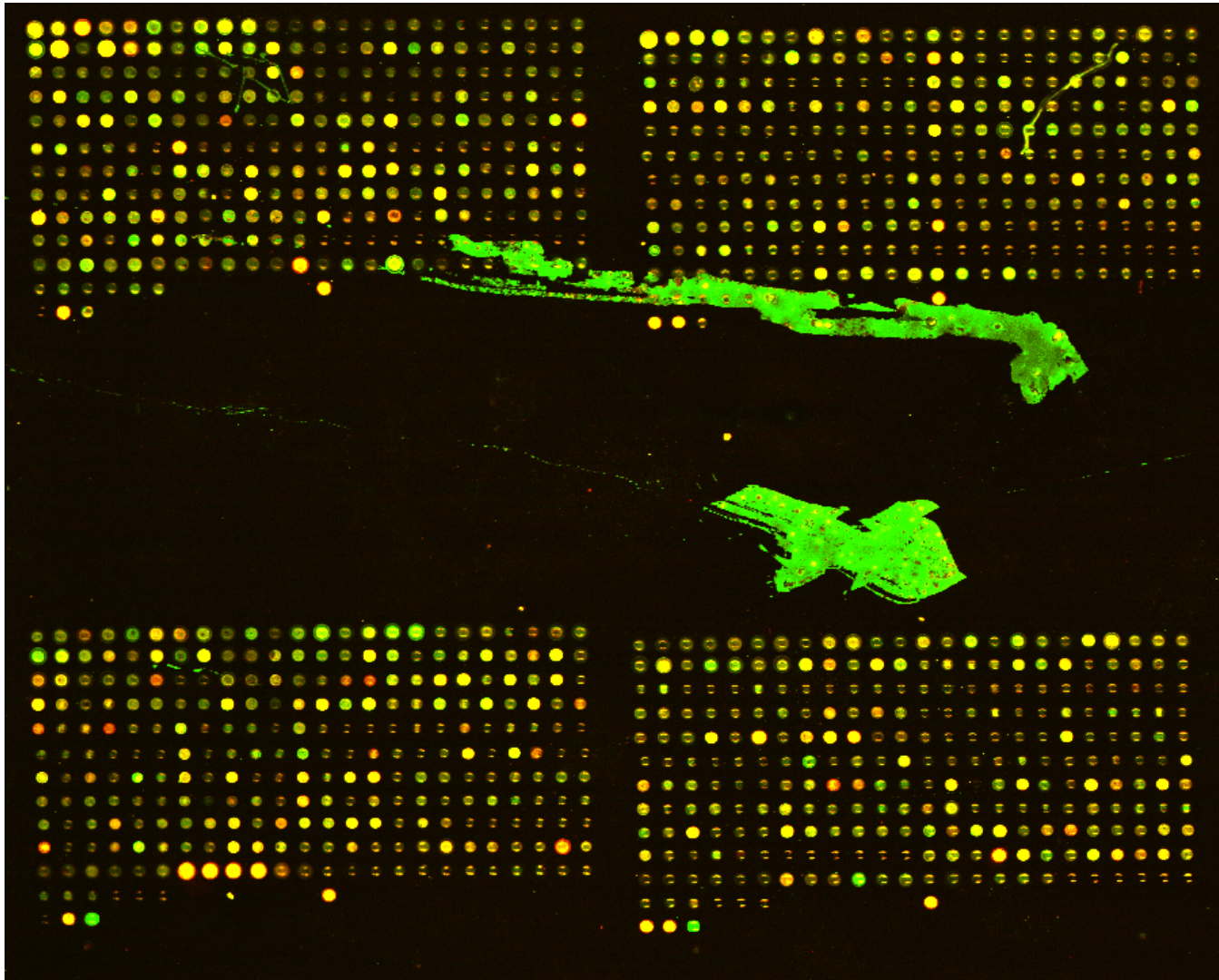
Motivation

- Missing values cause a lot of trouble.
 - similarity/dissimilarity measures
 - principal component analysis (PCA)
 - SVMs
 - clustering
- Missing values are inconvenient.
- There is an expensive solution.
 - repeat experiments → more complexity and not perfect
- There are cheap (destructive) solutions.
 - casewise deletion → possibly no valid cases
 - pairwise deletion → genes become more similar

Reasons for missing values

- Arbitrarily missing values.
 - no spot intensity measured
 - negative background corrected spot intensity
 - array handling
 - "low quality spot" (cDNA arrays image analysis)
 - ...
- Systematically missing values.
 - array production
 - ...

