



Motivation

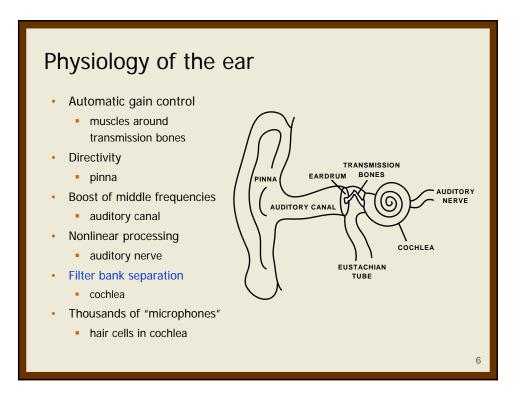
- "Sink coding": Auditory Masking
- Block & Lapped Transforms
- Audio compression
- Examples

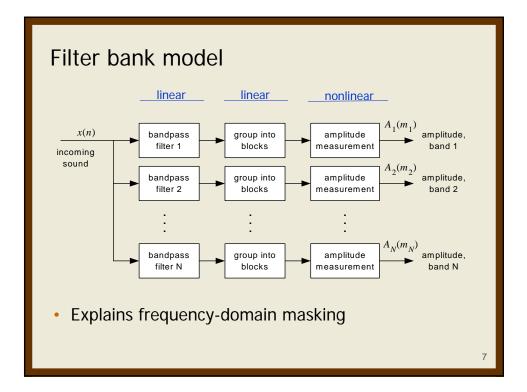
Many applications need digital audio

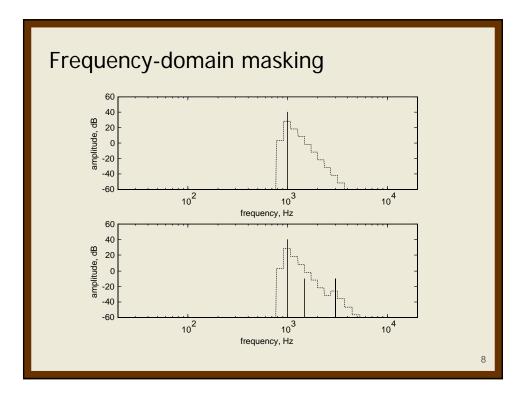
- Business
 - Internet call centers
 - Multimedia presentations
- Communication
 - Digital TV, Telephony (VoIP) & teleconferencing
 - Voice mail, voice annotations on e-mail, voice recording
- Entertainment
 - solid-state music players
 - 150 songs on standard CD
 - thousands of songs on portable jukebox
 - Internet radio
 - Games

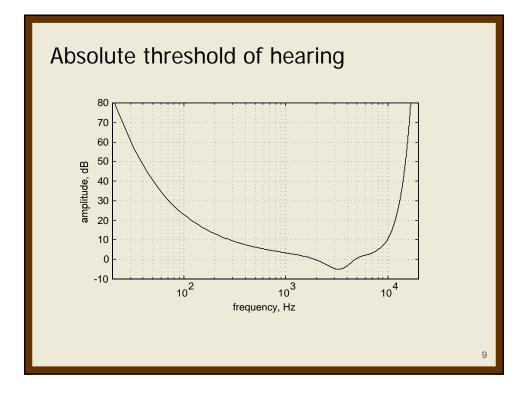


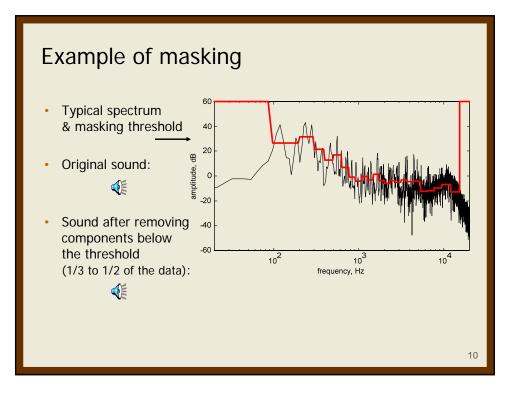
- Motivation
- "Sink coding": Auditory Masking
- Block & Lapped Transforms
- Audio compression
- Examples



