### Lecture 02: Conceptual Design

### Wednesday, October 6, 2010

# Nulls

count(category) != count(\*) WHY ?

• Office hours: Thursdays, 5-6pm

### Announcements

- Homework 2 is posted: due October 19<sup>th</sup>
- You need to create tables, import data:
  On SQL Server, in your own database, OR
  On postgres (we will use it for Project 2)
- Follow Web instructions for importing data
- Read book about CREATE TABLE, INSERT, DELETE, UPDATE

### Discussion

SQL Databases v. NoSQL Databases, Mike Stonebraker

- What are "No-SQL Databases" ?
- What are the two main types of workloads in a database ? (X and Y)
- How can one improve performance of X ?
- Where does the time of a single server go ?

4

What are "single-record transactions" ?

### Outline

- E/R diagrams
- From E/R diagrams to relations

### Database Design

- Why do we need it?
  - Agree on structure of the database before deciding on a particular implementation.
- Consider issues such as:
  - What entities to model
  - How entities are related
  - What constraints exist in the domain
  - How to achieve *good* designs
- Several formalisms exists
  - We discuss E/R diagrams

## Entity / Relationship Diagrams



- not necessarily binary

### Company

Product

Person





### Keys in E/R Diagrams

- Every entity set must have a key
- May be a *multi-attribute key:*



### What is a Relation ?

- A mathematical definition:
  if A, B are sets, then a relation R is a subset of A × B
- A={1,2,3}, B={a,b,c,d}, A × B = {(1,a),(1,b), . . ., (3,d)} R = {(1,a), (1,c), (3,b)}



12

- makes is a subset of Product × Company:



### Multiplicity of E/R Relations

one-one: lacksquareа 2 b 3 С d many-one • а 2 b 3 С d many-many 2 3

# Notation in Class v.s. the Book





### Multi-way Relationships



### Converting Multi-way Relationships to Binary



### 3. Design Principles



### Design Principles: What's Wrong?



### Design Principles: What's Wrong?



# From E/R Diagrams to Relational Schema

- Entity set  $\rightarrow$  relation
- Relationship  $\rightarrow$  relation

### Entity Set to Relation



#### Product(prod-ID, category, price)

prod-ID	category	price
Gizmo55	Camera	99.99
Pokemn19	Тоу	29.99

### Create Table (SQL)

CREATE TABLE Product ( prod-ID CHAR(30) PRIMARY KEY, category VARCHAR(20), price double)

### **Relationships to Relations**



### Create Table (SQL)

**CREATE TABLE Shipment(** name CHAR(30)**REFERENCES** Shipping-Co, prod-ID CHAR(30), cust-ID VARCHAR(20), date DATETIME, **PRIMARY KEY** (name, prod-ID, cust-ID), FOREIGN KEY (prod-ID, cust-ID) **REFERENCES** Orders



### Modeling Subclasses





### Understanding Subclasses

• Think in terms of records:

Product

field1
field2

SoftwareProduct

field1
field2
field3

- EducationalProduct

field1	
field2	
field4	
field5	



### Modeling UnionTypes With Subclasses

FurniturePiece





# Say: each piece of furniture is owned either by a person, or by a company

### Modeling Union Types with Subclasses

Say: each piece of furniture is owned either by a person, or by a company

Solution 1. Acceptable (What's wrong ?)



### Modeling Union Types with Subclasses

### Solution 2: More faithful



## Constraints in E/R Diagrams

Finding constraints is part of the modeling process. Commonly used constraints:

Keys: social security number uniquely identifies a person.

Single-value constraints: a person can have only one father.

Referential integrity constraints: if you work for a company, it must exist in the database.

Other constraints: peoples' ages are between 0 and 150.

### Keys in E/R Diagrams



35

### Single Value Constraints




Each product made by *exactly* one company.

#### **Other Constraints**



What does this mean ?

#### Weak Entity Sets

Entity sets are weak when their key comes from other classes to which they are related.



