

Iterative Deepening A* (IDA*) Search: Rough Algorithm from LISP

function IDA

 root <- start node

 f-limit <- fcost(root)

 solution <- NIL

 loop

 DFS_Condour(root, f-limit)

 if not null(solution) then return(solution)

 if f-limit = infinity then return(NIL)

 end loop

end IDA

function DFS_Condour(node, f-limit) returns (solution, f-limit)

 next-f <- infinity

 if fcost(node) > f-limit then mreturn(NIL, fcost(node))

 else if goal(node) then mreturn(node, f-limit)

 else for each successor s of node

 new-f <- fcost(s)

 DFS_Condour(s, f-limit)

 if not null(solution) then mreturn(solution, f-limit)

 else next-f <- min(next-f, new-f)

 mreturn(NIL next-f)

end DFS_Condour

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;;; ida.lisp
;;;; Iterative Deepening A* (IDA*) Search
(setf (problem-iterative? problem) t)
(let* ((root (create-start-node problem)) (f-limit (node-f-cost root)) (solution nil))
  (loop (multiple-value-setq (solution f-limit) (DFS-contour root problem f-limit))
        (dprint "DFS-contour returned" solution "at" f-limit)
        (if (not (null solution)) (RETURN solution))
        (if (= f-limit infinity) (RETURN nil)))))

(defun DFS-contour (node problem f-limit)
  "Return a solution and a new f-cost limit."
  (let ((next-f infinity))
    (cond ((> (node-f-cost node) f-limit) (values nil (node-f-cost node)))
          ((goal-test problem (node-state node)) (values node f-limit))
          (t (for each s in (expand node problem) do
                (multiple-value-bind (solution new-f) (DFS-contour s problem f-limit)
                  (if (not (null solution))
                      (RETURN-FROM DFS-contour (values solution f-limit)))
                  (setq next-f (min next-f new-f)))))
             (values nil next-f))))
```

Algorithm	Complete	Optimal	Time	Space
Greedy BFS	YES if finite	NO	exp	exp
A*	YES	YES if admis.	exp	exp
IDA*	YES	YES if admis.	exp	$O(d)$ $O(1)^*$
DF B&B	YES if finite	YES	exp	$O(d)$
Global Beam	NO	NO	exp	$O(kd)$
S.A. Hillclimb	NO	NO	$O(bd)$	$O(d)$ $O(1)^+$
Sim. Annealing	NO	NO	$O(bd)$	$O(d)$ $O(1)^+$
Local Beam	NO	NO	$O(kbd)$	$O(k)$
Genetic	NO	NO	$O(k \times \text{numiter})$	$O(k)$

* IDA uses $O(d)$ for DFS, but only keeps f-limit between iterations.

+ $O(1)$ if we don't save the path to the solution.