Example

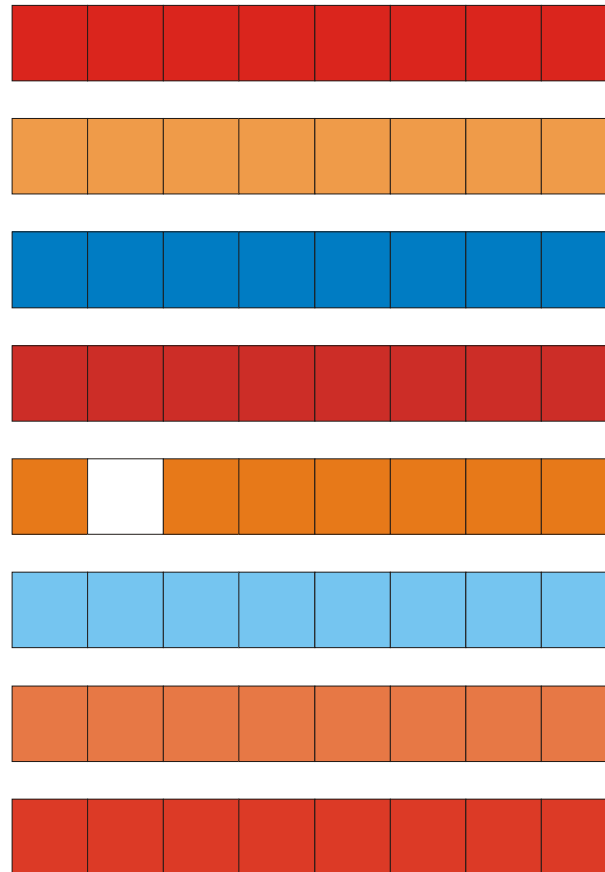


(edited from Stanford Microarray Database)

Starting points

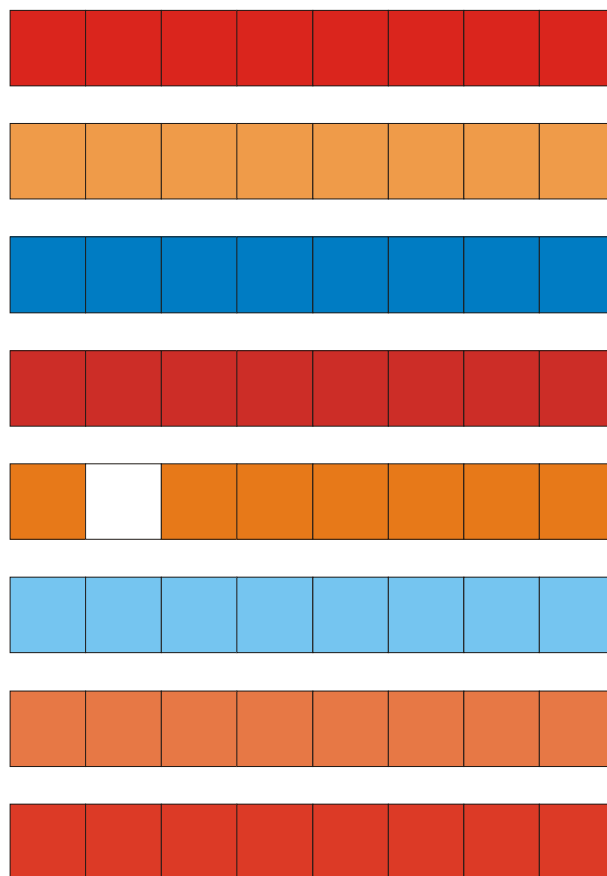
- Image(s) of scanned microarray.
 - find reasons for missing values
 - identification of systematic errors
 - extremely complex to analyze
- Annotated image analysis output.
 - identification of systematic errors
 - different for different types of microarrays
- Expression matrix.
 - least information, but most general
 - probably most wide-spread format