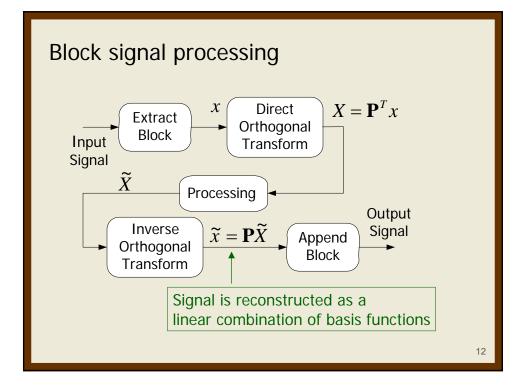


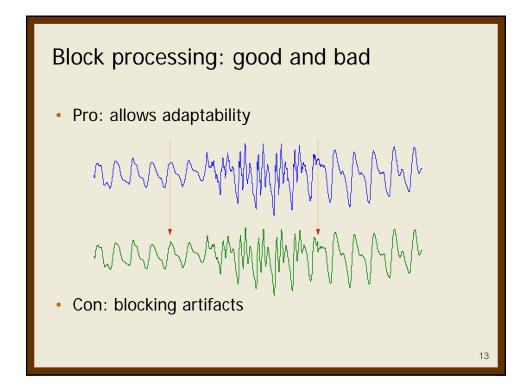


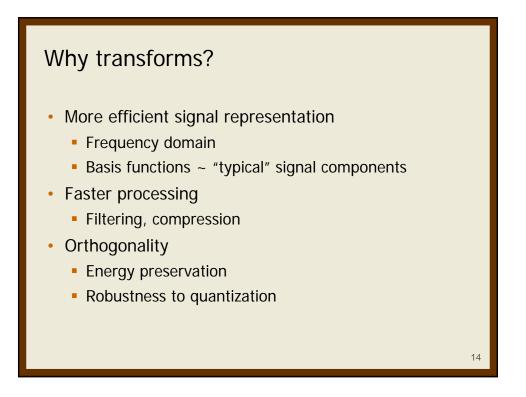




- Motivation
- "Sink coding": Auditory Masking
- Block & Lapped Transforms
- Audio compression
- Examples







Compactness of representation

- Maximum energy concentration in as few coefficients as possible
- For stationary random signals, the optimal basis is the Karhunen-Loève transform:

$$\lambda_i p_i = R_{xx} p_i, \ \mathbf{P}^{\mathbf{T}} \mathbf{P} = \mathbf{I}$$

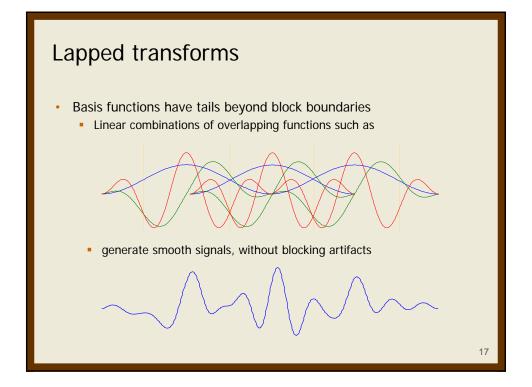
- Basis functions are the columns of P
- Minimum geometric mean of transform coefficient variances

15

16

Sub-optimal transforms

- KLT problems:
 - Signal dependency
 - P not factorable into sparse components
- Sinusoidal transforms:
 - Asymptotically optimal for large blocks
 - Frequency component interpretation
 - Sparse factors e.g. FFT

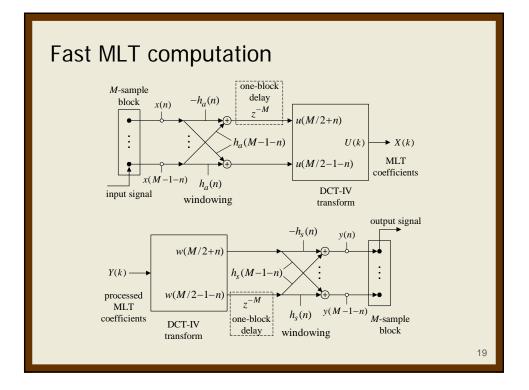


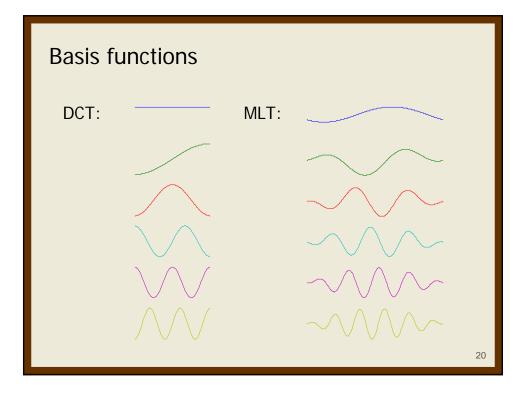
Modulated lapped transforms

 Basis functions = cosines modulating the same low-pass (window) prototype h(n):

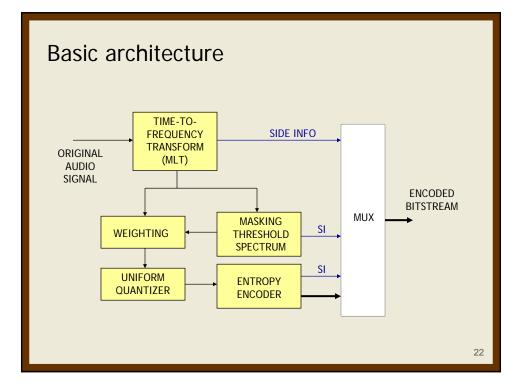
$$p_k(n) = h(n) \sqrt{\frac{2}{M}} \cos\left[\left(n + \frac{M+1}{2}\right)\left(k + \frac{1}{2}\right)\frac{\pi}{M}\right]$$

