

CSE 484 / CSE M 584 (Spring 2012)

Symmetric Cryptography

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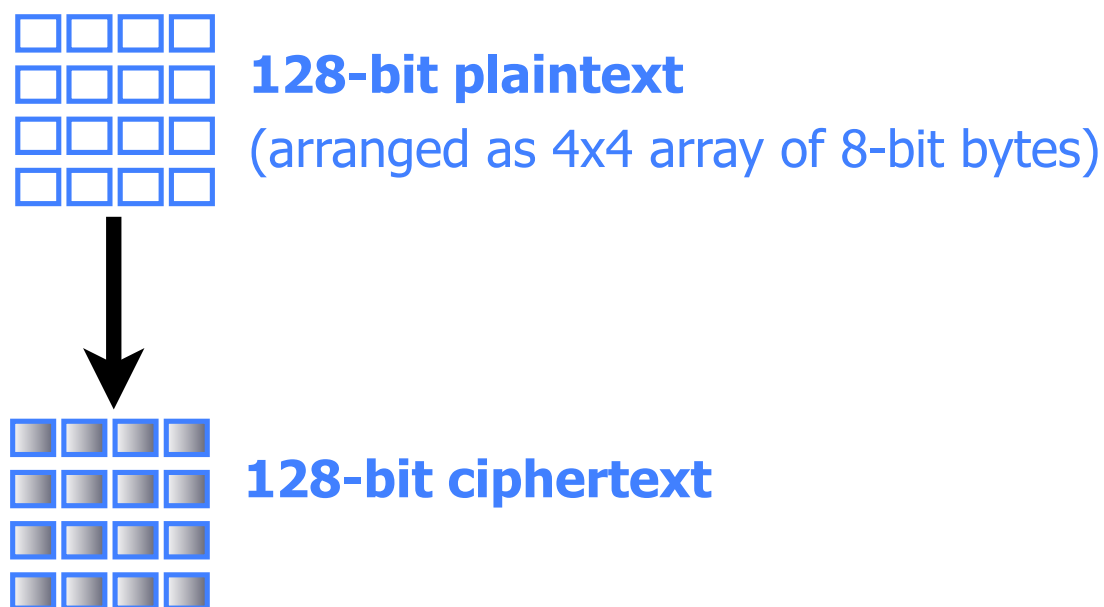
Thanks to Dan Boneh, Dieter Gollmann, Dan Halperin, John Manferdelli, John Mitchell, Vitaly Shmatikov, Bennet Yee, and many others for sample slides and materials ...

Goals for Today

- ◆ Cryptography
- ◆ Also: Lab part 1 due today
 - Don't all increase in complexity
 - Read recommended readings

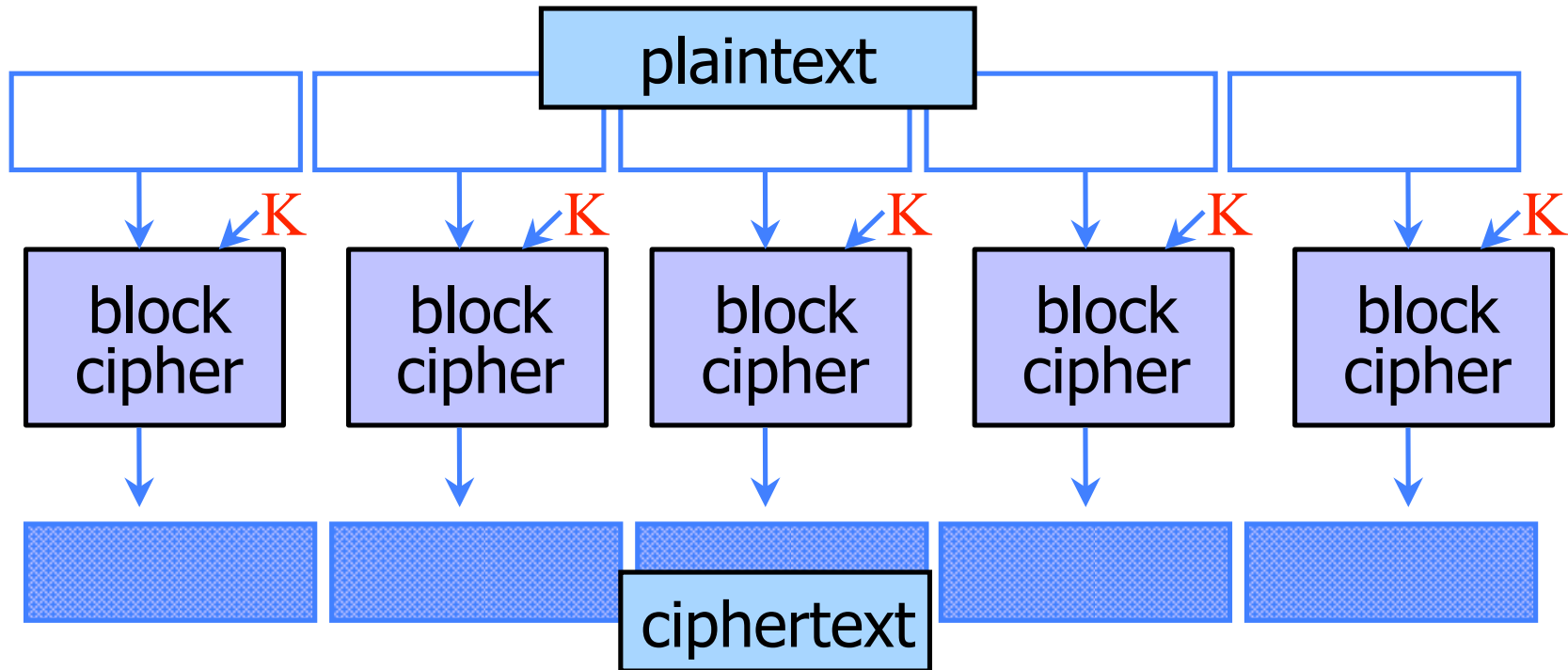
Encrypting a Large Message

- ◆ So, we've got a good block cipher, but our plaintext is larger than 128-bit block size



