CSE 527 Lecture 10

Parsimony and Phylogenetic Footprinting

Phylogenies (aka Evolutionary Trees)

"Nothing in biology makes sense, except in the light of evolution"

-- Dobzhansky

• A Complex Question:

Given data (sequences, anatomy, ...) infer the phylogeny

• A Simpler Question:

Given data and a phylogeny, evaluate "how much change" is needed to fit data to tree

Parsimony

General idea ~ Occam's Razor: Given data where change is rare, prefer an explanation that requires few events

Human A T G A T ...

Chimp A T G A T ...

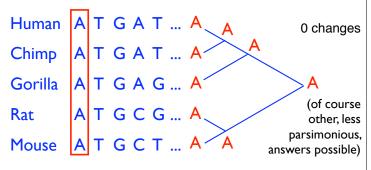
Gorilla A T G A G ...

Rat A T G C G ...

Mouse A T G C T ...

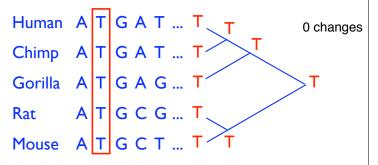
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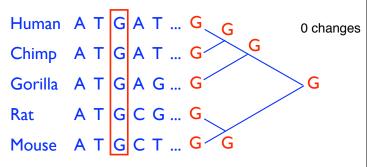
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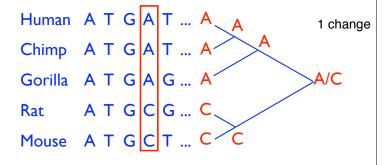
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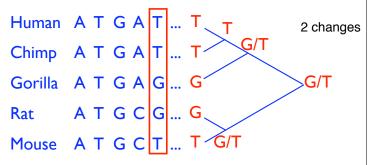
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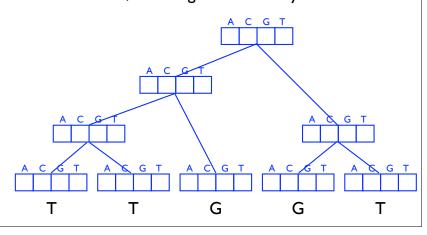


Counting Events Parsimoniously

- Lesson of example no unique reconstruction
- But there is a unique minimum number, of course
- How to find it?
- Early solutions 1965-75

Sankoff & Rousseau, '75

 $P_u(s)$ = best parsimony score of subtree rooted at node u, assuming u is labeled by character s



Sankoff-Rousseau Recurrence

 $P_u(s)$ = best parsimony score of subtree rooted at node u, assuming u is labeled by character s

For Leaf u:

$$P_u(s) = \begin{cases} 0 & \text{if } u \text{ is a leaf labeled } s \\ \infty & \text{if } u \text{ is a leaf not labeled } s \end{cases}$$

For Internal node *u*:

$$P_u(s) = \sum_{v \in \text{child}(u)} \min_{t \in \{A, C, G, T\}} \text{cost}(s, t) + P_v(t)$$

Time: O(alphabet² x tree size)

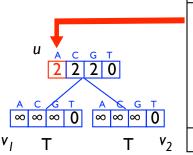
Sankoff & Rousseau, '75

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$$P_u(s) = \sum_{v \in \text{child}(v)} \min_{t \in \{A, C, G, T\}} \text{cost}(s, t) + P_v(t)$$



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l	S	V	t	$cost(s,t)+P_{v}(t)$	min
ſ		v,	Α	0 + ∞	_
1			U	+ ∞	
	A		G	+ ∞	
l			Т	I + 0	
l		v ₂	Α	0 + ∞	I
			U	+∞	
			G	+ ∞	
l			Т	l + 0	
				sum: $P_u(s) =$	2

Sankoff & Rousseau, '75

 $P_u(s)$ = best parsimony score of subtree rooted at node u, assuming u is labeled by character s

$$Min = 2 (G \text{ or } T) \longrightarrow 4 4 2 2$$

$$\begin{array}{c} A & C & G & T \\ \hline 2 & 2 & 1 & 1 \end{array}$$

$$\begin{array}{c} A & C & T \\ \hline 2 & 2 & 2 & 0 \end{array}$$

$$\begin{array}{c} A & C & T \\ \hline \otimes \otimes \otimes & 0 \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \otimes \otimes \otimes & 0 \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \otimes \otimes \otimes & 0 \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \otimes \otimes \otimes & 0 \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \otimes \otimes \otimes & 0 \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \otimes \otimes \otimes & 0 \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array}$$

$$\begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \end{array} \longrightarrow \begin{array}{c} A & C & G & T \\ \hline \longrightarrow \begin{array}{c} A & C$$

Parsimony – Generalities

- Parsimony is not necessarily the best way to evaluate a phylogeny (maximum likelihood generally preferred)
- But it is a natural approach, & fast.
- Finding the best tree: a much harder problem
- Much is known about these problems;
 Inferring Phylogenies by Joe Felsenstein is a great resource.

Phylogenetic Footprinting

See link to Tompa's slides on course web page http://www.cs.washington.edu/homes/tompa/papers/ortho.ppt