Notice: we encountered this when converting multiway relationships to binary relationships



How do we represent this with relations ?

#### Weak Entity Sets

Weak entity set = entity where part of the key comes from another



Convert to a relational schema (in class)



#### **Design Theory**

#### Schema Refinements = Normal Forms

- 1st Normal Form = all tables are flat
- 2nd Normal Form = obsolete
- Boyce Codd Normal Form = will study
- 3rd Normal Form = see book

## First Normal Form (1NF)

 A database schema is in First Normal Form if all tables are flat <u>Student</u>



Name	GPA
Alice	3.8
Bob	3.7
Carol	3.9

-	Takes	
	Student	Course
	Alice	Math
	Carol	Math
	Alice	DB
	Bob	DB
	Alice	OS
	Carol	OS

#### Course

Course
Math
DB
OS

#### **Relational Schema Design**



#### Data Anomalies

When a database is poorly designed we get anomalies:

**Redundancy**: data is repeated

**<u>Updated anomalies</u>**: need to change in several places

**Delete anomalies**: may lose data when we don't want

## **Relational Schema Design**

Recall set attributes (persons with several phones):

Name	SSN	PhoneNumber	City
Fred	123-45-6789	206-555-1234	Seattle
Fred	123-45-6789	206-555-6543	Seattle
Joe	987-65-4321	908-555-2121	Westfield

One person may have multiple phones, but lives in only one city

#### Anomalies:

- Redundancy = repeat data
- Update anomalies = Fred moves to "Bellevue"
- Deletion anomalies = Joe deletes his phone number: what is his city ?

### **Relation Decomposition**

#### **Break the relation into two:**

	Name	SSN	PhoneNumber	City	
	Fred	123-45-6789	206-555-1234	Seattle	
/	Fred	123-45-6789	206-555-6543	Seattle	$\backslash$
	Joe	987-65-4321	908-555-2121	Westfield	

Name	<u>SSN</u>	City
Fred	123-45-6789	Seattle
Joe	987-65-4321	Westfield

# SSNPhoneNumber123-45-6789206-555-1234123-45-6789206-555-6543987-65-4321908-555-2121

#### Anomalies have gone:

- No more repeated data
- Easy to move Fred to "Bellevue" (how ?)
- Easy to delete all Joe's phone number (how ?)

## Relational Schema Design (or Logical Design)

Main idea:

- Start with some relational schema
- Find out its <u>functional dependencies</u>
- Use them to design a better relational schema

## Functional Dependencies

• A form of constraint

- hence, part of the schema

- Finding them is part of the database design
- Also used in normalizing the relations

#### **Functional Dependencies**

Definition:

If two tuples agree on the attributes

 $A_1, A_2, ..., A_n$ 

then they must also agree on the attributes

$$B_1, B_2, ..., B_m$$

Formally:

$$A_1, A_2, ..., A_n \rightarrow B_1, B_2, ..., B_m$$

#### When Does an FD Hold

Definition:  $A_1, ..., A_m \rightarrow B_1, ..., B_n$  holds in R if:

$$\forall t, t' \in \mathsf{R}, (t.\mathsf{A}_1 = t'.\mathsf{A}_1 \land \ldots \land t.\mathsf{A}_m = t'.\mathsf{A}_m \Longrightarrow t.\mathsf{B}_1 = t'.\mathsf{B}_1 \land \ldots \land t.\mathsf{B}_n = t'.\mathsf{B}_n)$$

53



An FD holds, or does not hold on an instance:

EmpID	Name	Phone	Position
E0045	Smith	1234	Clerk
E3542	Mike	9876	Salesrep
E1111	Smith	9876	Salesrep
E9999	Mary	1234	Lawyer

EmpID  $\rightarrow$  Name, Phone, Position

Position  $\rightarrow$  Phone

but not Phone  $\rightarrow$  Position

EmpID	Name	Phone	Position
E0045	Smith	1234	Clerk
E3542	Mike	9876 ←	Salesrep
E1111	Smith	9876 ←	Salesrep
E9999	Mary	1234	Lawyer