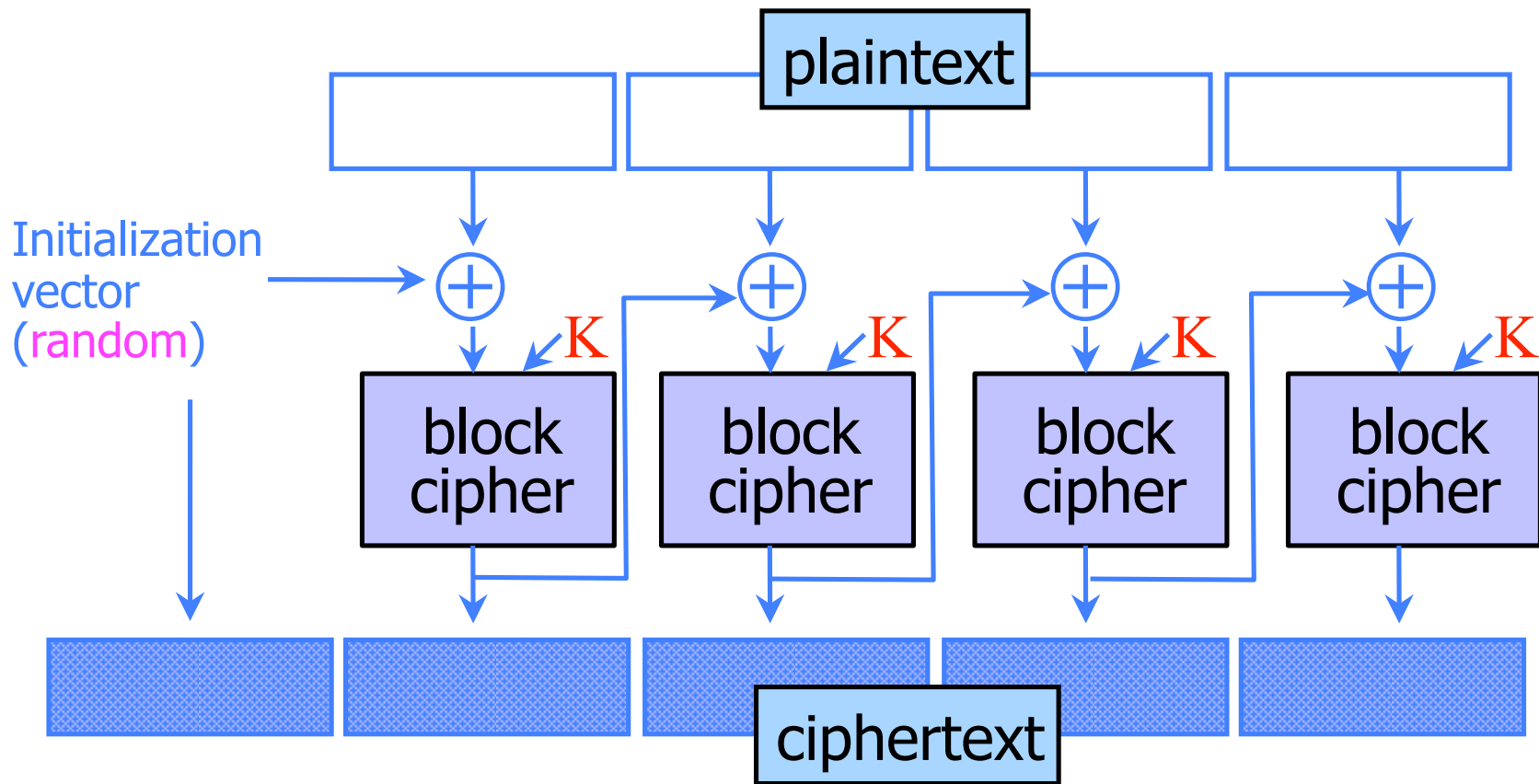
- ◆ What should we do?

Electronic Code Book (ECB) Mode



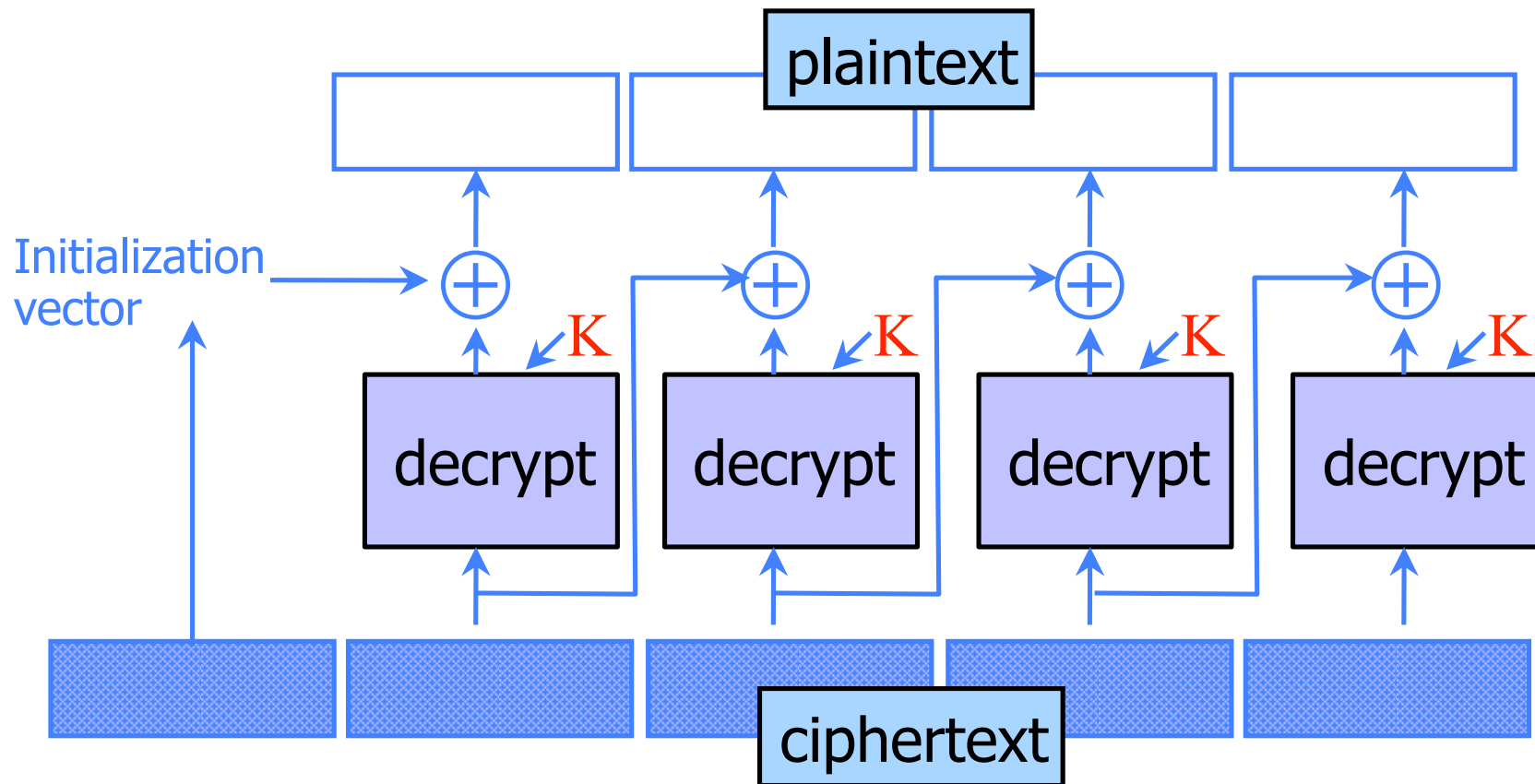
- ◆ Identical blocks of plaintext produce identical blocks of ciphertext
- ◆ No integrity checks: can mix and match blocks