Problem



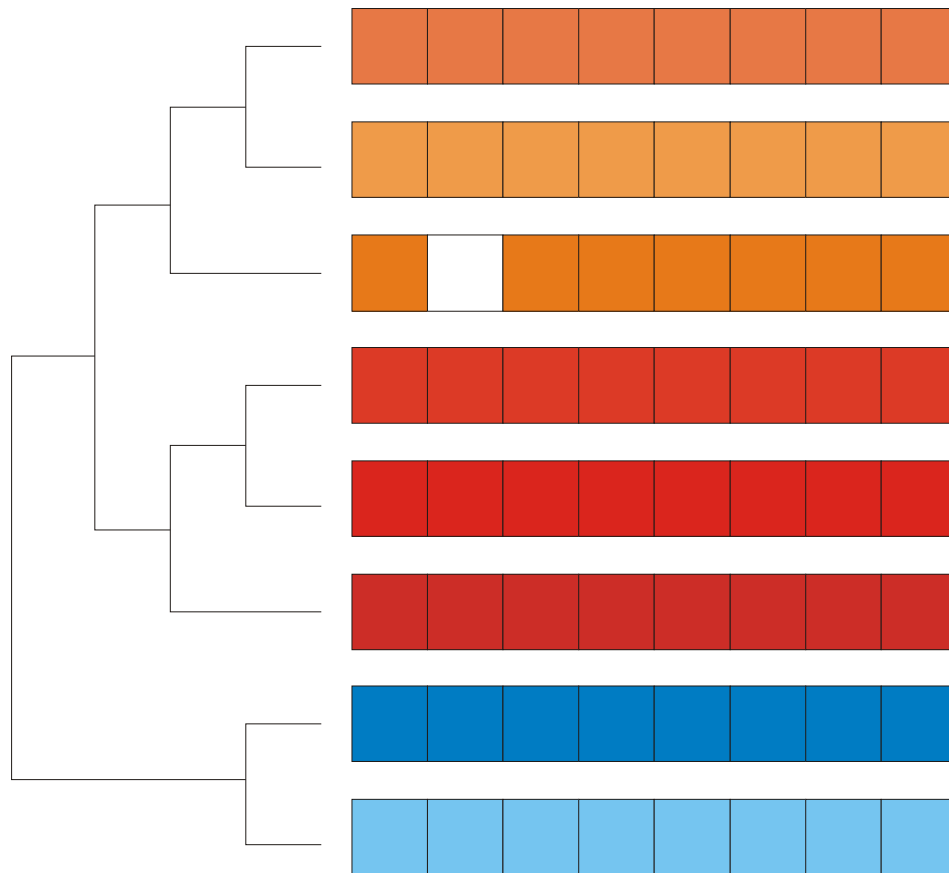
columns = conditions
rows = genes
color = expression profile

- Given an expression matrix with missing values, how do we estimate (impute) the missing values?