#### Position $\rightarrow$ Phone

EmpID	Name	Phone	Position
E0045	Smith	$1234 \rightarrow$	Clerk
E3542	Mike	9876	Salesrep
E1111	Smith	9876	Salesrep
E9999	Mary	$1234 \rightarrow$	Lawyer

but not Phone  $\rightarrow$  Position

FD's are constraints:

On some instances they hold On others they don't name  $\rightarrow$  color

category  $\rightarrow$  department

color, category  $\rightarrow$  price

name	category	color	department	price
Gizmo	Gadget	Green	Toys	49
Tweaker	Gadget	Green	Toys	99

Does this instance satisfy all the FDs?

## Example $| \text{name} \rightarrow \text{color} |$

name → color category → department color, category → price

name	category	ategory color departme		price
Gizmo	Gadget	Green	Toys	49
Tweaker	Gadget	Black	Toys	99
Gizmo	Stationary	Green	Office-supp.	59

What about this one ?

#### An Interesting Observation

If all these FDs are true:

name  $\rightarrow$  color category  $\rightarrow$  department color, category  $\rightarrow$  price

Then this FD also holds:

name, category  $\rightarrow$  price

Why ??

## Goal: Find ALL Functional Dependencies

- Anomalies occur when certain "bad" FDs hold
- We know some of the FDs
- Need to find *all* FDs, then look for the bad ones

#### Armstrong's Rules (1/3)

$$A_1, A_2, ..., A_n \rightarrow B_1, B_2, ..., B_m$$

Is equivalent to

Splitting rule and Combing rule





#### Armstrong's Rules (2/3)

$$A_1, A_2, ..., A_n \rightarrow A_i$$

**Trivial Rule** 

 A1
 ...
 Am

 Image: Image of the second sec

Why?

#### Armstrong's Rules (3/3)

**Transitive Closure Rule** 



A <sub>1</sub>	•••	A <sub>m</sub>	<b>B</b> <sub>1</sub>	•••	B <sub>m</sub>	<b>C</b> <sub>1</sub>	 C <sub>p</sub>	

#### Example (continued)

Start from the following FDs:

1. name  $\rightarrow$  color

2. category  $\rightarrow$  department

Infer the following FDs:

3. color, category  $\rightarrow$  price

Inferred FD	Which Rule did we apply ?
4. name, category $\rightarrow$ name	
5. name, category $\rightarrow$ color	
6. name, category $\rightarrow$ category	
7. name, category $\rightarrow$ color, category	
8. name, category $\rightarrow$ price	

#### Example (continued)

Answers:

1. name  $\rightarrow$  color

2. category  $\rightarrow$  department

3. color, category  $\rightarrow$  price

Inferred FD	Which Rule did we apply ?
4. name, category $\rightarrow$ name	Trivial rule
5. name, category $\rightarrow$ color	Transitivity on 4, 1
6. name, category $\rightarrow$ category	Trivial rule
7. name, category $\rightarrow$ color, category	Split/combine on 5, 6
8. name, category $\rightarrow$ price	Transitivity on 3, 7

THIS IS TOO HARD ! Let's see an easier way.

#### Closure of a set of Attributes

**Given** a set of attributes  $A_1, \ldots, A_n$ 

The closure,  $\{A_1, ..., A_n\}^+$  = the set of attributes B s.t.  $A_1, ..., A_n \rightarrow B$ 

Example:name  $\rightarrow$  colorcategory  $\rightarrow$  departmentcolor, category  $\rightarrow$  price

name+ = {name, color}
{name, category}+ = {name, category, color, department, price}
color+ = {color}
67

#### **Closure Algorithm**



In class:

R(A,B,C,D,E,F)

$$\begin{array}{c} A, B \rightarrow C \\ A, D \rightarrow E \\ B \rightarrow D \\ A, F \rightarrow B \end{array}$$