Cipher Block Chaining (CBC) Mode: Encryption



- ◆ Identical blocks of plaintext encrypted differently
- ◆ Last cipherblock depends on entire plaintext
 - Still does not guarantee integrity

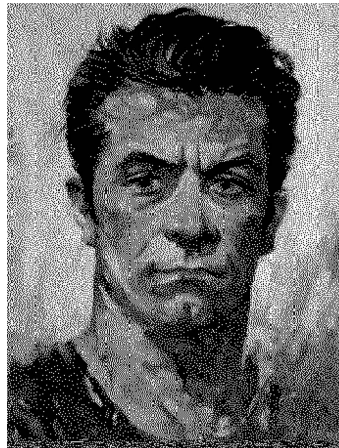
CBC Mode: Decryption



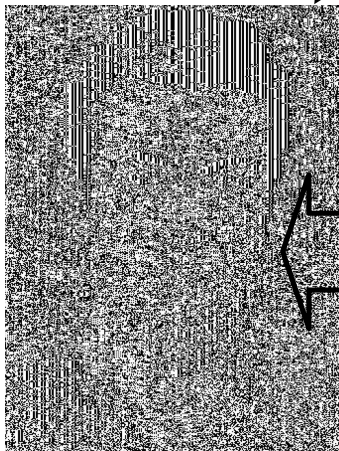
ECB vs. CBC

[Picture due to Bart Preneel]

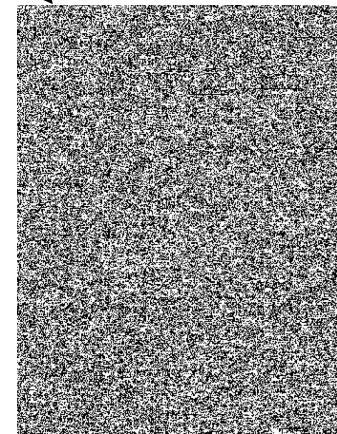
AES in ECB mode



AES in CBC mode

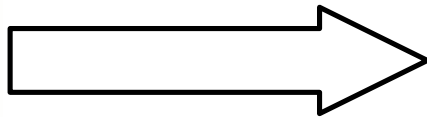
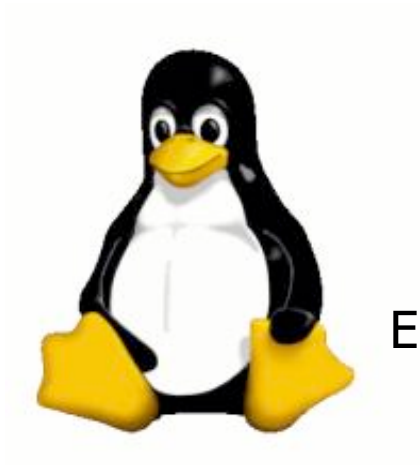


Similar plaintext blocks produce similar ciphertext blocks (not good!)