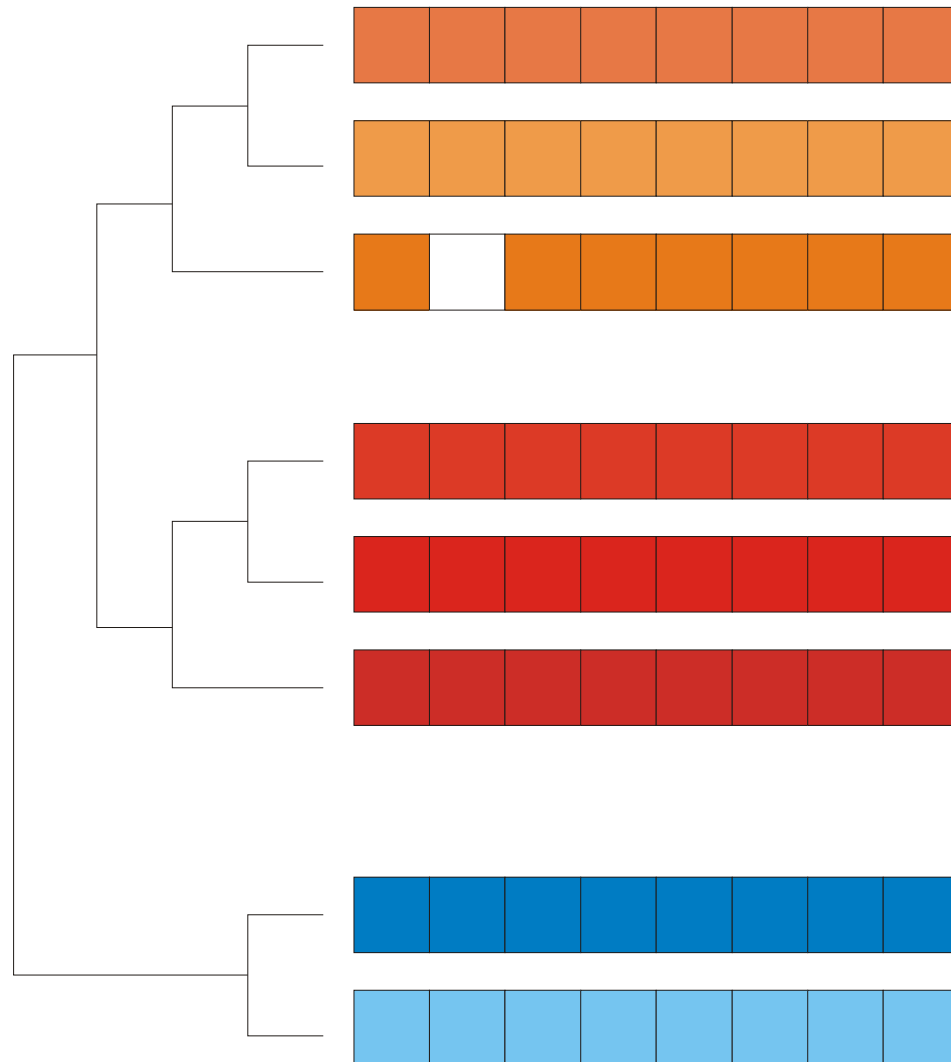
- Estimate missing values from similar genes, taking into account the correlation structure.
- How do we find similar genes?