Compute  $\{A,B\}^+$   $X = \{A, B,$ 

Compute  $\{A, F\}^+$  X =  $\{A, F,$ 

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}

}

#### Why Do We Need Closure

- With closure we can find all FD's easily
- To check if  $X \to A$ 
  - Compute X<sup>+</sup>
  - Check if  $A \in X^+$

#### Using Closure to Infer ALL FDs

Example:

 $\begin{array}{ccc} A, B \rightarrow C \\ A, D \rightarrow B \\ B \rightarrow D \end{array}$ 

Step 1: Compute X<sup>+</sup>, for every X: A+=A, B+=BD, C+=C, D+=D AB+=ABCD, AC+=AC, AD+=ABCD, BC+=BCD, BD+=BD, CD+=CD  $ABC+=ABD+=ACD^+=ABCD$  (no need to compute– why ?)  $BCD^+=BCD, ABCD+=ABCD$ Step 2: Enumerate all FD's X  $\rightarrow$  Y, s.t. Y  $\subseteq$  X<sup>+</sup> and X $\cap$ Y = Ø:

 $AB \rightarrow CD, AD \rightarrow BC, ABC \rightarrow D, ABD \rightarrow C, ACD \rightarrow B$ 

71

#### Another Example

- Enrollment(student, major, course, room, time)
  - student  $\rightarrow$  major major, course  $\rightarrow$  room course  $\rightarrow$  time

What else can we infer ? [in class, or at home]
# Keys

- A superkey is a set of attributes A<sub>1</sub>, ..., A<sub>n</sub> s.t. for any other attribute B, we have A<sub>1</sub>, ..., A<sub>n</sub> → B
- A key is a minimal superkey
  - I.e. set of attributes which is a superkey and for which no subset is a superkey

# Computing (Super)Keys

- Compute X<sup>+</sup> for all sets X
- If  $X^+ = all$  attributes, then X is a key
- List only the minimal X's

#### Product(name, price, category, color)

name, category  $\rightarrow$  price category  $\rightarrow$  color

What is the key ?

#### Product(name, price, category, color)

name, category  $\rightarrow$  price category  $\rightarrow$  color

What is the key?

(name, category) + = name, category, price, color Hence (name, category) is a key

#### Examples of Keys

# Enrollment(student, address, course, room, time)

student  $\rightarrow$  address room, time  $\rightarrow$  course student, course  $\rightarrow$  room, time

(find keys at home)

#### **Eliminating Anomalies**

Main idea:

- $X \rightarrow A$  is OK if X is a (super)key
- $X \rightarrow A$  is not OK otherwise

Name	SSN	PhoneNumber	City
Fred	123-45-6789	206-555-1234	Seattle
Fred	123-45-6789	206-555-6543	Seattle
Joe	987-65-4321	908-555-2121	Westfield
Joe	987-65-4321	908-555-1234	Westfield

 $SSN \rightarrow Name, City$ 

What the key?}

Name	SSN	PhoneNumber	City
Fred	123-45-6789	206-555-1234	Seattle
Fred	123-45-6789	206-555-6543	Seattle
Joe	987-65-4321	908-555-2121	Westfield
Joe	987-65-4321	908-555-1234	Westfield

 $SSN \rightarrow Name, City$ 

What the key?

{SSN, PhoneNumber}

Hence  $SSN \rightarrow Name$ , City is a "bad" dependency <sup>80</sup>

#### Key or Keys ?

Can we have more than one key?

Given R(A,B,C) define FD's s.t. there are two or more keys

#### Key or Keys ?

Can we have more than one key?

Given R(A,B,C) define FD's s.t. there are two or more keys

AB→C		A→BC
BC→A	or	B→AC

what are the keys here ?