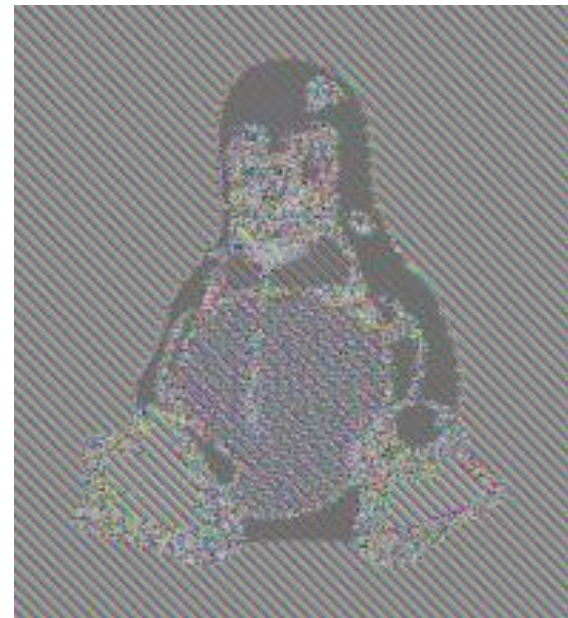


Information Leakage in ECB Mode

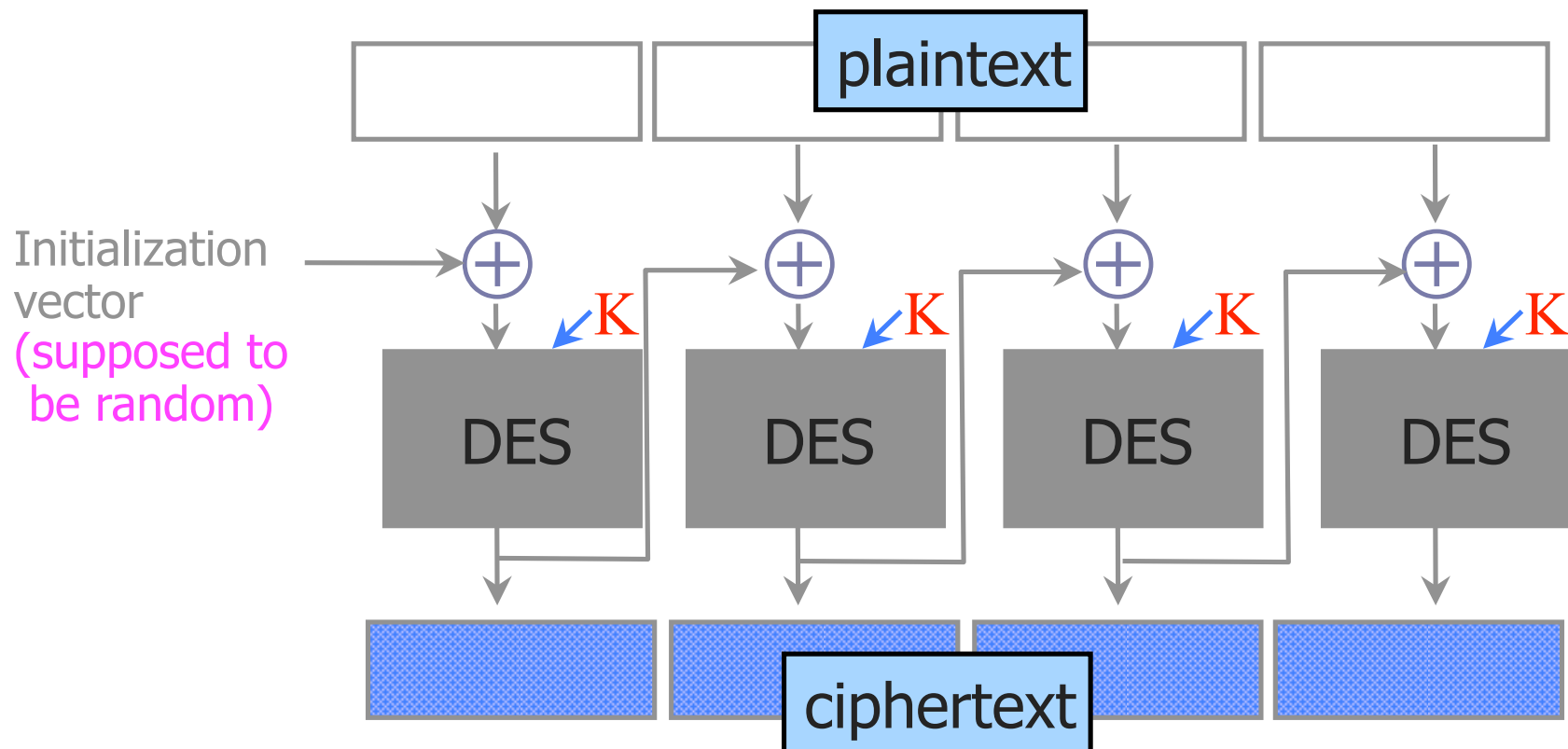
[Wikipedia]