Clustering

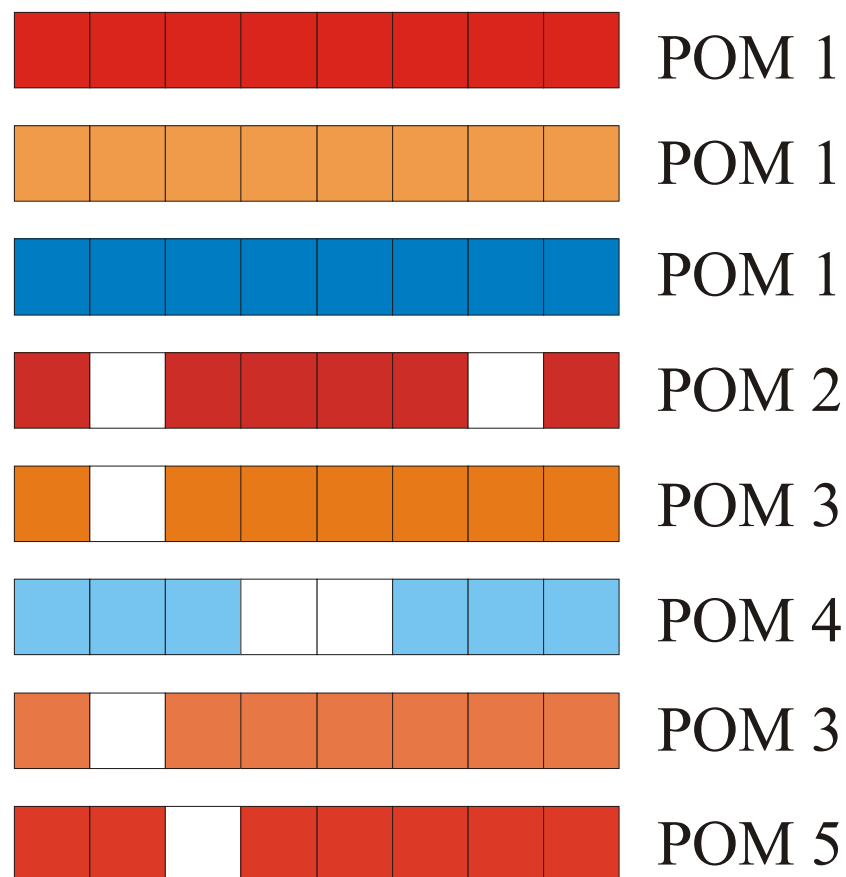


- How many clusters are there?
- Define an upper bound for cluster size!

Estimation



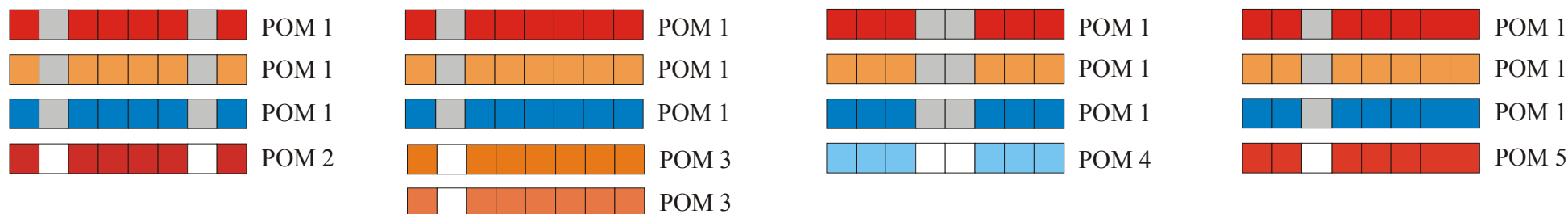
- Use genes in cluster for estimation.



- Clustering for each *pattern of missingness* (POM).
 - POM = pattern of missing values in a row = a set of columns
 - length of a POM = cardinality of set of columns

Details

- *Base matrix* = all rows with POM of length 0 (here: POM 1).
- Cluster base matrix with all rows have the same POM.
 - leave out missing conditions
 - use hierarchical clustering with complete-linkage for dense clusters



- Compute missing value as rank-weighted average from base matrix genes in corresponding cluster.
- Cluster size below threshold?
 - use k nearest neighbors

Other (constructive) methods

- Simple methods
 - fill in zeros
 - fill in column- or row-averages
- Troyanskaya *et al.* 2001
 - k nearest neighbors (KNN)
 - singular value decomposition (SVD)
- Oba *et al.* 2003
 - Bayesian Principal Component Analysis (BPCA)
- Zhou *et al.* 2003
 - (non)-linear regression with Bayesian gene selection

Evaluation

- Comparison of CLIMP, KNN and BPCA.
- Data sets:
 - Spellman *et al.* 1998, yeast cell cycle α -factor- and *cdc15*-based synchronization (18 and 15 conditions)
- Parameters to be chosen:
 - upper and lower bound (here: 35 and 20)
 - k (here: 17)
 - clustering algorithm (here: complete-linkage)
 - distance measure (here: Euclidean)
- Amount of missing data:
 - 1%, 2%, 5%, 10%