Can you design FDs such that there are *three* keys?<sup>82</sup>

#### **Boyce-Codd Normal Form**

A simple condition for removing anomalies from relations:

#### A relation R is in BCNF if:

- If  $A_1, ..., A_n \rightarrow B$  is a non-trivial dependency
- in R, then  $\{A_1, ..., A_n\}$  is a superkey for R

In other words: there are no "bad" FDs

Equivalently:  $\forall X$ , either (X<sup>+</sup> = X) or (X<sup>+</sup> = all attributes) Dan Suciu -- CSEP544 Fall 2010

#### BCNF Decomposition Algorithm

#### <u>repeat</u>

choose  $A_1, ..., A_m \rightarrow B_1, ..., B_n$  that violates BNCF split R into  $R_1(A_1, ..., A_m, B_1, ..., B_n)$  and  $R_2(A_1, ..., A_m, [others])$ continue with both  $R_1$  and  $R_2$ <u>until</u> no more violations



Is there a 2-attribute relation that is not in BCNF ?

In practice, we have a better algorithm (coming<sup>84</sup>up)

Name	SSN	PhoneNumber	City
Fred	123-45-6789	206-555-1234	Seattle
Fred	123-45-6789	206-555-6543	Seattle
Joe	987-65-4321	908-555-2121	Westfield
Joe	987-65-4321	908-555-1234	Westfield

 $SSN \rightarrow Name, City$ 

What the key?  $\{SSN, PhoneNumber\}$  use  $SSN \rightarrow Name$ , City to split Dan Suciu -- CSEP544 Fall 2010

Name	<u>SSN</u>	City
Fred	123-45-6789	Seattle
Joe	987-65-4321	Westfield

 $\rightarrow$  SSN  $\rightarrow$  Name, City

<u>SSN</u>	PhoneNumber
123-45-6789	206-555-1234
123-45-6789	206-555-6543
987-65-4321	908-555-2121
987-65-4321	908-555-1234

Let's check anomalies: Redundancy ? Update ? Delete ?

#### **Example Decomposition**

Person(name, SSN, age, hairColor, phoneNumber)

SSN  $\rightarrow$  name, age

age  $\rightarrow$  hairColor

Decompose in BCNF (in class):

### **BCNF** Decomposition Algorithm

BCNF\_Decompose(R)

```
find X s.t.: X \neq X^+ \neq [all attributes]
```

**<u>if</u>** (not found) <u>**then</u></u> "R is in BCNF"</u>** 

<u>**let</u>**  $Y = X^+ - X$ <u>**let</u></u> Z = [all attributes] - X^+ decompose R into R1(X \cup Y) and R2(X \cup Z) continue to decompose recursively R1 and R2</u></u>**  Find X s.t.:  $X \neq X^+ \neq [all attributes]$ 

## Example BCNF Decomposition

Person(name, SSN, age, hairColor, phoneNumber)

SSN  $\rightarrow$  name, age

age  $\rightarrow$  hairColor

# Example BCNF Decomposition

Person(name, SSN, age, hairColor, phoneNumber)

SSN  $\rightarrow$  name, age

age  $\rightarrow$  hairColor

What are the keys ?

Iteration 1: Person: SSN+ = SSN, name, age, hairColor

Decompose into: P(<u>SSN</u>, name, age, hairColor) Phone(SSN, phoneNumber)

Iteration 2: P: age+ = age, hairColor

Decompose: People(<u>SSN</u>, name, age) Hair(<u>age</u>, hairColor) Phone(SSN, phoneNumber)













 $R_1 = \text{projection of } R \text{ on } A_1, ..., A_n, B_1, ..., B_m$  $R_2 = \text{projection of } R \text{ on } A_1, ..., A_n, C_1, ..., C_p$ 

# Theory of Decomposition

#### Sometimes it is correct:



Lossless decomposition

#### **Incorrect Decomposition**

Sometimes it is not:



Lossy decomposition

### **Decompositions in General**



If  $A_1, ..., A_n \rightarrow B_1, ..., B_m$ Then the decomposition is lossless

Note: don't need  $A_1, ..., A_n \rightarrow C_1, ..., C_p$ 

BCNF decomposition is always lossless. WHY?

96