Encrypt in ECB mode



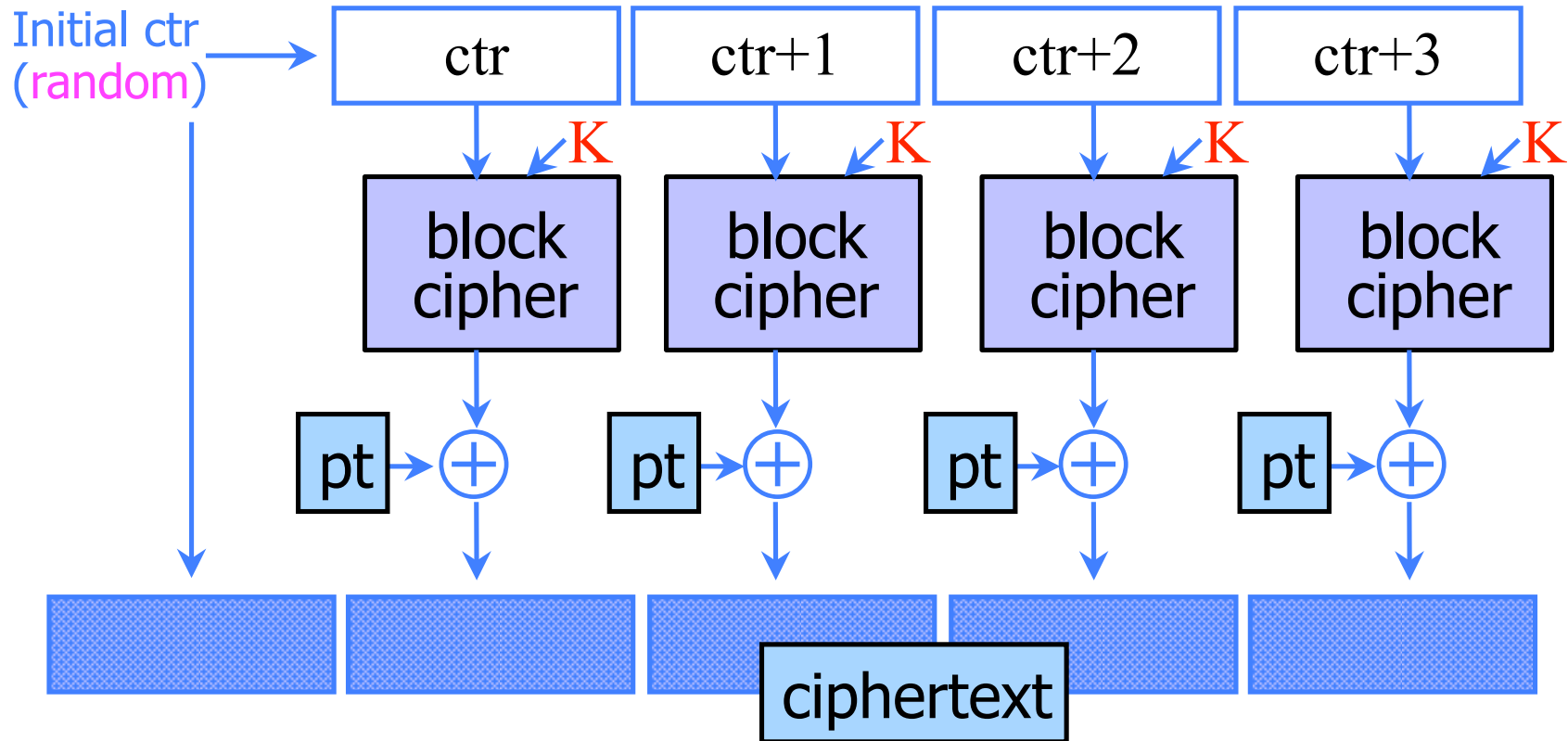
CBC and Electronic Voting



Found in the source code for Diebold voting machines:

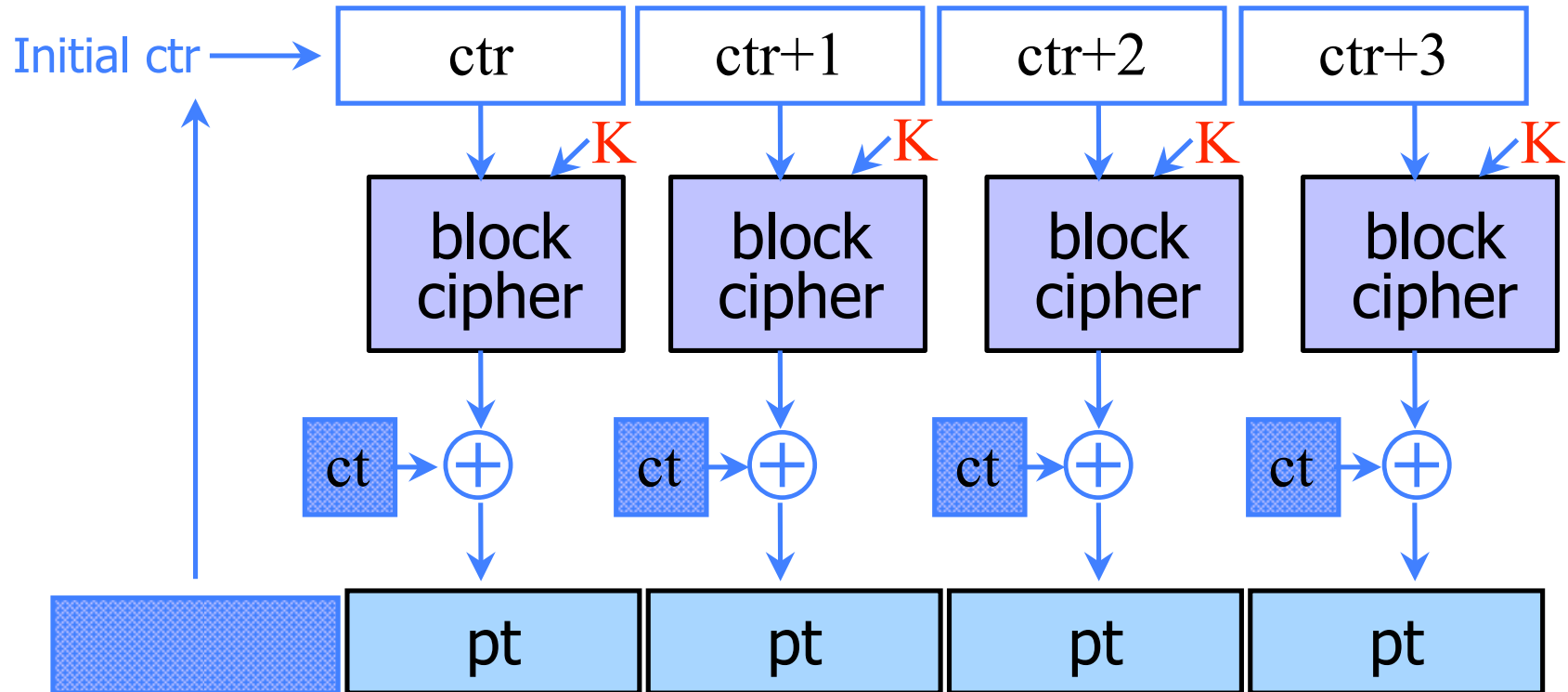
```
DesCBCEncrypt((des_c_block*)tmp, (des_c_block*)record.m_Data,  
             totalSize, DESKEY, NULL, DES_ENCRYPT)
```