Evaluation

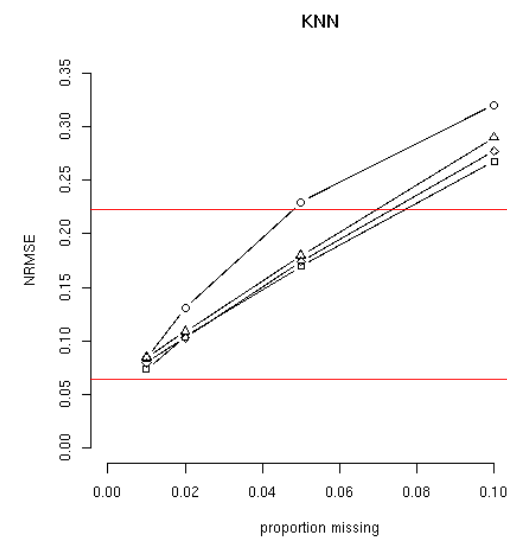
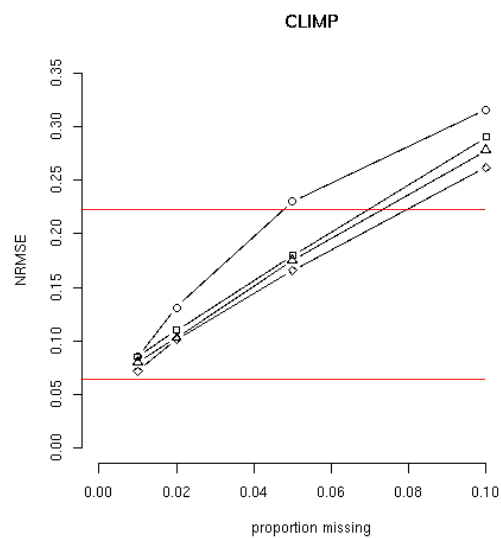
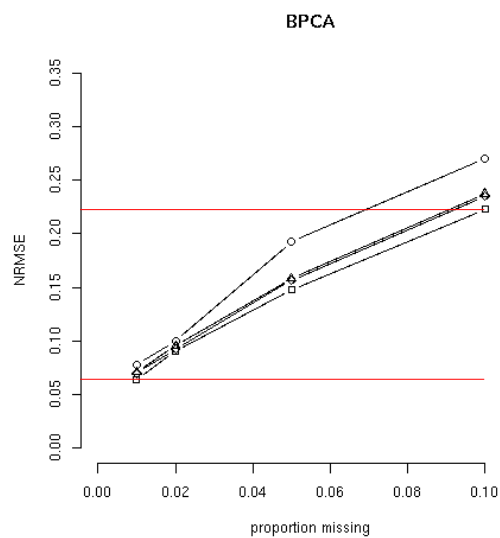
- Different number of genes from each test set: 100, 500, 1000 and 2000 out of ~ 6100 .
- Performance evaluated by the normalized root mean squared error (NRMSE) of the estimated matrix (E) vs. the original matrix (O).