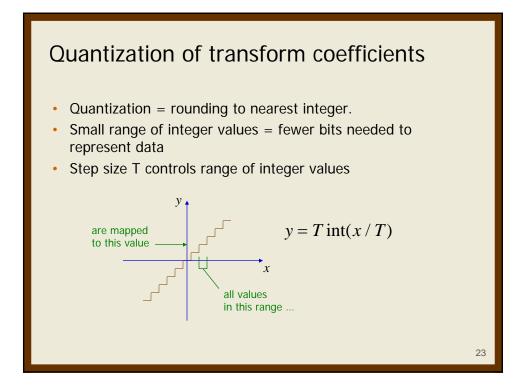
- Can be computed from the DCT or FFT
- Projection $X = \mathbf{P}^T x$ can be computed in $O(\log_2 M)$ operations per input point

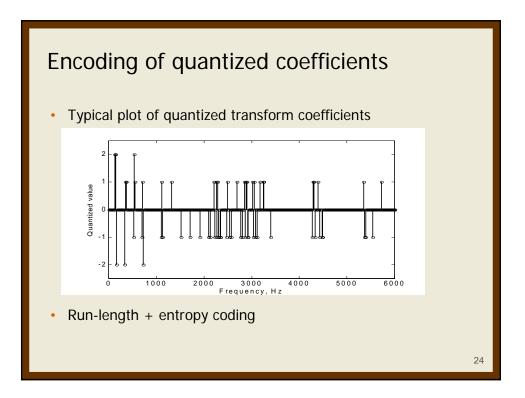


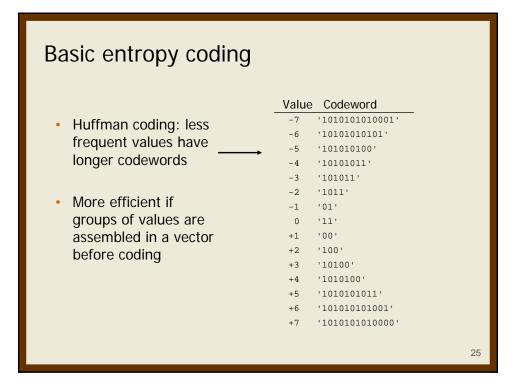


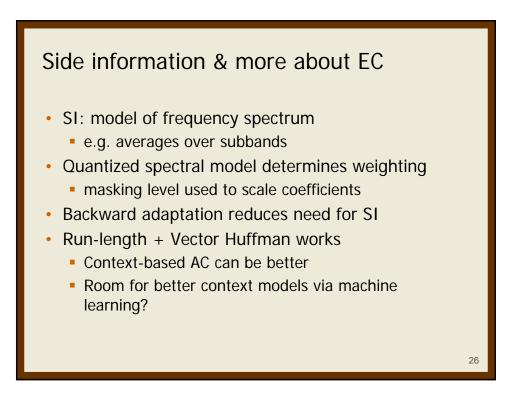
- Motivation
- "Sink coding": Auditory Masking
- Block & Lapped Transforms
- Audio compression
- Examples

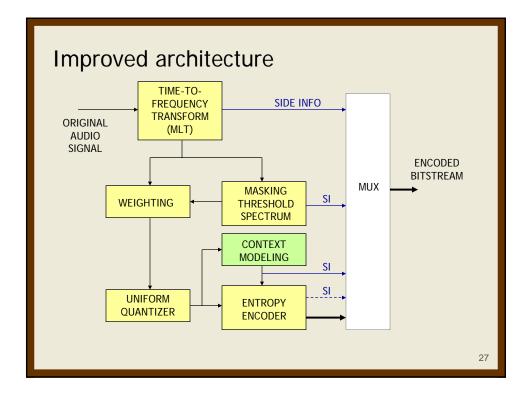


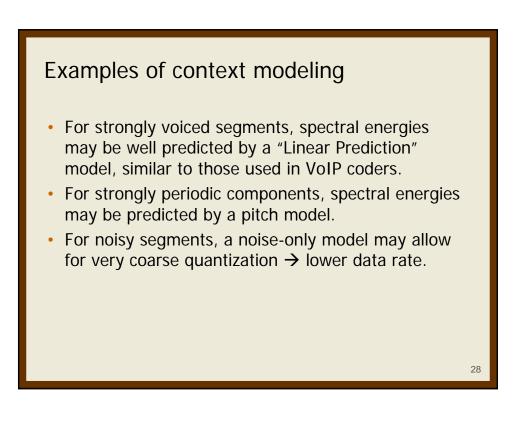












Other aspects & directions

- Stereo coding
 - (L+R)/2 & L-R coding, expandable to multichannel
 - Intensity + balance coding
 - Mode switching extra work for encoder only
- Lossless coding
 - Easily achievable via integer transforms
 - exactly reversible via integer arithmetic
 - example: lifting-based MLT (see Refs)
- Using complex subband decompositions (MCLT)
 - Potential for more sophisticated auditory models
 - Efficient encoding is an open problem

Contents

- Motivation
- "Sink coding": Auditory Masking
- Block & Lapped Transforms
- Audio compression
- Examples

29