Counter (CTR) Mode: Encryption



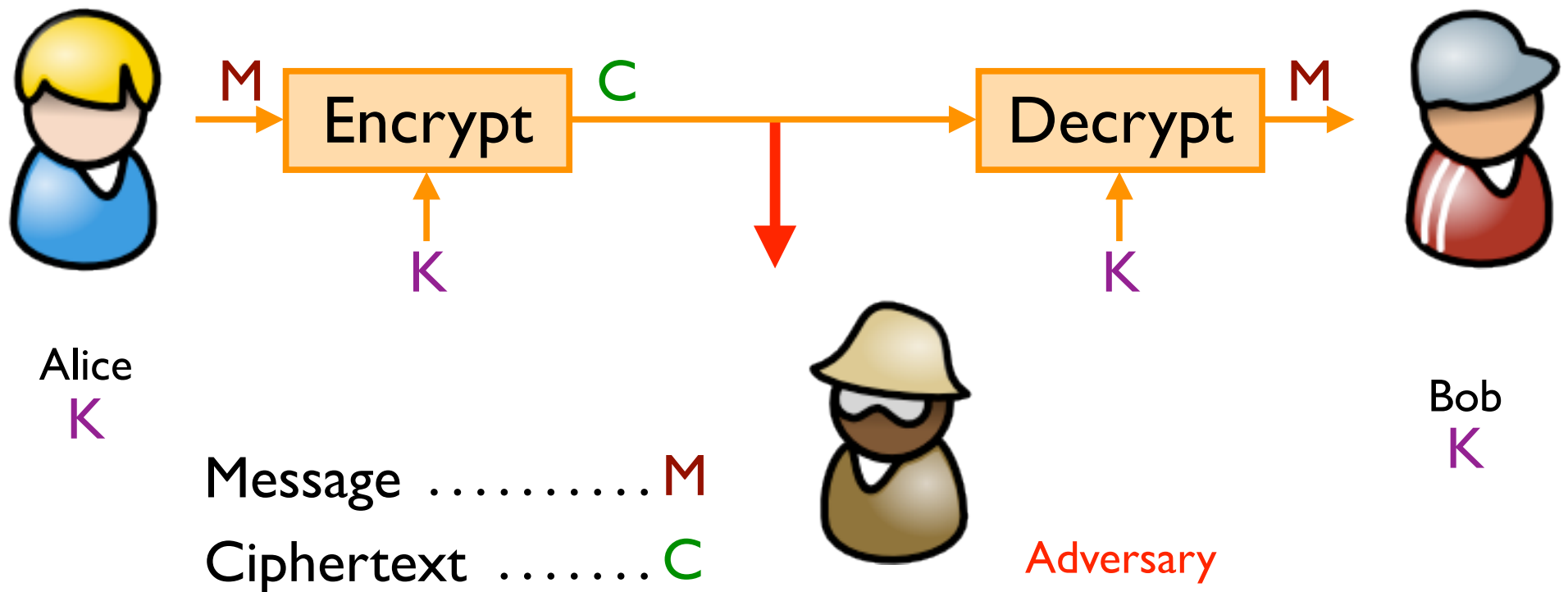
- ◆ Identical blocks of plaintext encrypted differently
- ◆ Still does not guarantee integrity
- ◆ Fragile if ctr repeats

CTR Mode: Decryption



Achieving Privacy (Symmetric)

Encryption schemes: A tool for protecting **privacy**.



When Is an Encryption Scheme “Secure”?

- ◆ Hard to recover the key?
 - What if attacker can learn plaintext without learning the key?
- ◆ Hard to recover plaintext from ciphertext?
 - What if attacker learns some bits or some function of bits?
- ◆ Fixed mapping from plaintexts to ciphertexts?
 - What if attacker sees two identical ciphertexts and infers that the corresponding plaintexts are identical?
 - Implication: encryption must be randomized or stateful

How Can a Cipher Be Attacked?

- ◆ Assume that the attacker knows the encryption algorithm and wants to learn information about some ciphertext
- ◆ Main question: what else does attacker know?
 - Depends on the application in which cipher is used!
- ◆ Ciphertext-only attack
- ◆ Known-plaintext attack (stronger)
 - Knows some plaintext-ciphertext pairs
- ◆ Chosen-plaintext attack (even stronger)
 - Can obtain ciphertext for any plaintext of his choice
- ◆ Chosen-ciphertext attack (very strong)
 - Can decrypt any ciphertext except the target
 - Sometimes very realistic model

Defining Security (Not Required)

- ◆ Attacker does **not know** the **key**
- ◆ He chooses as many plaintexts as he wants, and learns the corresponding ciphertexts
- ◆ When ready, he picks two plaintexts M_0 and M_1
 - He is even allowed to pick plaintexts for which he previously learned ciphertexts!
- ◆ He receives either a ciphertext of M_0 , or a ciphertext of M_1
- ◆ He wins if he guesses correctly which one it is

Defining Security (Not Required)

- ◆ Idea: attacker should not be able to learn even a single bit of the encrypted plaintext
- ◆ Define $\text{Enc}(M_0, M_1, b)$ to be a function that returns encrypted M_b
 - Given two plaintexts, Enc returns a ciphertext of one or the other depending on the value of bit b
 - Think of Enc as a magic box that computes ciphertexts on attacker's demand. He can obtain a ciphertext of any plaintext M by submitting $M_0 = M_1 = M$, or he can try to learn even more by submitting $M_0 \neq M_1$.
- ◆ Attacker's goal is to learn just one bit b

0 or 1

Chosen-Plaintext Security (Not Required)

- ◆ Consider two experiments (A is the attacker)

Experiment 0

A interacts with $\text{Enc}(-,-,0)$
and outputs bit d

Experiment 1

A interacts with $\text{Enc}(-,-,1)$
and outputs bit d

- Identical except for the value of the secret bit
- d is attacker's guess of the secret bit

- ◆ Attacker's advantage is defined as

$$| \text{Prob}(A \text{ outputs } 1 \text{ in Exp0}) - \text{Prob}(A \text{ outputs } 1 \text{ in Exp1}) |$$

- ◆ Encryption scheme is **chosen-plaintext secure** if this advantage is negligible for any efficient A

If A "knows" secret bit, he should be able to make his output depend on it

“Simple” Example (Not Required)

- ◆ Any deterministic, stateless symmetric encryption scheme is insecure
 - Attacker can easily distinguish encryptions of different plaintexts from encryptions of identical plaintexts
 - This includes ECB mode of common block ciphers!