$$- NRMSE = \sqrt{\frac{\text{mean}(O - E)^2}{\text{variance}(O)}}$$

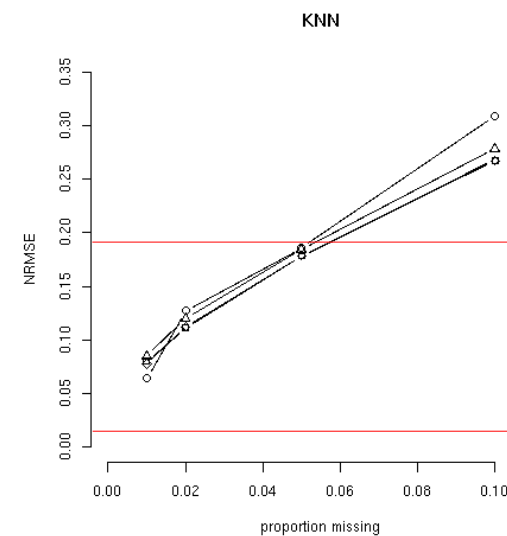
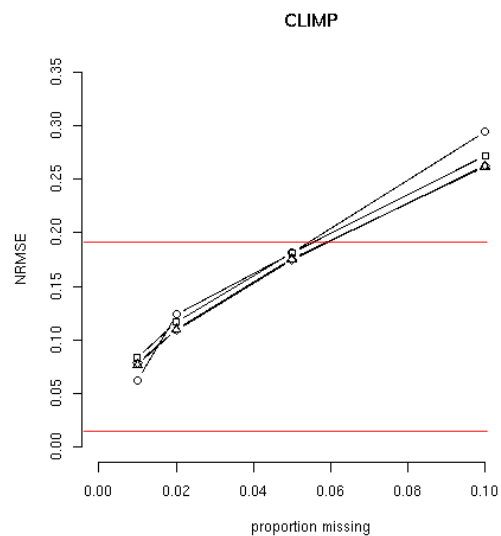
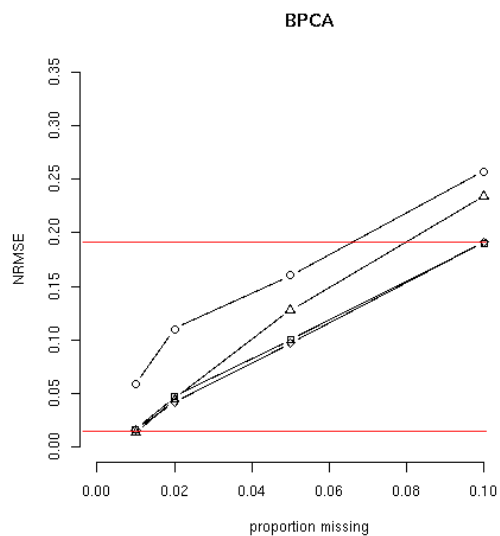
- if $NRMSE$ close to 0, then E more accurate ($NRMSE = 0 \rightarrow E = O$)
- if $NRMSE$ close to 1, then E less accurate

NRMSE on test data

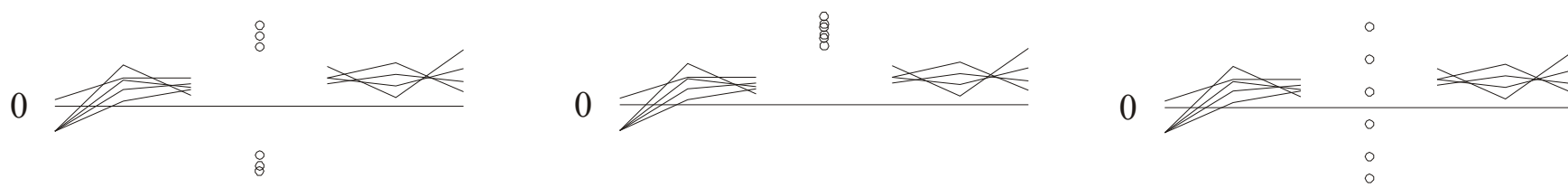
α -factor



cdc15



Discussion

- CLIMP has some weak spots.
 - base matrix
 - how to find good values for parameters (→ usage of KNN)
 - runtime
 - Performance might be increased in several ways.
 - genes with estimated missing values might be added to base matrix
 - analysis of values used for estimation
- 
- base weighted average on distance not on ranked distance
 - selection of parameters appropriate for given expression matrix

Conclusion

- The bigger the base matrix, the more information, the better the results.
- CLIMP is slower than KNN and BPCA, but time is not an important criterion in missing value estimation.
- Performance of CLIMP is at least equal to that of KNN and might be improved.
- Bayesian methods are likely to remain significantly better.

*Handle estimated values with care,
they still might be completely wrong!*