Attacker A interacts with $\text{Enc}(-, -, b)$

Let X, Y be any two different plaintexts

$C_1 \leftarrow \text{Enc}(X, Y, b); \quad C_2 \leftarrow \text{Enc}(Y, Y, b);$

If $C_1 = C_2$ then $b = 1$ else say $b = 0$

- ◆ The advantage of this attacker A is 1

$\text{Prob}(A \text{ outputs } 1 \text{ if } b = 0) = 0 \quad \text{Prob}(A \text{ outputs } 1 \text{ if } b = 1) = 1$

Why Hide Everything?

- ◆ Leaking even a little bit of information about the plaintext can be disastrous
- ◆ Electronic voting
 - 2 candidates on the ballot (1 bit to encode the vote)
 - If ciphertext leaks the parity bit of the encrypted plaintext, eavesdropper learns the entire vote
- ◆ Also, want a strong definition, that implies others

Birthday attacks

- ◆ Are there two people in the first $\frac{1}{3}$ of this classroom that have the same birthday?
 - Yes?
 - No?

Birthday attacks

◆ Why is this important for cryptography?

- 365 days in a year (366 some years)

- Pick one person. To find another person with same birthday would take on the order of $365/2 = 182.5$ people
- Expect “collision” -- two people with same birthday -- with a room of only 23 people
- For simplicity, approximate when we expect a collision as the square root of 365.

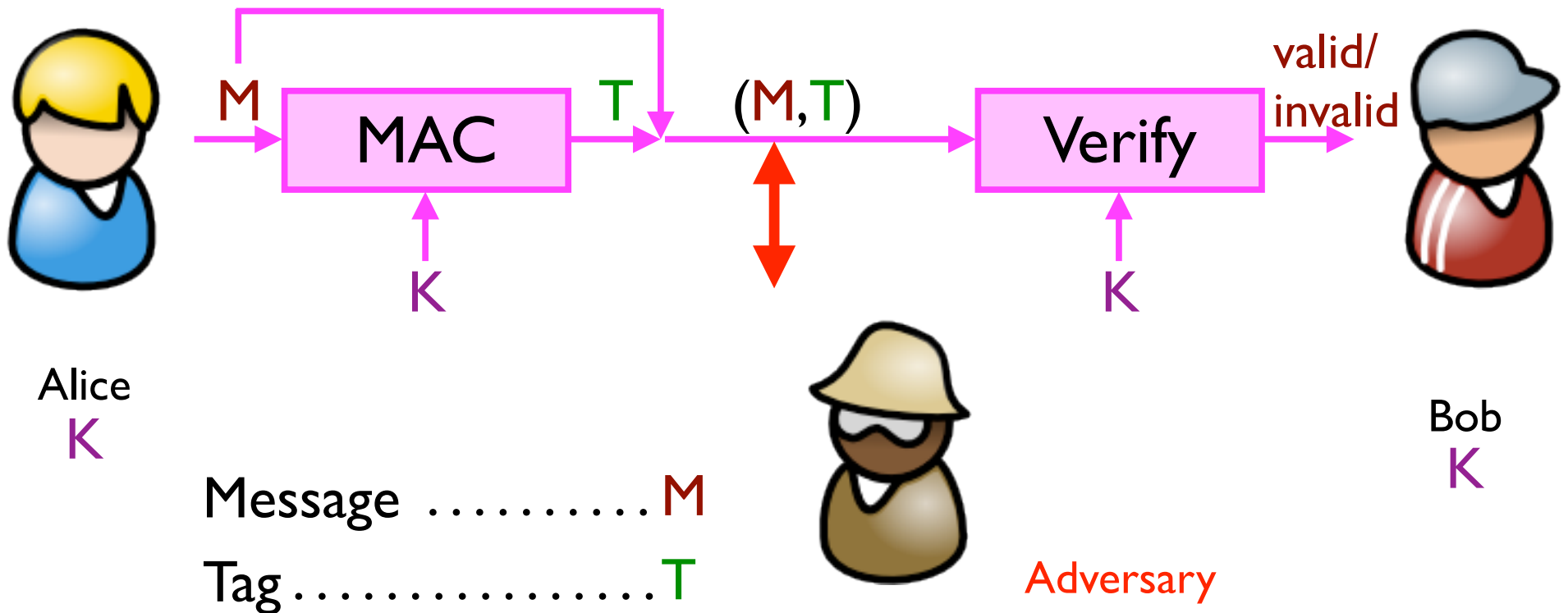
- 2^{128} different 128-bit keys

- Pick one key at random. To exhaustively search for this key requires trying on average 2^{127} keys.
- Expect a “collision” after selecting approximately 2^{64} random keys.
- 64 bits of security against collision attacks, not 128 bits.

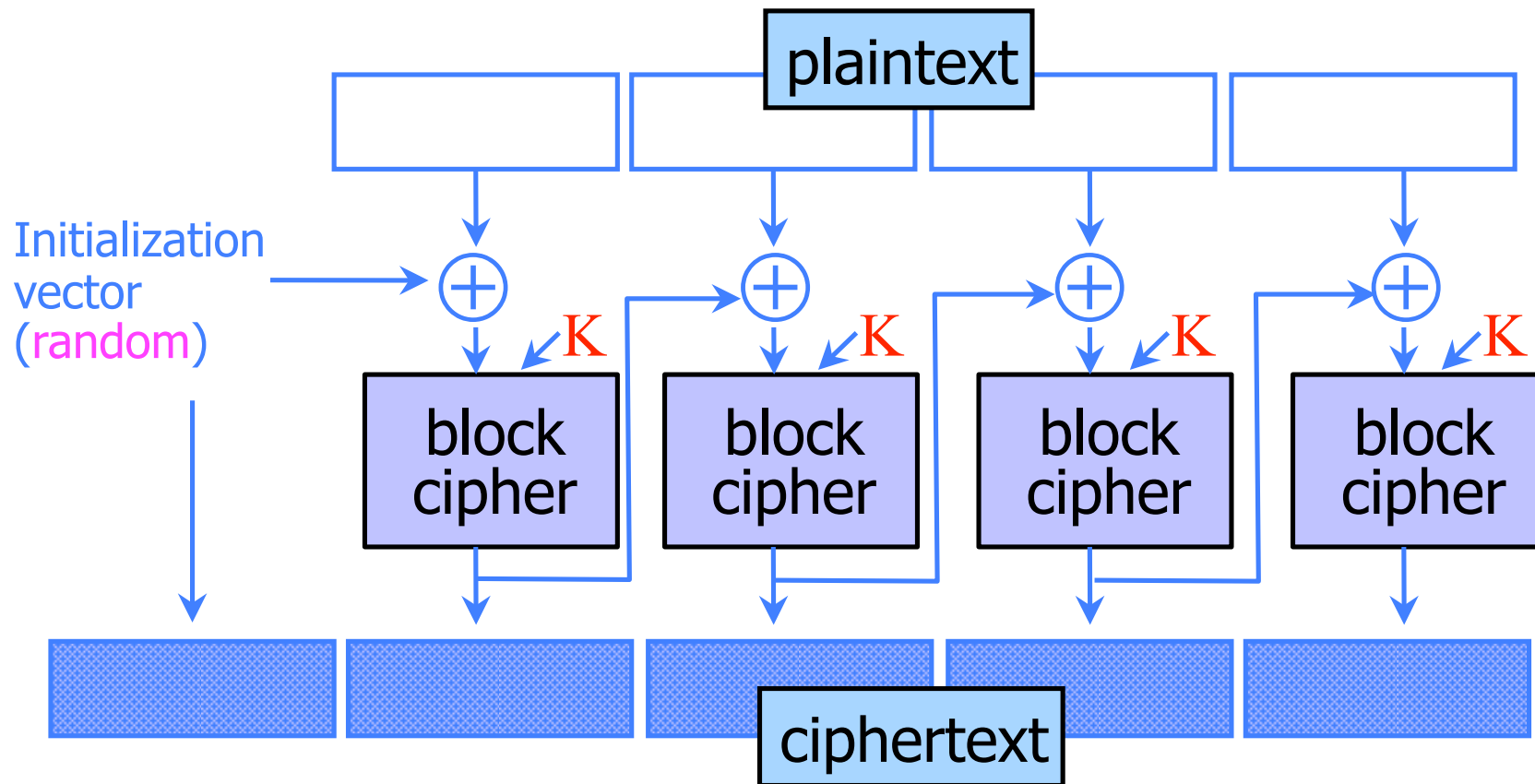
Achieving Integrity (Symmetric)

Message authentication schemes: A tool for protecting integrity.

(Also called message authentication codes or MACs.)

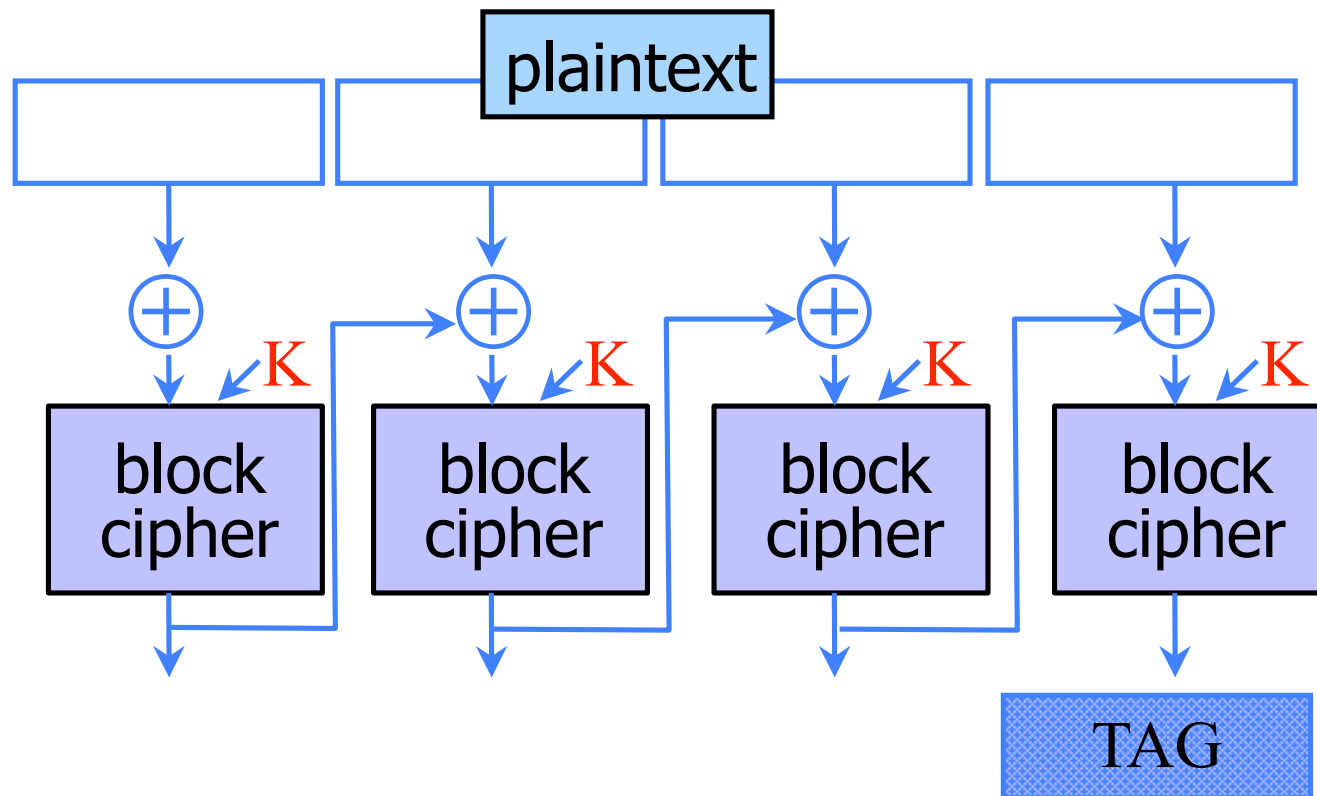


CBC Mode: Encryption



- ◆ Identical blocks of plaintext encrypted differently
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CBC-MAC



- ◆ Not secure when system may MAC messages of different lengths.
 - NIST recommends a derivative called CMAC (not required)